

# Cosmologie Moderne

## QUBIC



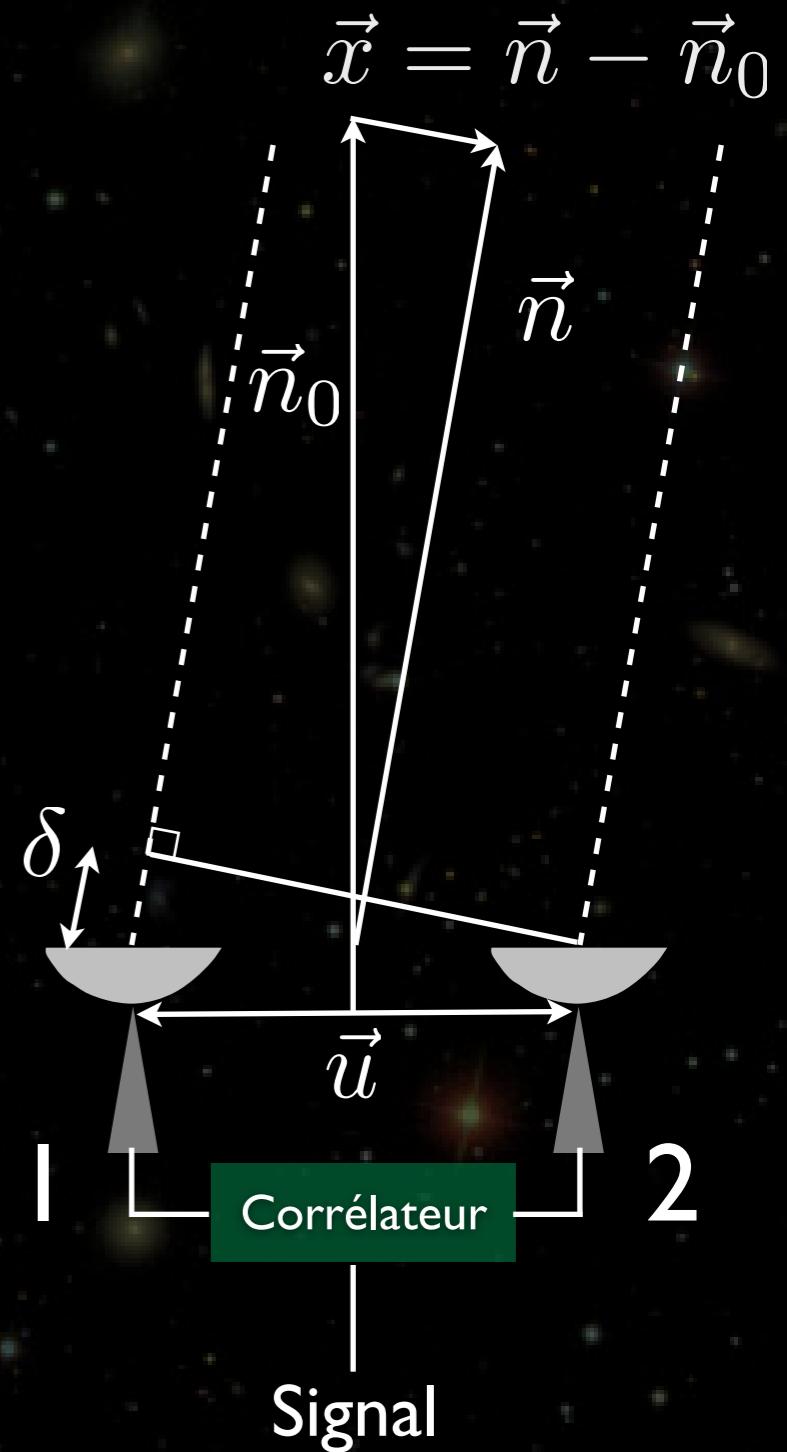
J.-Ch. Hamilton, APC  
[hamilton@apc.univ-paris7.fr](mailto:hamilton@apc.univ-paris7.fr)

# L'interférométrie en bref

- ★ Ligne de base :  $\|\vec{u}\| = \frac{D}{\lambda}$
- ★ Lobe (PSF):  $B(\vec{x})$
- ★ Signal en sortie :  $S(\vec{u}) = \int E_1(\vec{n}) E_2^*(\vec{n}) B^2(\vec{n}) d\vec{n}$
- ★ Déphasage :  $\delta = 2\pi \vec{u} \cdot \vec{x}$   
→  $E_2^*(\vec{n}) = E_1^*(\vec{n}) \exp(2i\pi \vec{u} \cdot \vec{x})$
- ★ Visibilités :  
$$S(\vec{u}) = \int |E(\vec{n})|^2 B^2(\vec{n}) \exp(2i\pi \vec{u} \cdot \vec{x}) d\vec{n}$$

*Un interféromètre mesure la transformée de Fourier du signal dans le champ observé*

$$\ell = 2\pi \|\vec{u}\|$$



# The QUBIC collaboration



SAPIENZA  
UNIVERSITÀ DI ROMA



BROWN



RICHMOND



MANCHESTER  
1824  
The University of Manchester



NUI MAYNOOTH  
Óllscoil na hÉireann Baile Átha Cliath



UNIVERSITÀ  
DEGLI STUDI  
DI MILANO  
BICOCCA



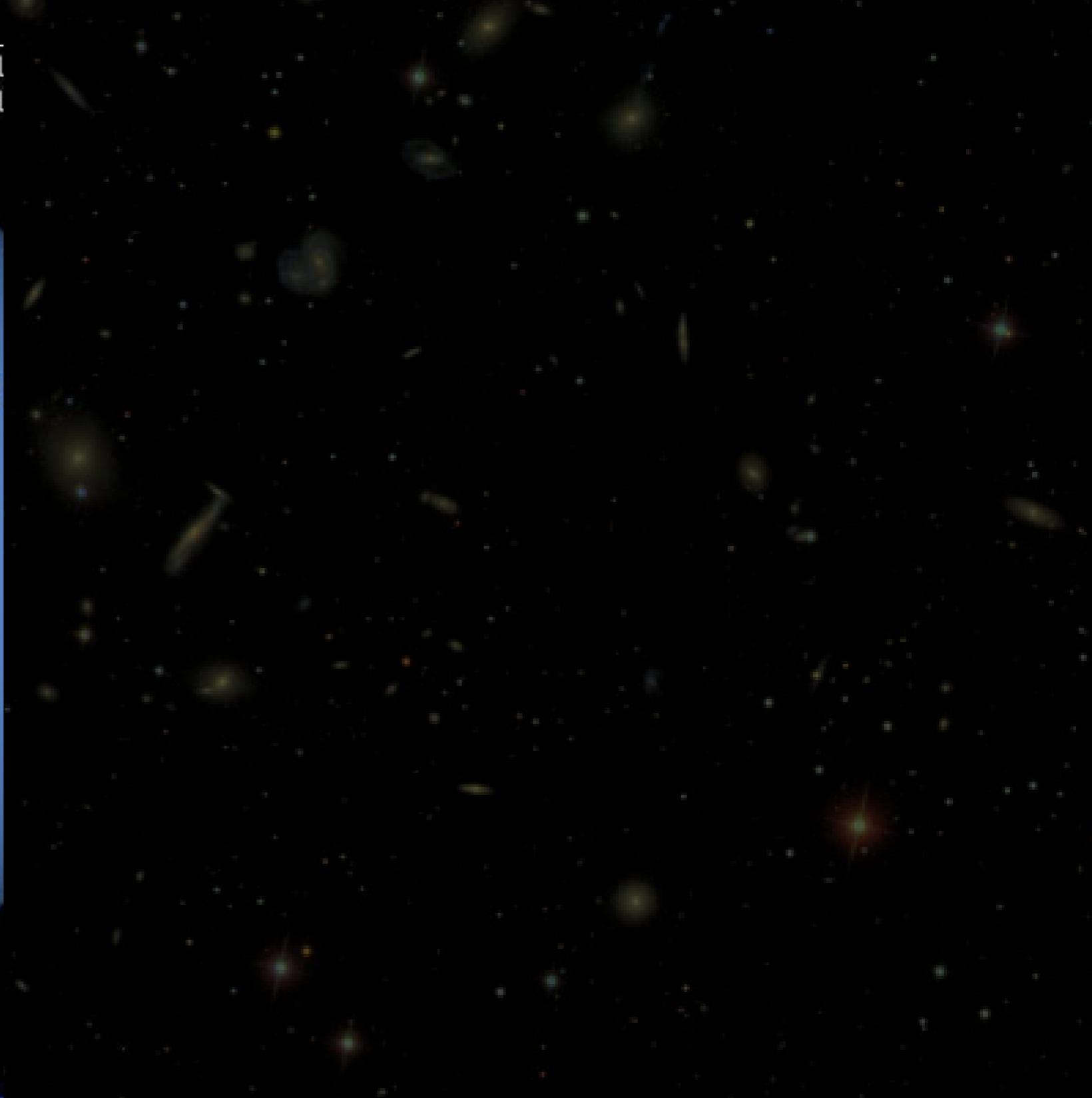
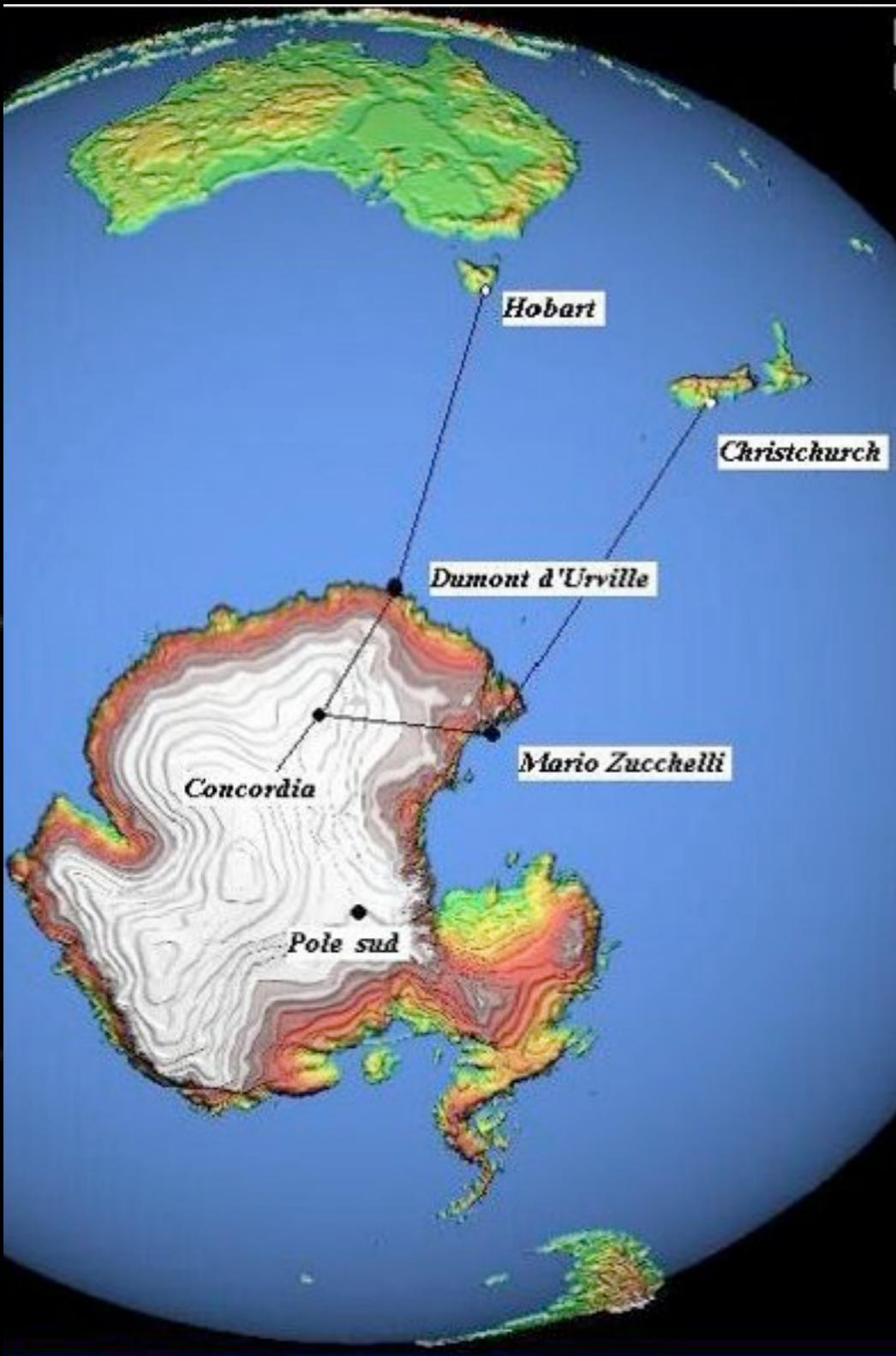
APC Paris, France  
IAS Orsay, France  
CSNSM Orsay, France  
CESR Toulouse, France  
Maynooth University, Ireland  
Universita di Milano-Bicocca, Italy  
Universita La Sapienza, Roma, Italy  
University of Manchester, UK  
Richmond University, USA  
Brown University, USA  
University of Wisconsin, USA

E. Battistelli<sup>e</sup>, A. Baú<sup>f</sup>, D. Bennett<sup>l</sup>, L. Bergé<sup>c</sup>, J.-Ph. Bernard<sup>b</sup>, P. de Bernardis<sup>e</sup>, G. Bordier<sup>a</sup>, A. Bounab<sup>b</sup>, É. Bréelle<sup>a</sup>, E.F. Bunn<sup>j</sup>, M. Calvo<sup>e</sup>, R. Charlassier<sup>a</sup>, S. Collin<sup>c</sup>, A. Coppolecchia<sup>e</sup>, A. Cruciani<sup>e</sup>, G. Curran<sup>l</sup>, M. de Petris<sup>e</sup>, L. Dumoulin<sup>c</sup>, A. Gault<sup>i</sup>, M. Gervasi<sup>f</sup>, A. Ghribi<sup>a</sup>, M. Giard<sup>b</sup>, C. Giordano<sup>e</sup>, Y. Giraud-Héraud<sup>a</sup>, M. Gradziel<sup>l</sup>, L. Guglielmi<sup>a</sup>, J.-Ch. Hamilton<sup>a,\*</sup>, V. Haynes<sup>g</sup>, J. Kaplan<sup>a</sup>, A. Korotkov<sup>h</sup>, J. Landé<sup>b</sup>, B. Maffei<sup>g</sup>, M. Maiello<sup>m</sup>, S. Malu<sup>k</sup>, S. Marnieros<sup>c</sup>, J. Martino<sup>a</sup>, S. Masi<sup>e</sup>, A. Murphy<sup>l</sup>, F. Nati<sup>e</sup>, C. O'Sullivan<sup>l</sup>, F. Pajot<sup>d</sup>, A. Passerini<sup>f</sup>, S. Peterzen<sup>e</sup>, F. Piacentini<sup>e</sup>, M. Piat<sup>a</sup>, L. Piccirillo<sup>g</sup>, G. Pisano<sup>g</sup>, G. Polenta<sup>e,n,o</sup>, D. Prêle<sup>a</sup>, D. Romano<sup>e</sup>, C. Rosset<sup>a</sup>, M. Salatino<sup>e</sup>, A. Schillaci<sup>e</sup>, G. Sironi<sup>f</sup>, R. Sordini<sup>e</sup>, S. Spinelli<sup>f</sup>, A. Tartari<sup>f</sup>, P. Timbie<sup>i</sup>, G. Tucker<sup>h</sup>, L. Vibert<sup>d</sup>, F. Voisin<sup>a</sup>, R.A. Watson<sup>g</sup>, M. Zannoni<sup>f</sup>, The QUBIC collaboration

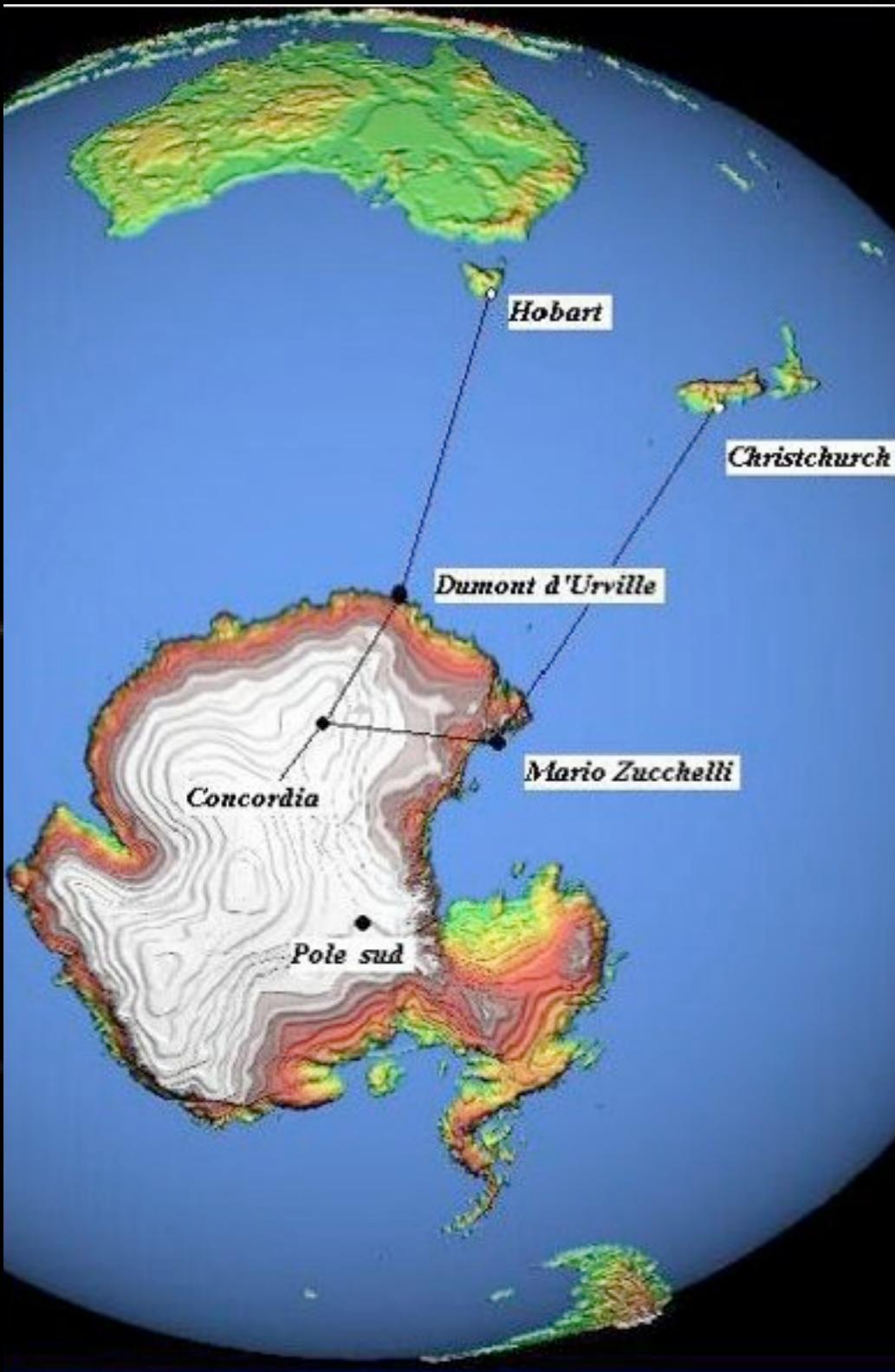
arXiv:1010.0645 ~ Astroparticle Physics 34 (2011) 705–71



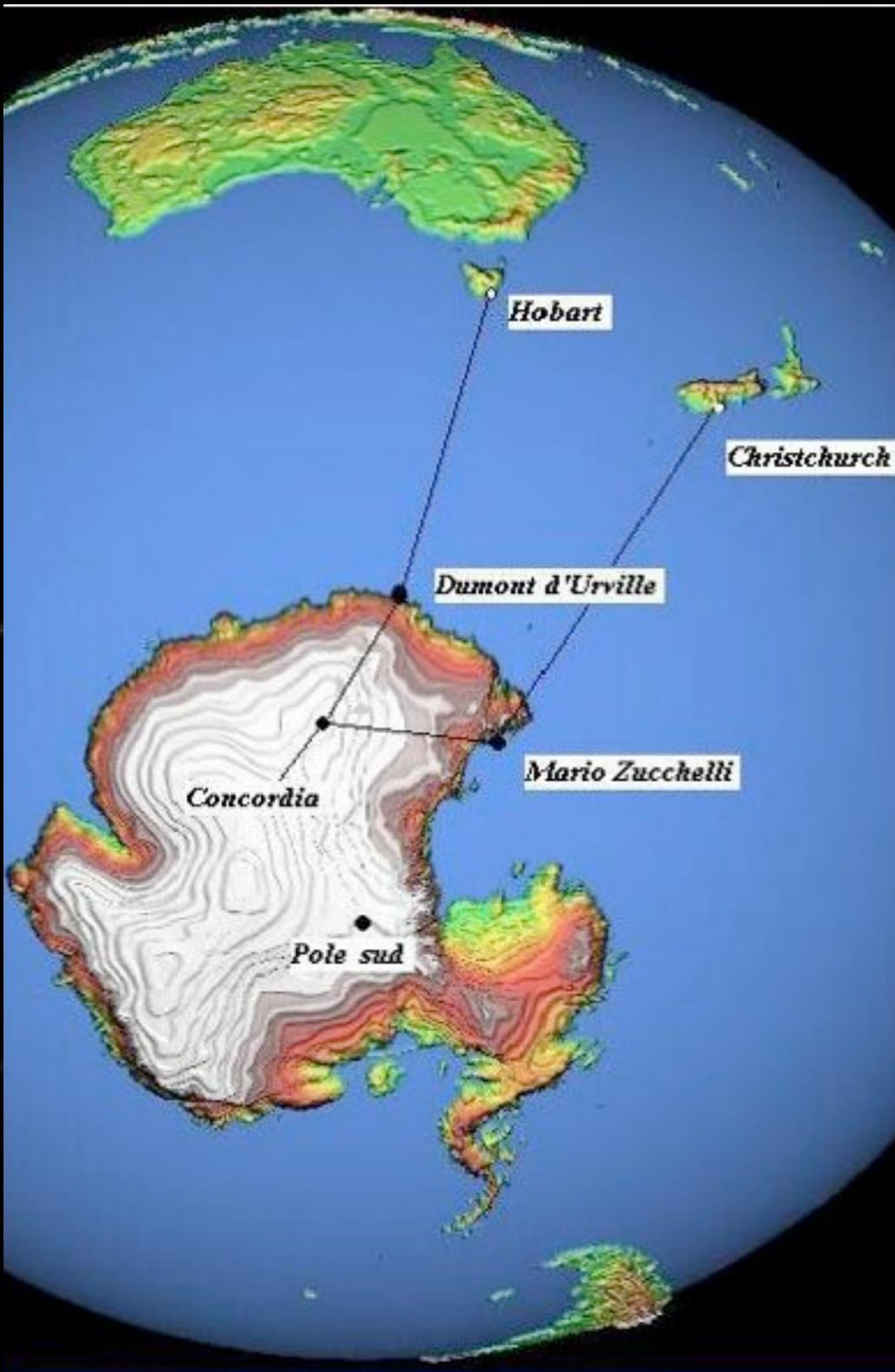
# QUBIC Site: Dome C, Antarctica



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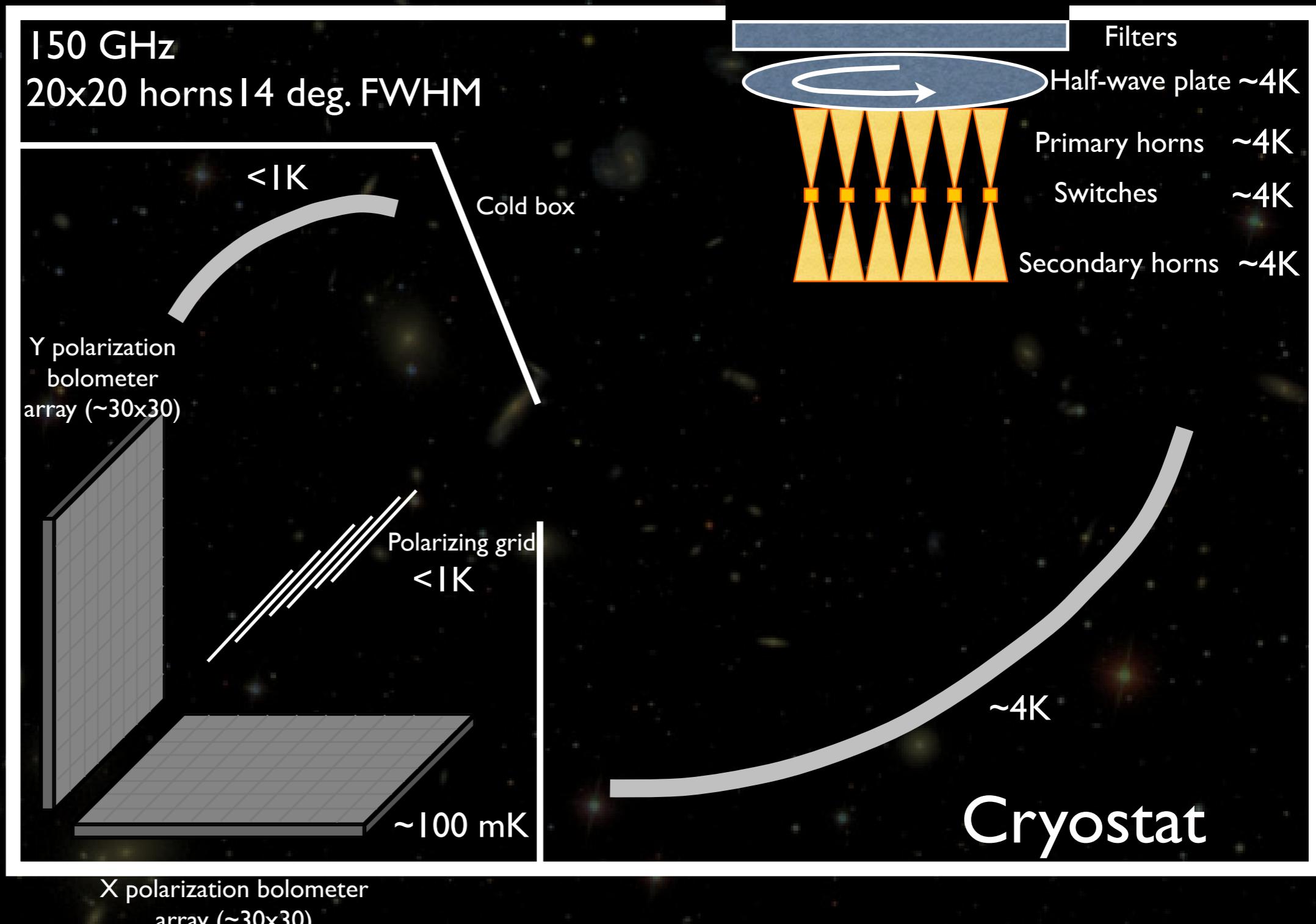
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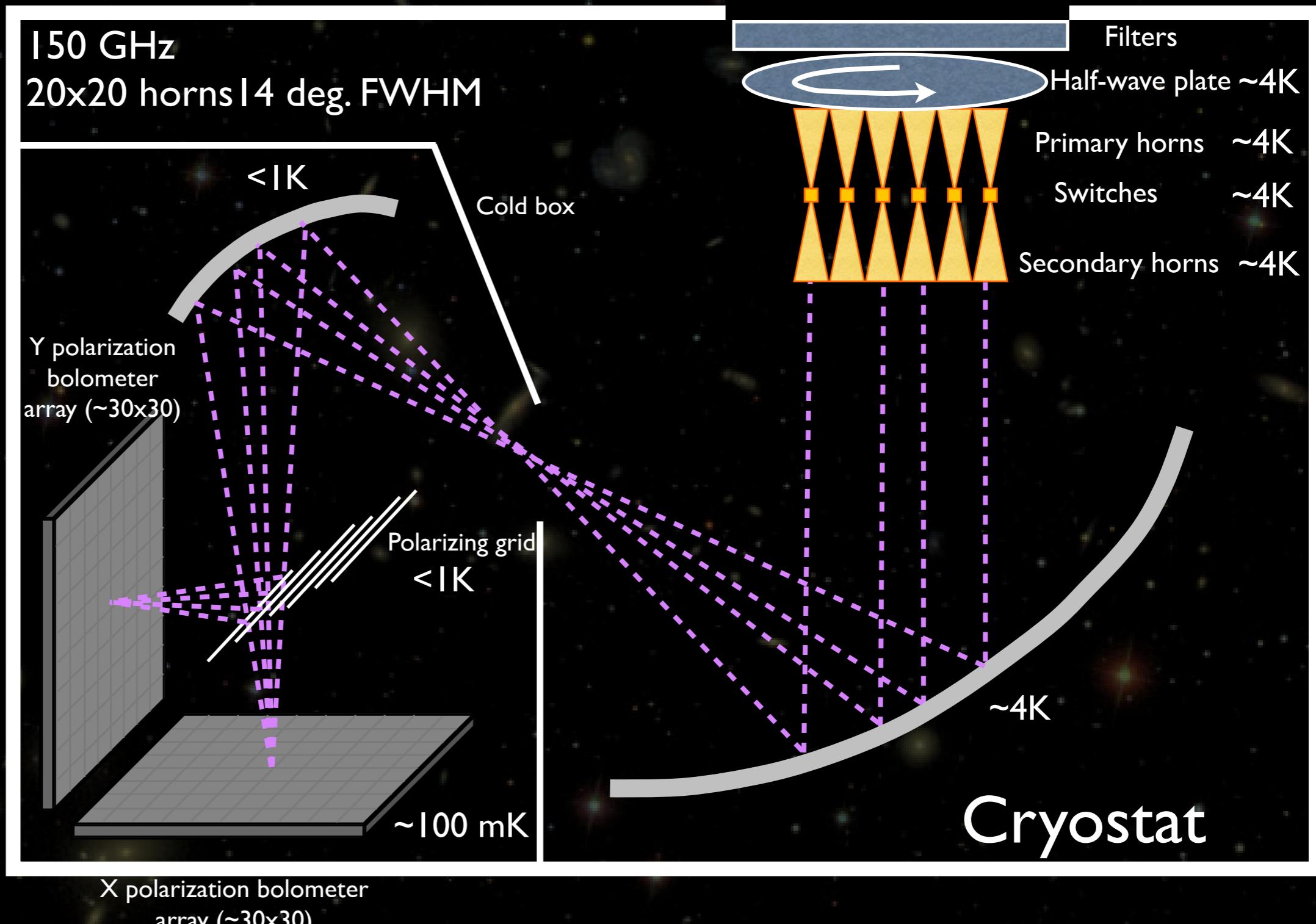
Great landscape

Healthy weather

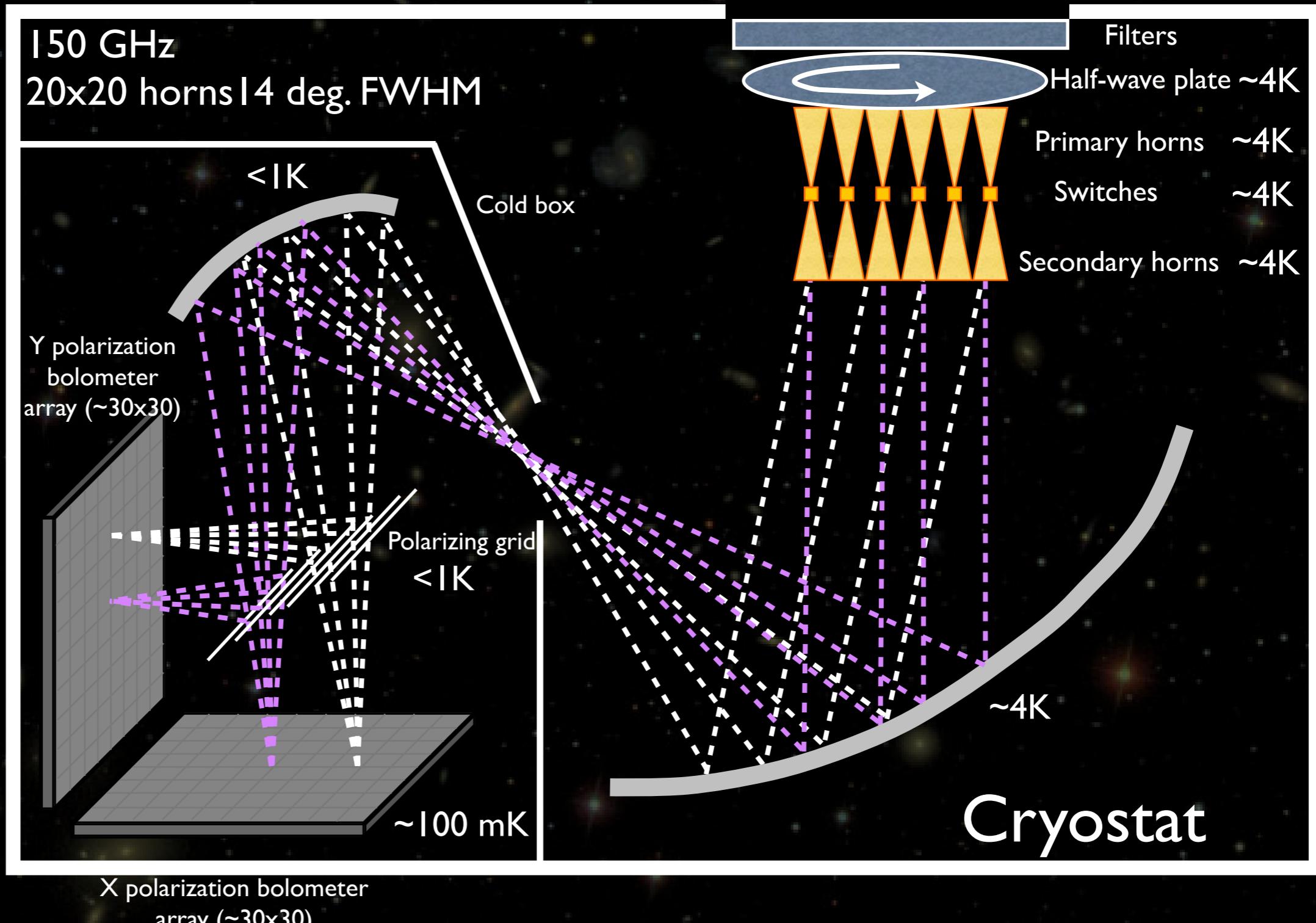
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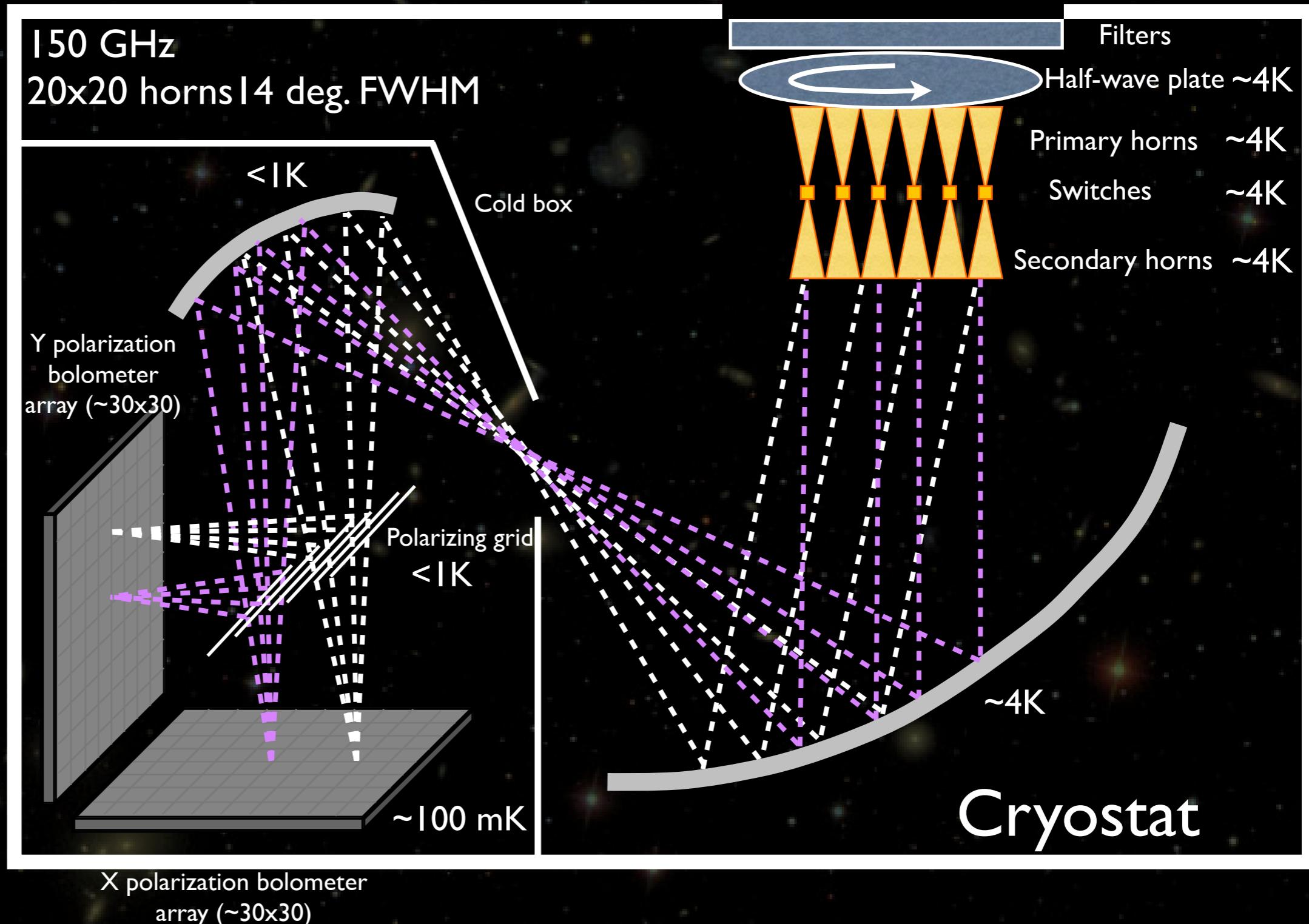
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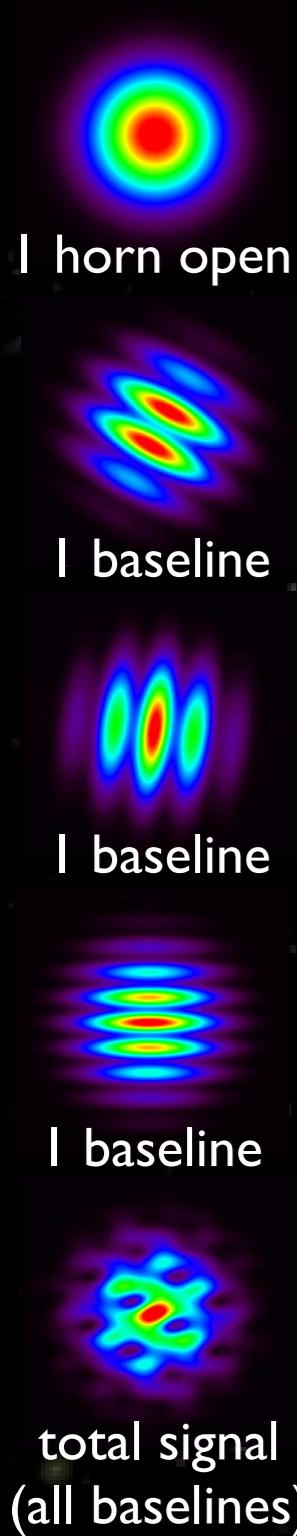
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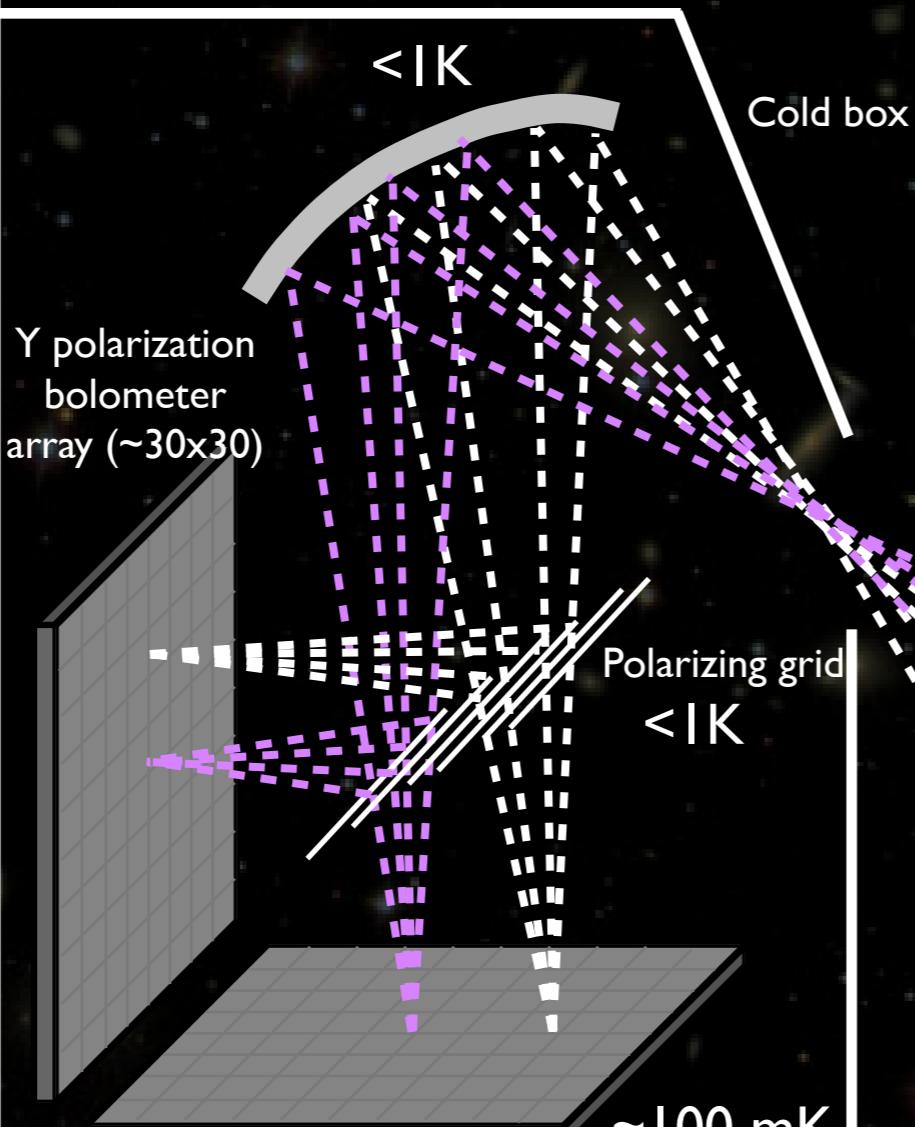
I horn open



# QUBIC design

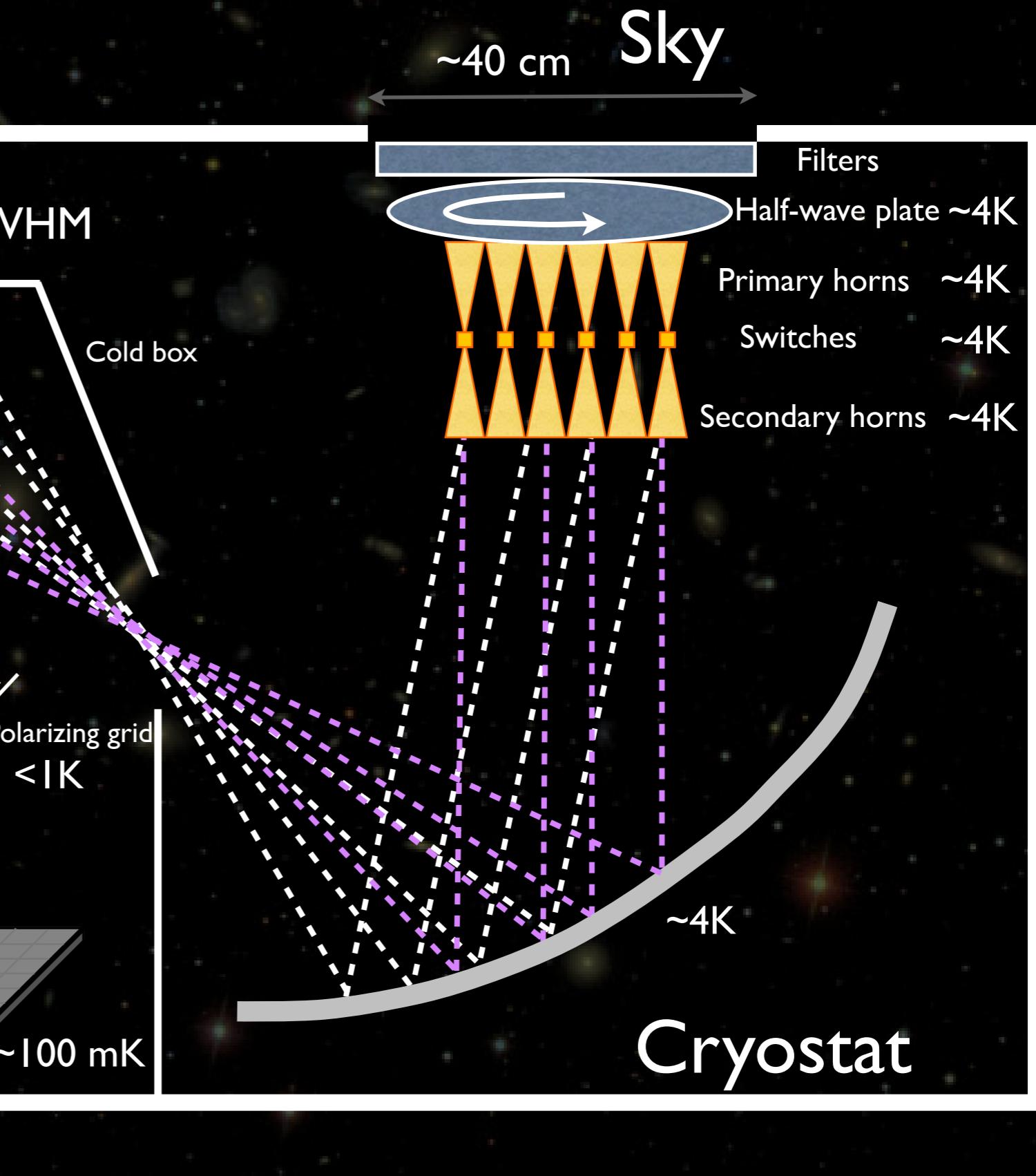


150 GHz  
20x20 horns | 4 deg. FWHM



~100 mK

X polarization bolometer  
array (~30x30)



~40 cm

Sky

Filters

Half-wave plate ~4K

Primary horns ~4K

Switches ~4K

Secondary horns ~4K

Cryostat

# Quasi Optical Combiner

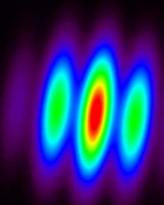
- Les images de tous les cornets sont superposées sur la matrice de bolomètres
- On forme des franges d'interférence



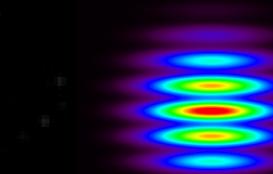
1 cornet



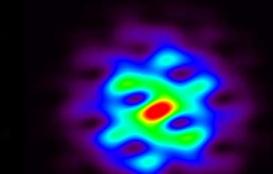
1 ligne  
de base



1 ligne  
de base



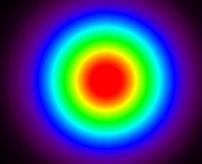
1 ligne  
de base



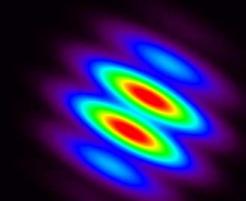
signal  
final

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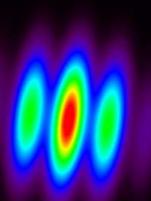
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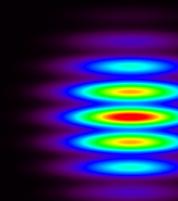
I cornet



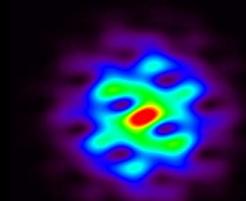
I ligne de base



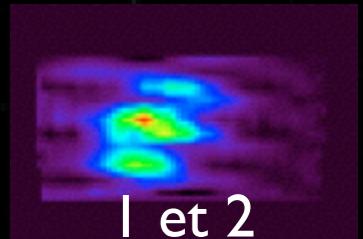
I ligne de base



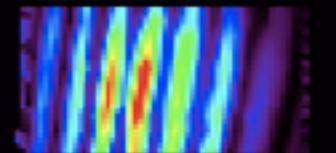
I ligne de base



signal final



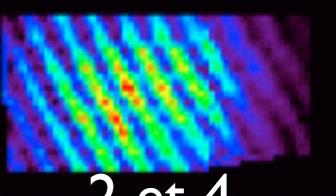
I et 2



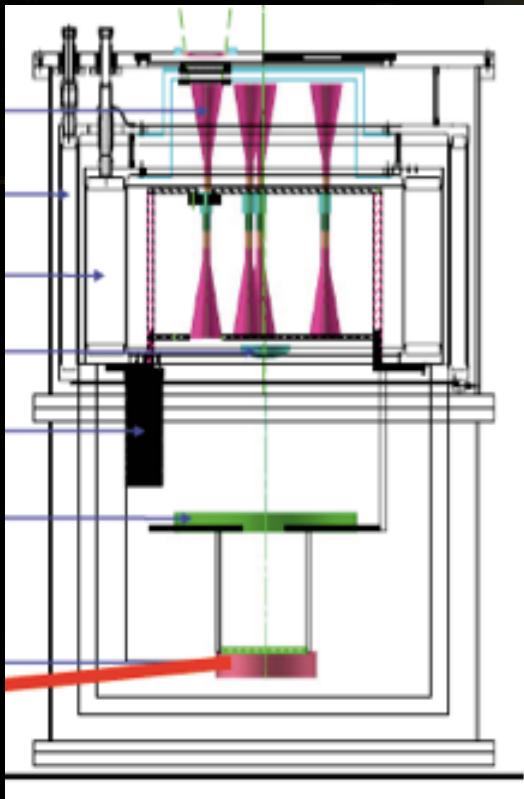
I et 3



2 et 3



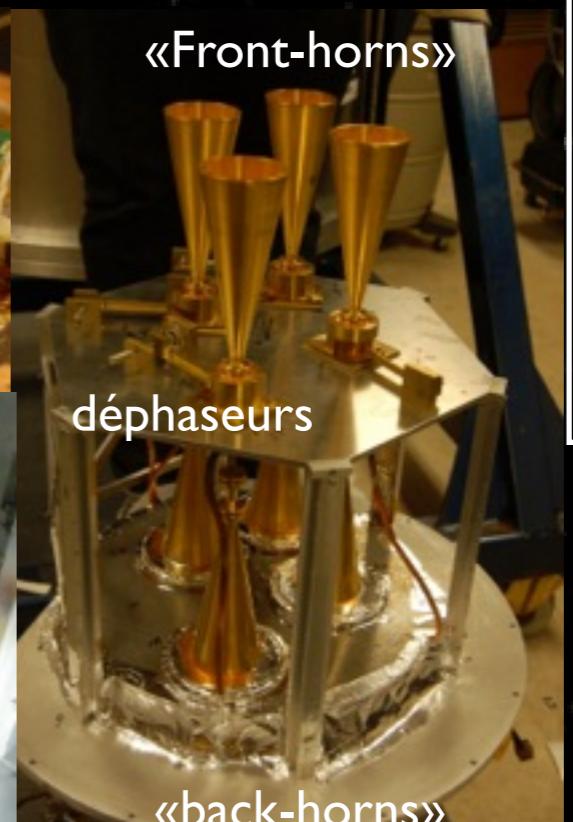
2 et 4



Cryostat MBI-4



Plan focal (bolomètres)  
Miroir secondaire et  
sortie des «back-horns»



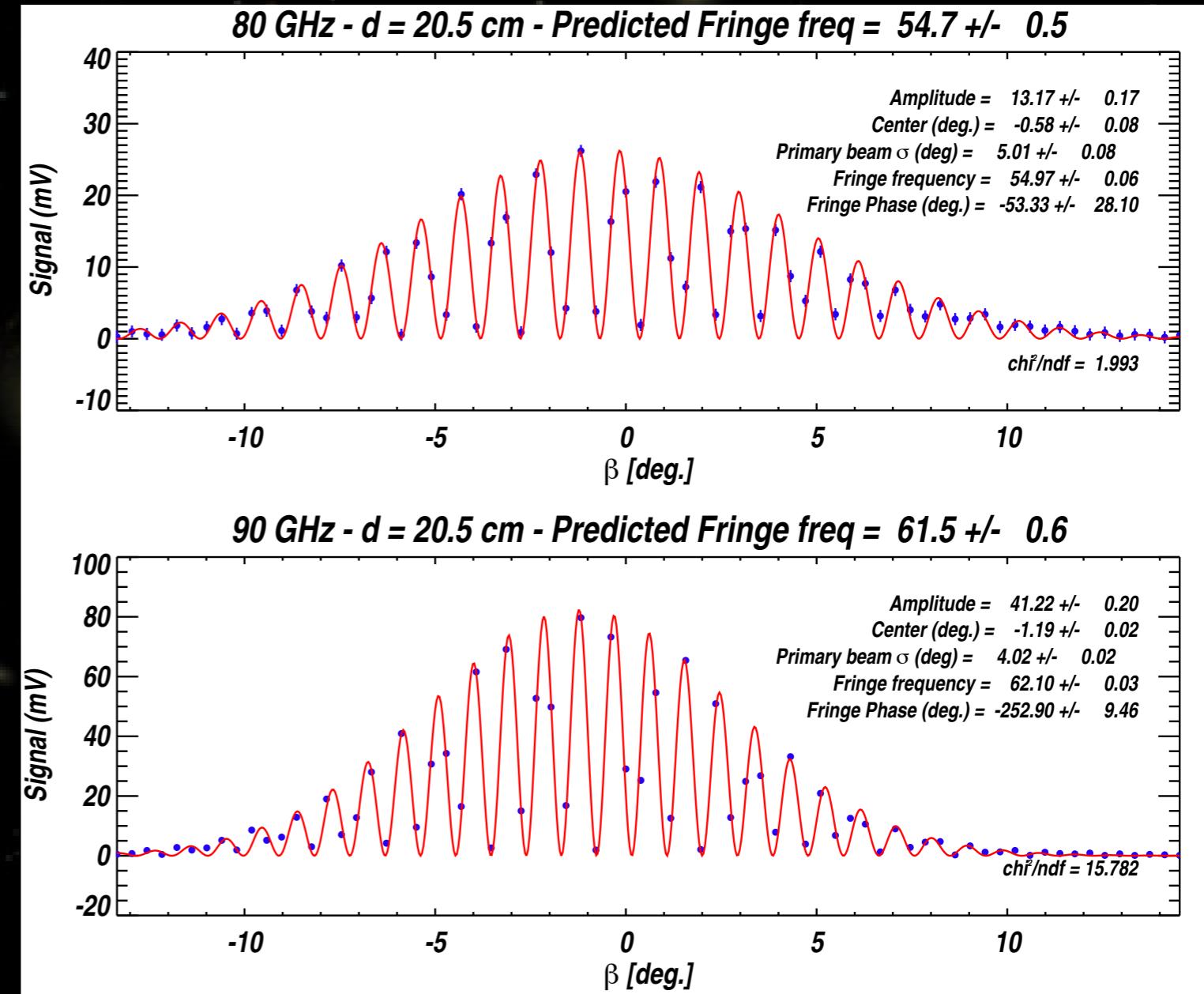
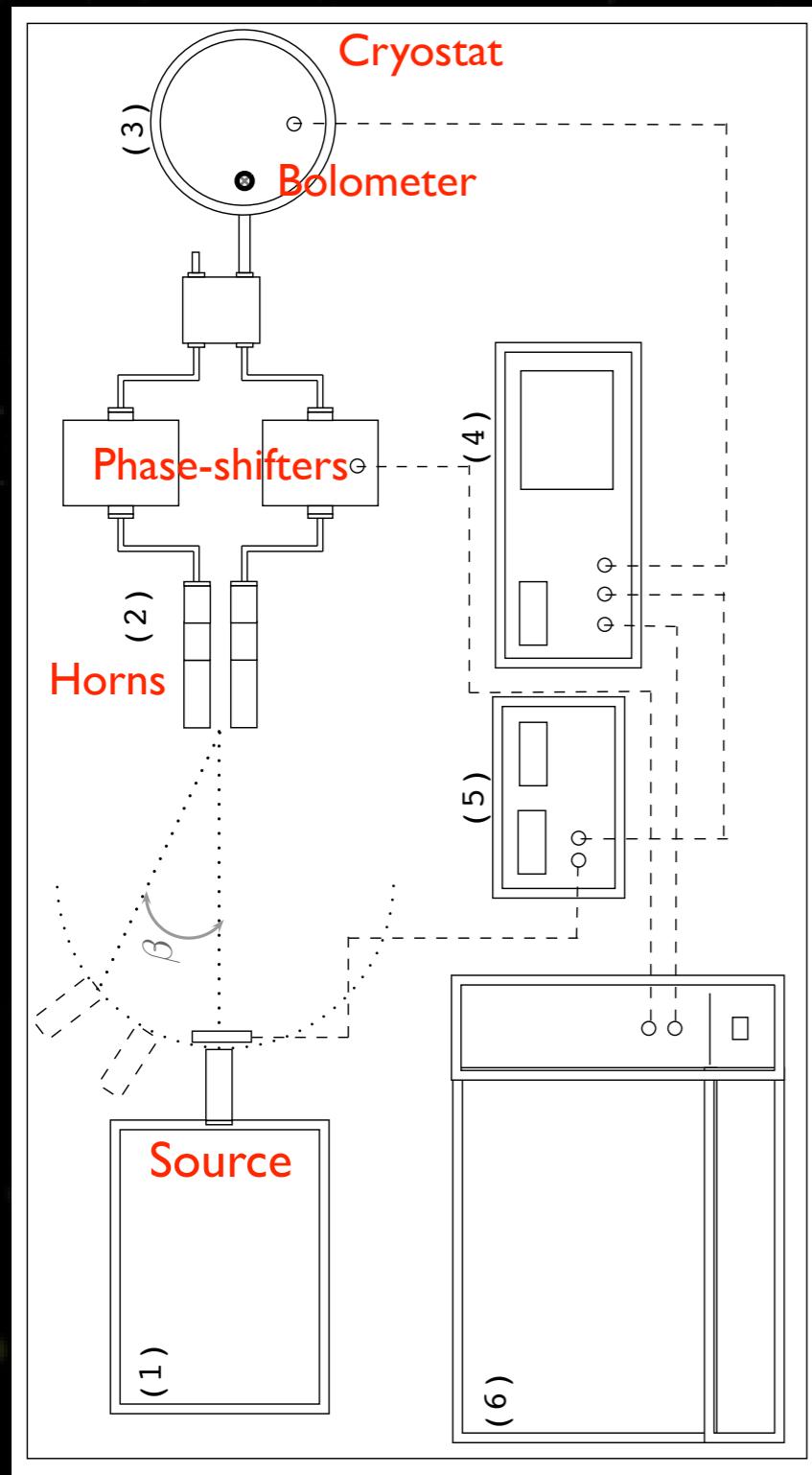
«Front-horns»  
déphasateurs

«back-horns»

Données MBI-4  
campagne 2009  
(PBO- Wisc.)



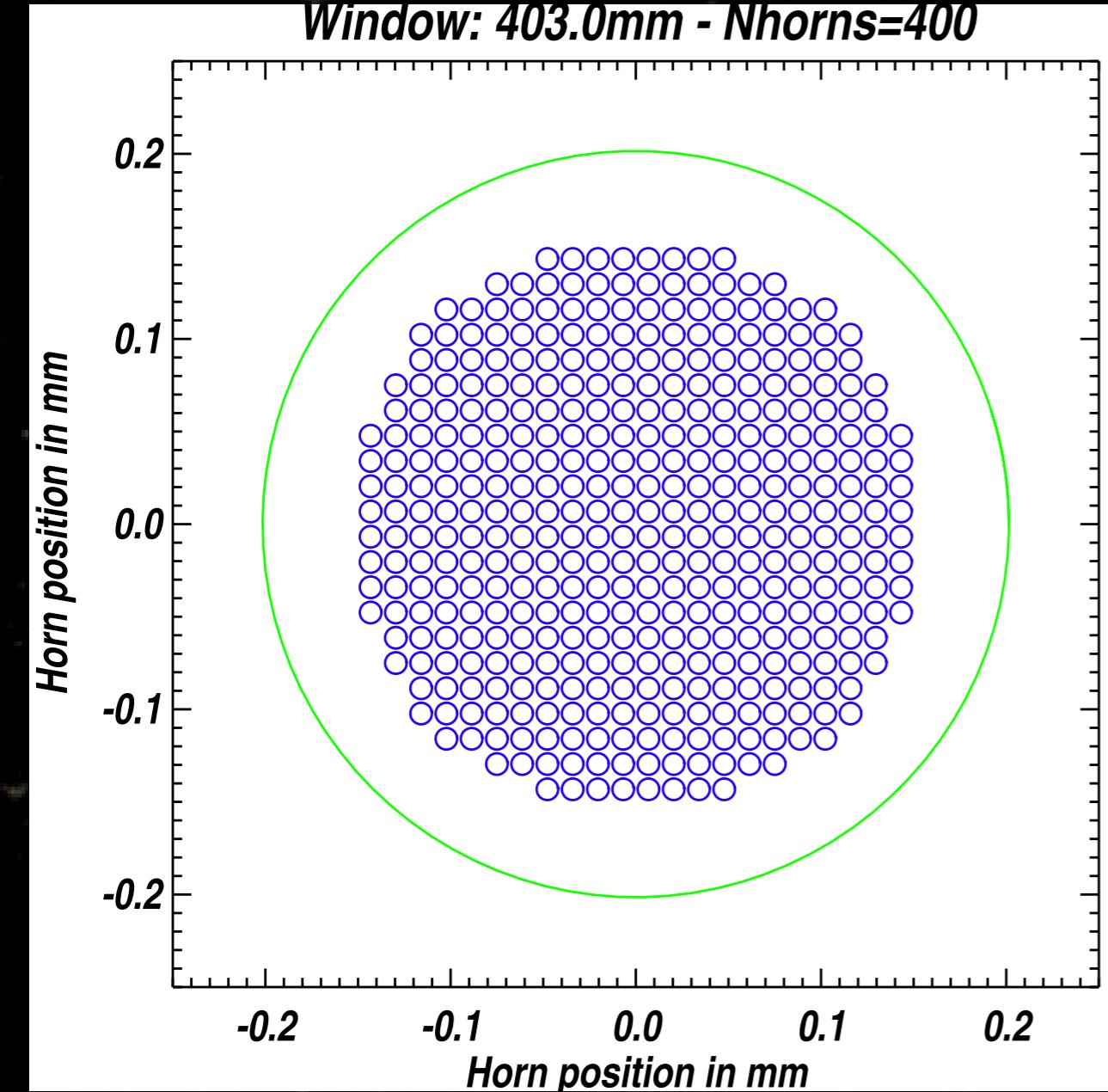
# Also observed with DIBO@APC



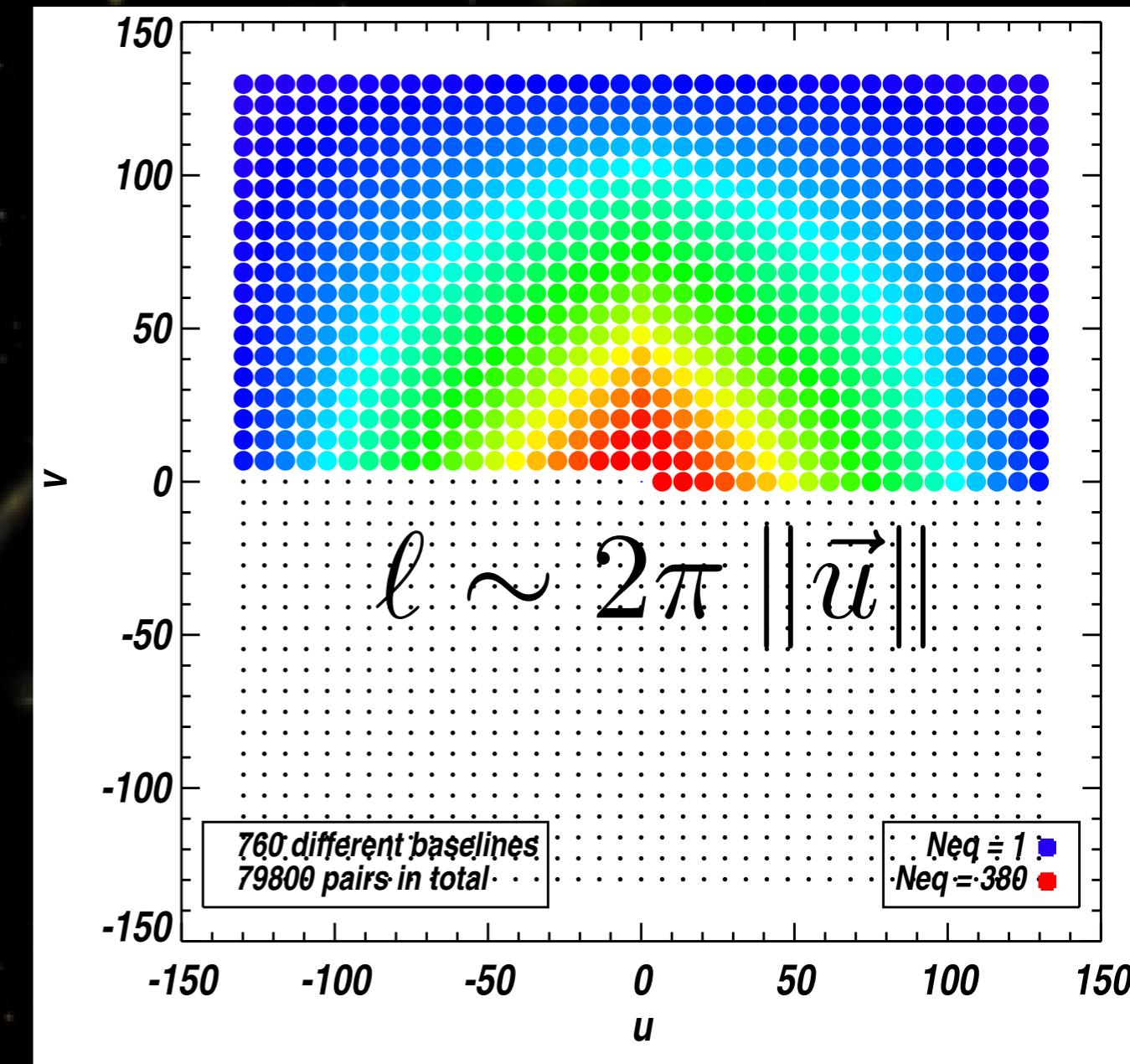
# Horns and baselines

Primary horns array

Window: 403.0mm - Nhorns=400



Fourier plane coverage

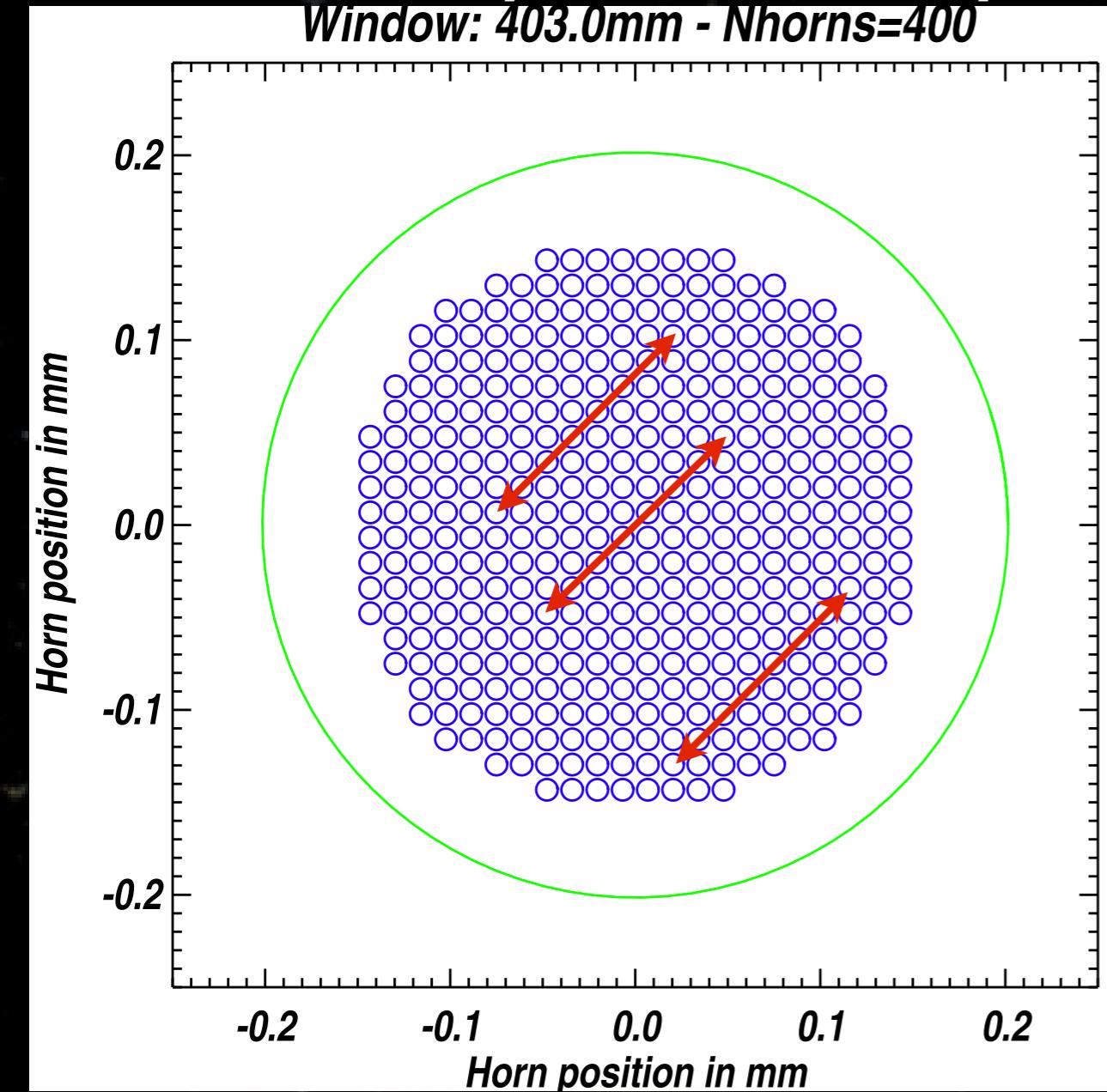


150 GHz, 20x20 horns, 14 deg. FWHM, D=1.2 cm

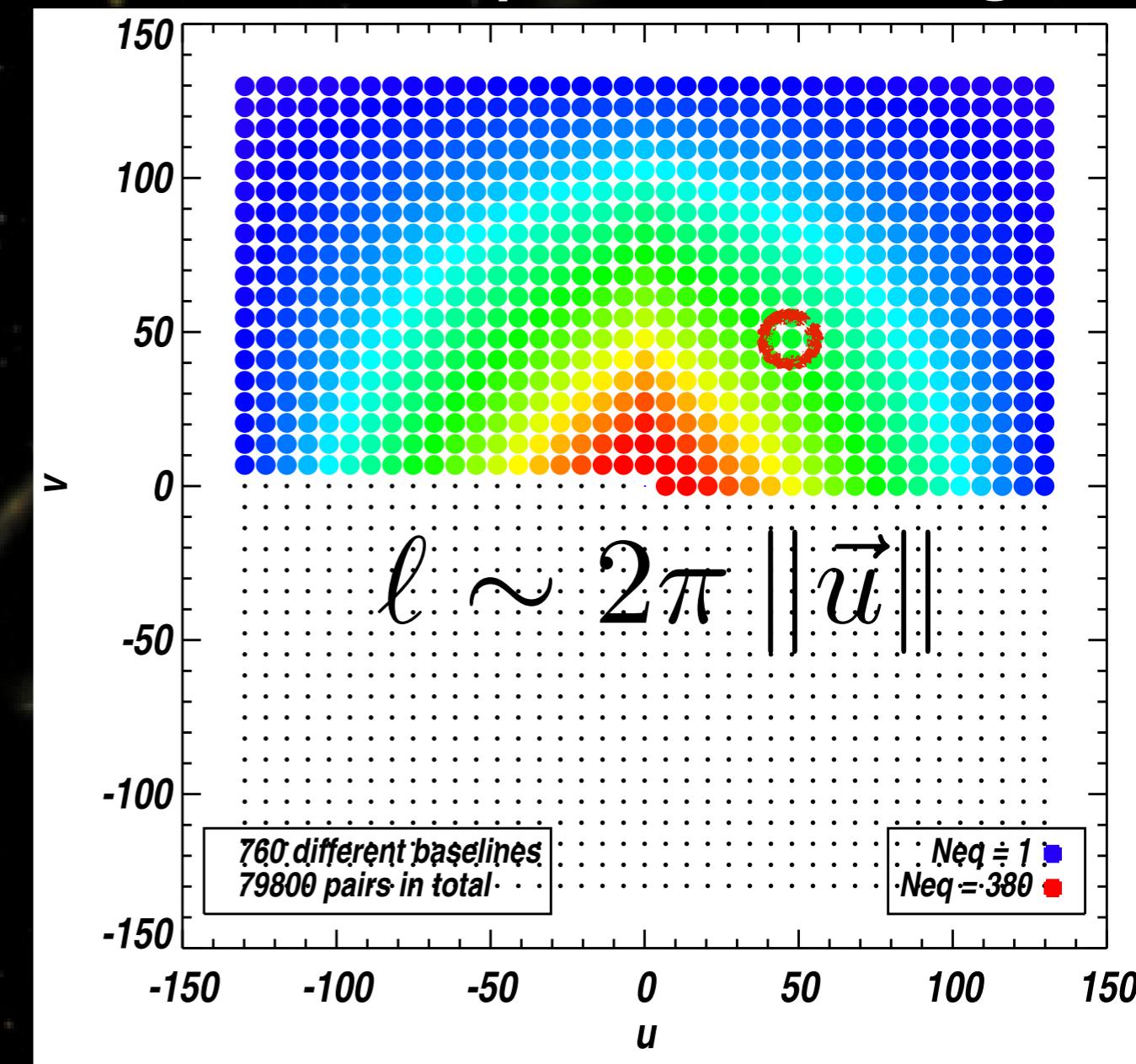
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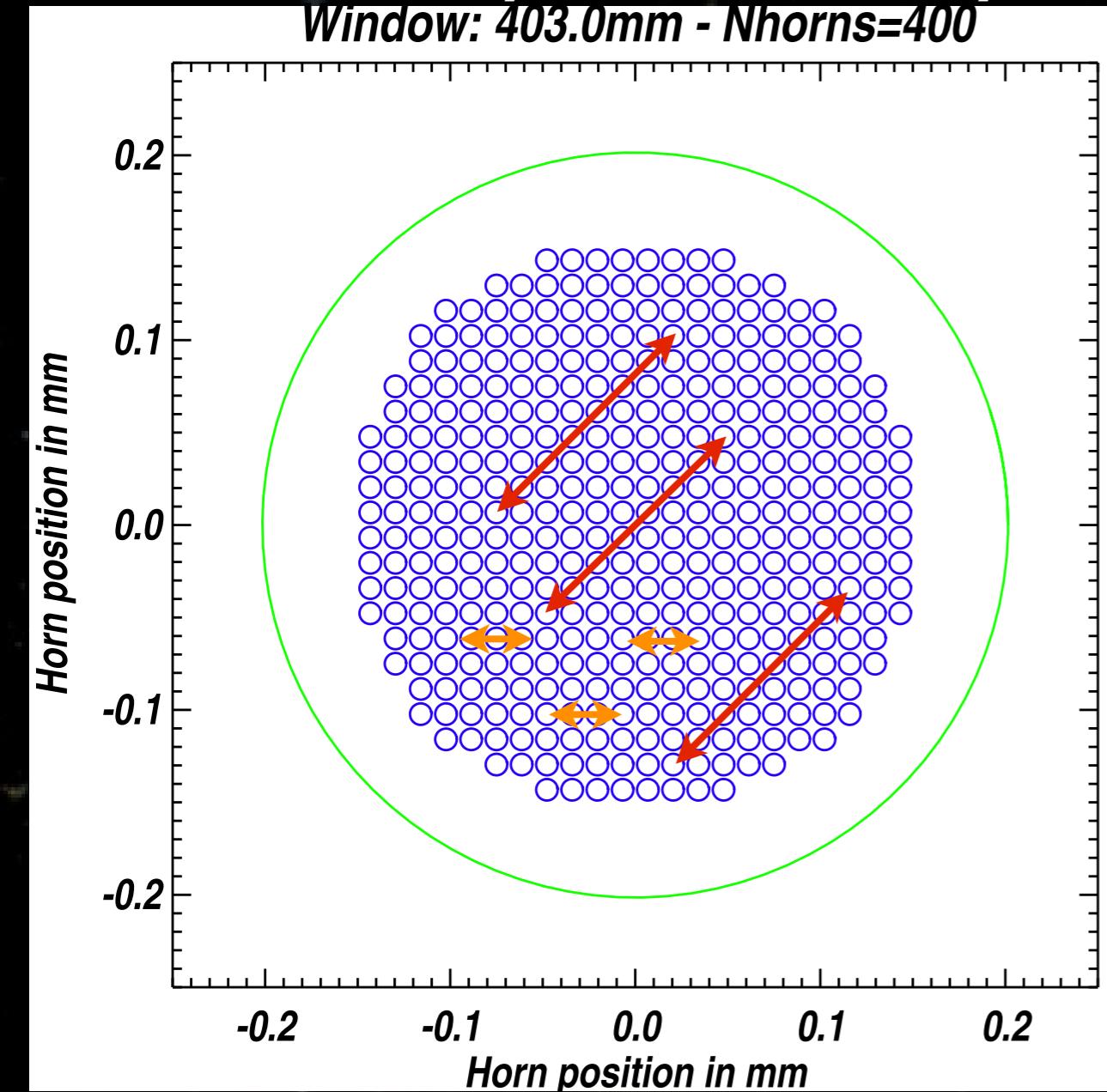


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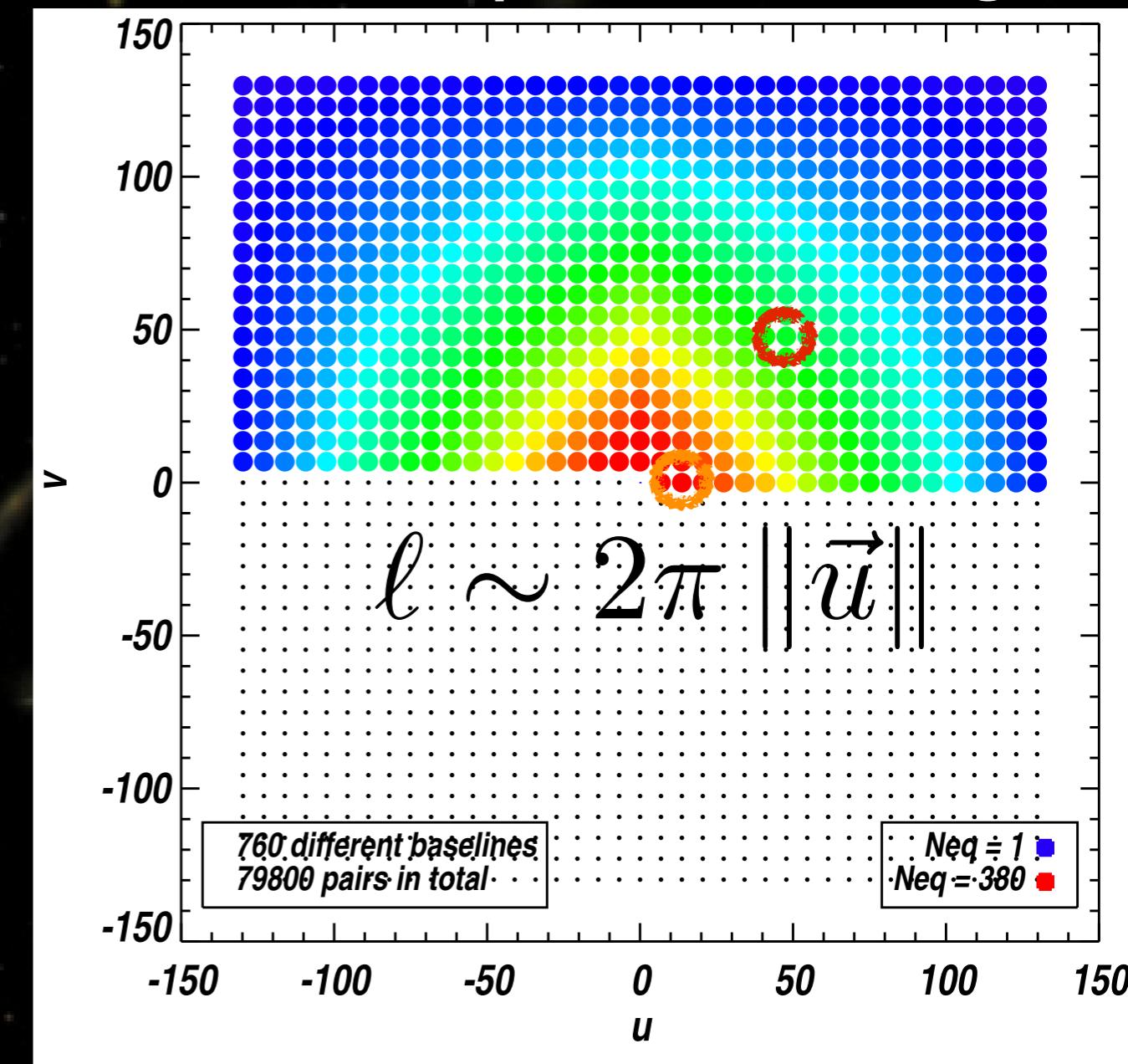
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# Signal in QUBIC

- Signal on bolometer  $d_p$  (HWP modulation) :

$$R(\vec{d}_p, t) = S_I(\vec{d}_p) \pm \cos(4\omega t)S_Q(\vec{d}_p) \pm \sin(4\omega t)S_U(\vec{d}_p)$$

- where  $S_X$  is the «synthesized image» : our observable

- FFT of visibilities in traditional interferometry
- Sky convolved with the «synthetic beam»

$$S_X(\vec{d}_p) = \int X(\vec{n})B_s^p(\vec{n})d\vec{n}$$

- Synthetic beam formed by the set of baselines

★ ( $x_i$  = locations of primary horns,  $D_f$  = focal length of the combiner)

$$B_s^p(\vec{n}) = B_{\text{prim}}(\vec{n}) \int \int B_{\text{sec}}(\vec{d}) \times \left| \sum_i \exp \left[ i2\pi \frac{\vec{x}_i}{\lambda} \cdot \left( \frac{\vec{d}}{D_f} - \vec{n} \right) \right] \right|^2 J(\vec{\nu}) \Theta(\vec{d} - \vec{d}_p) d\nu d\vec{d}$$

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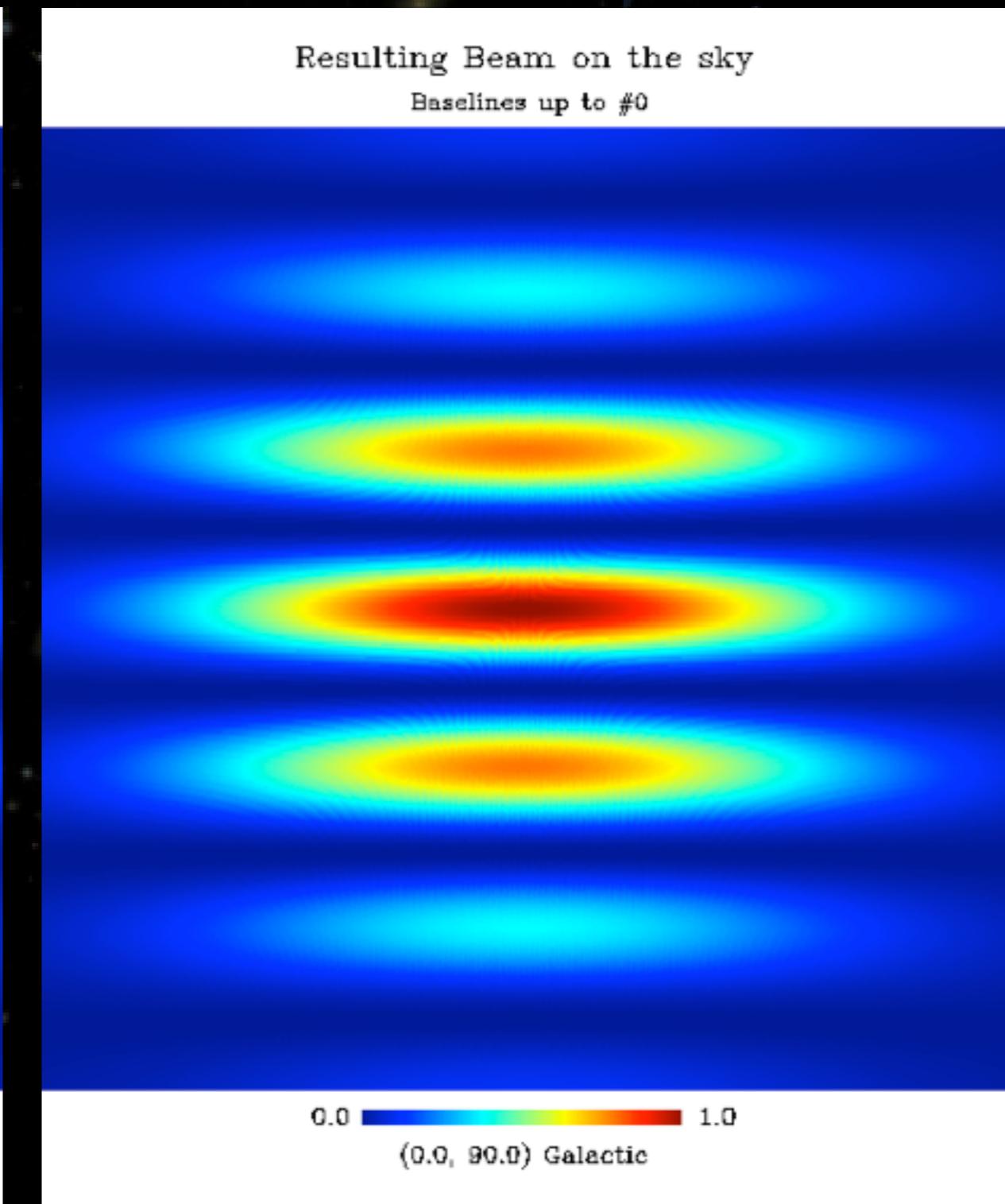
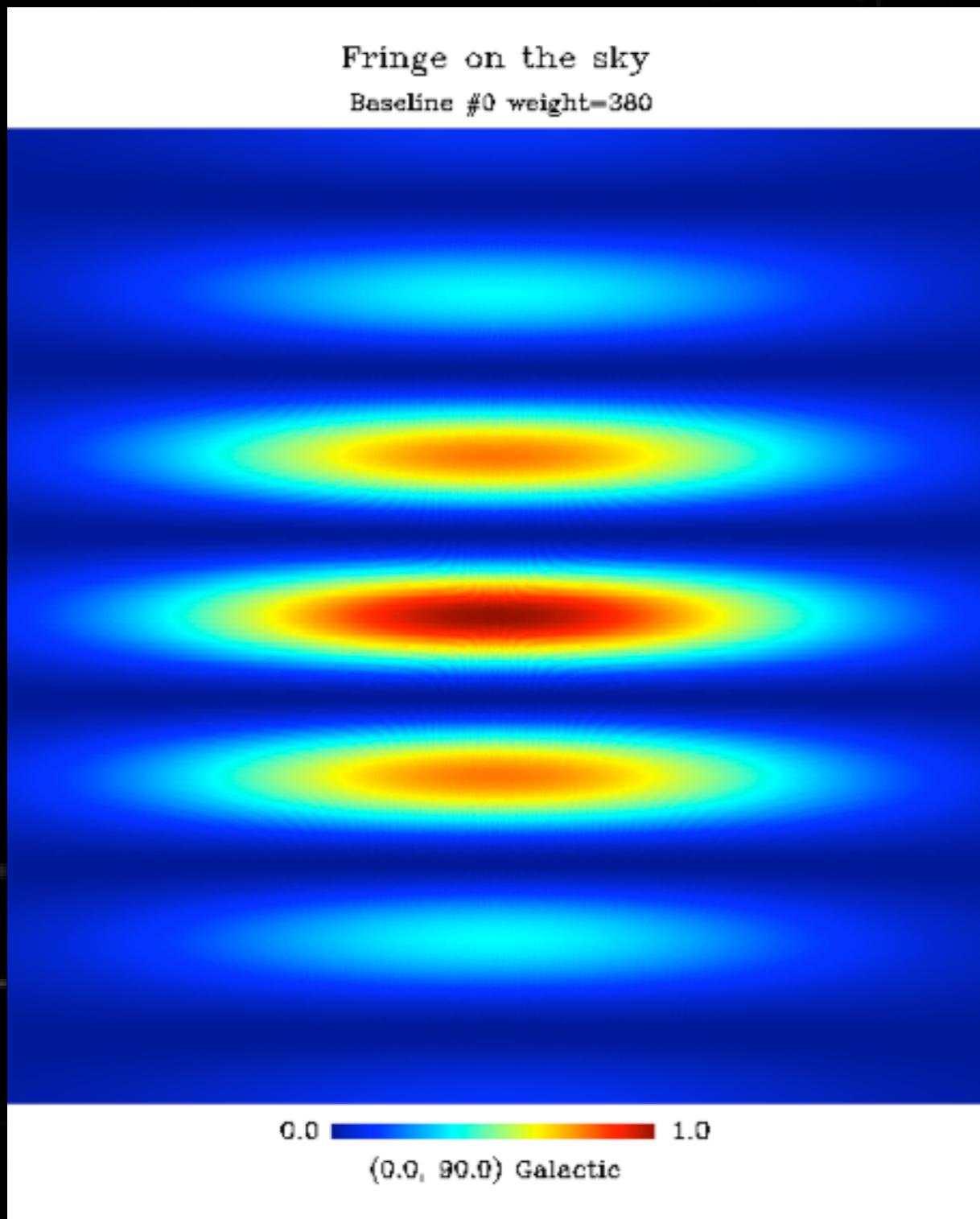
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QUBIC is an imager where the pupil has been filled with holes in order to filter the sky in Fourier space

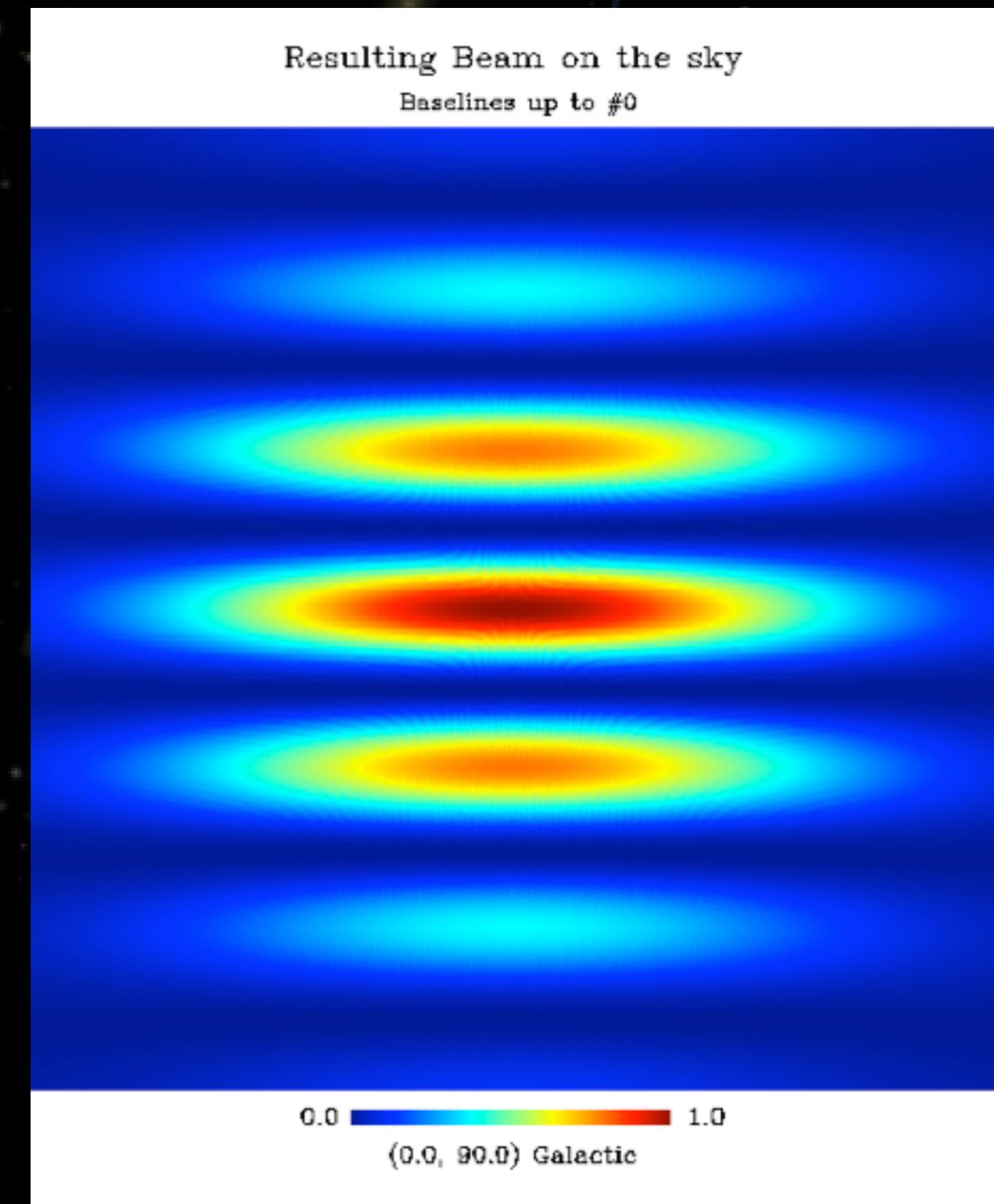
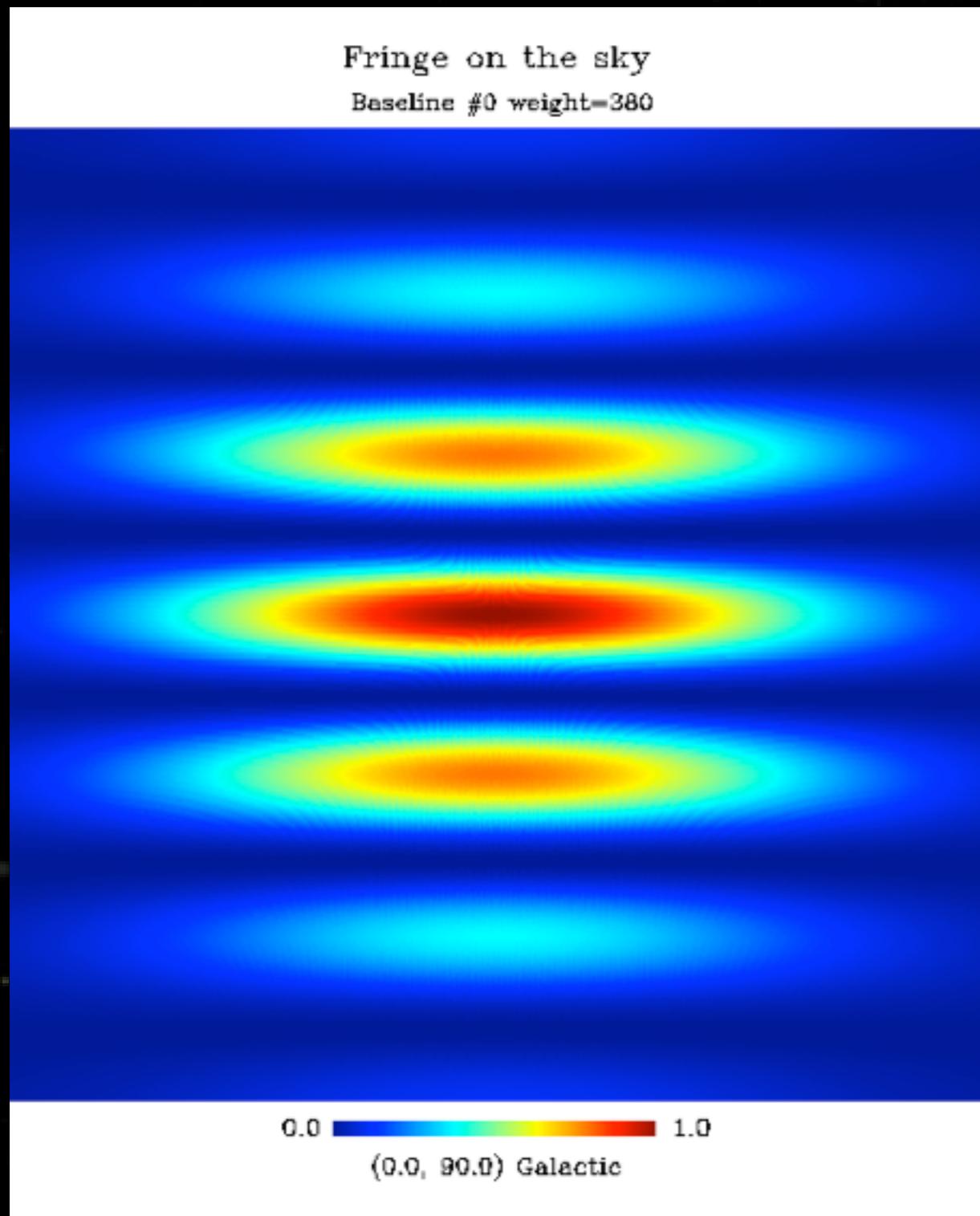
↔ An imager with the synthesized beam



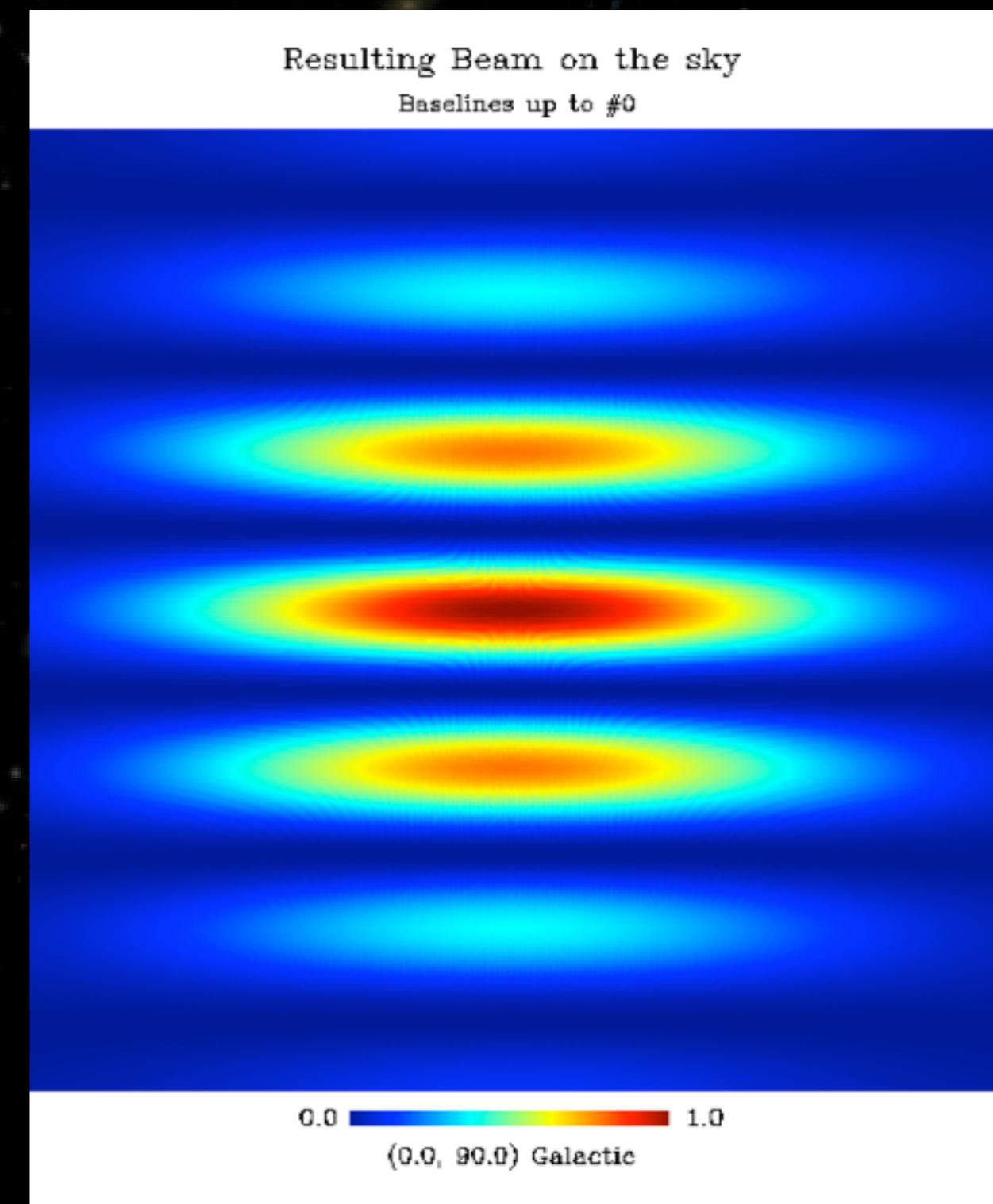
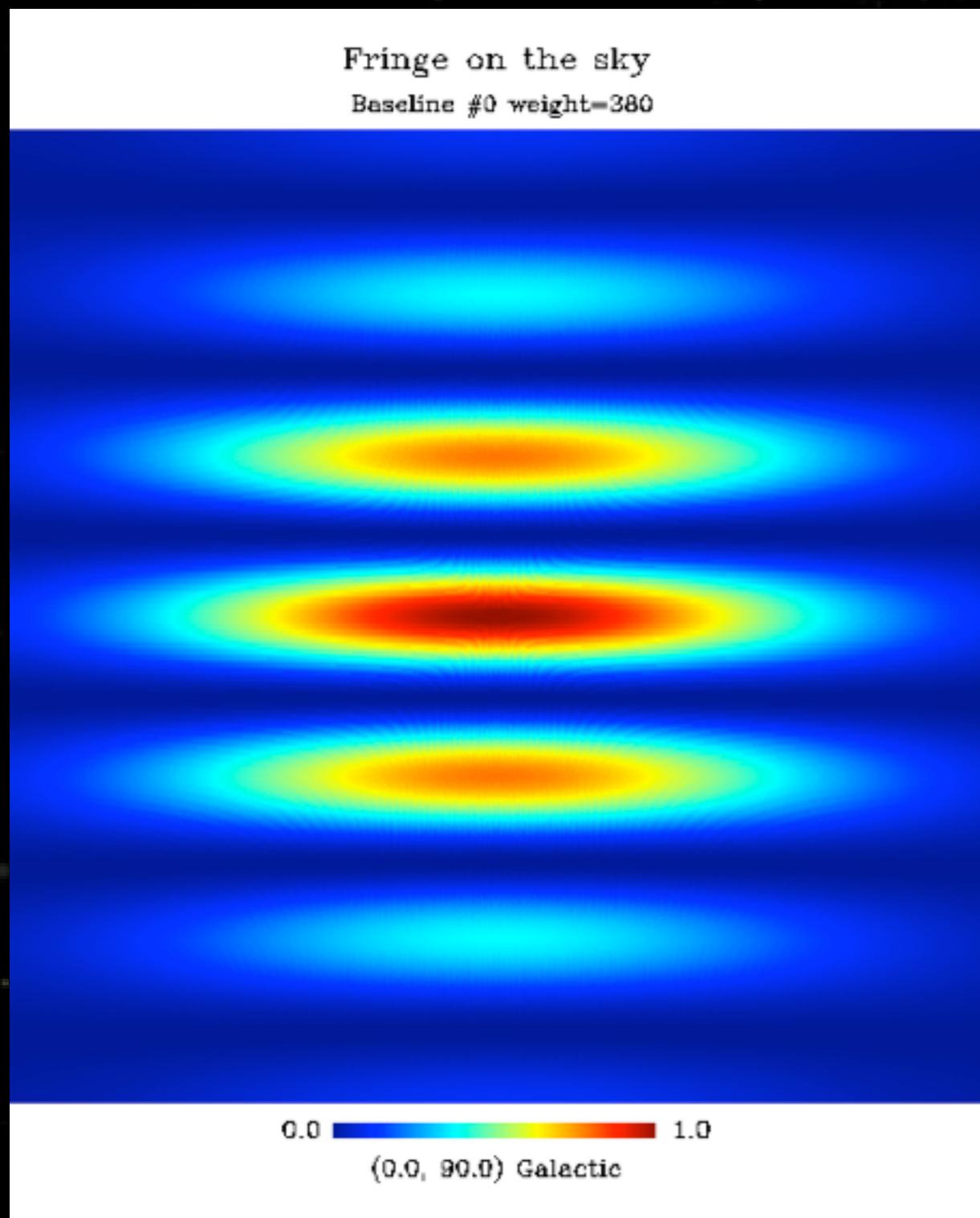
# Synthesized beam on the sky



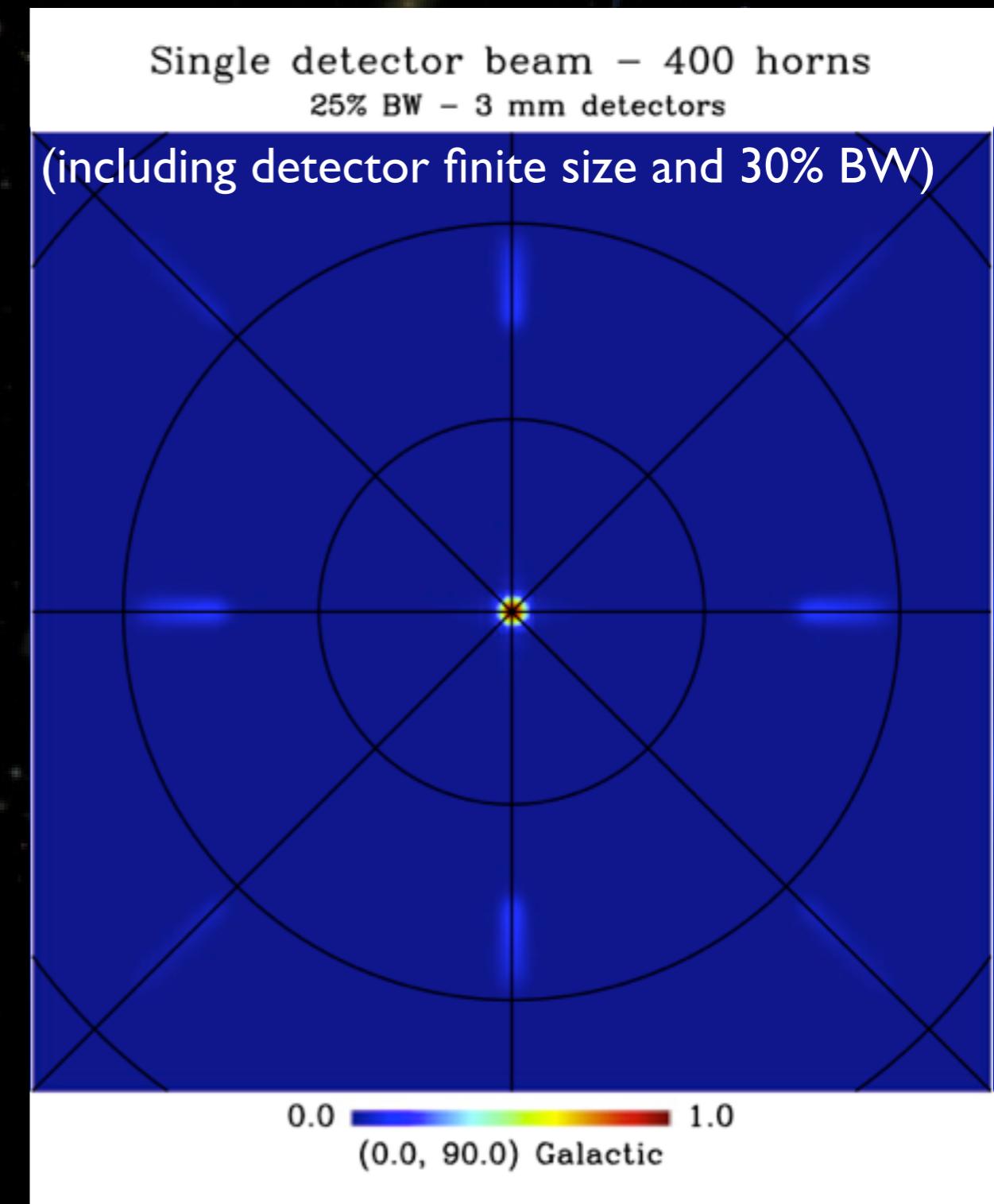
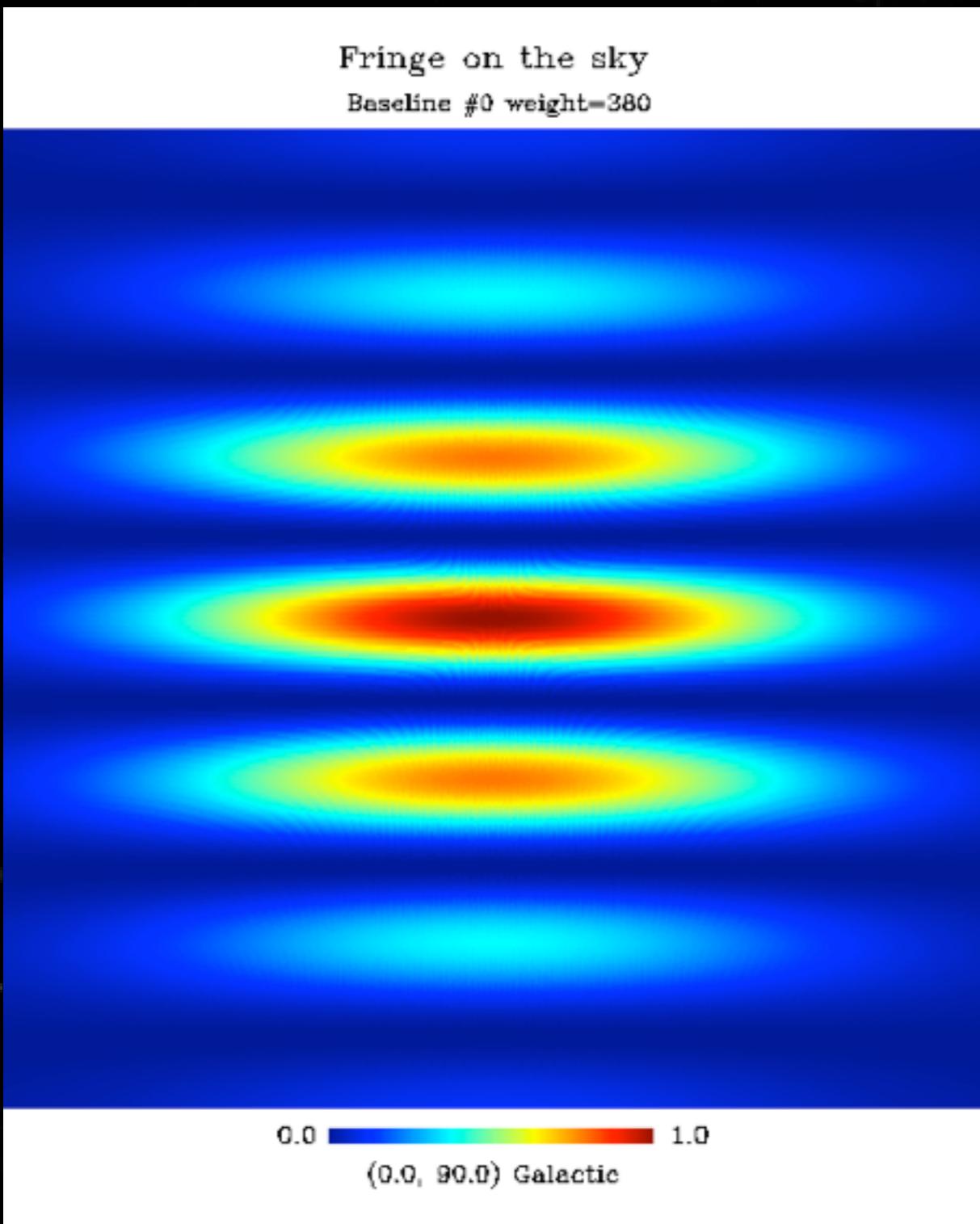
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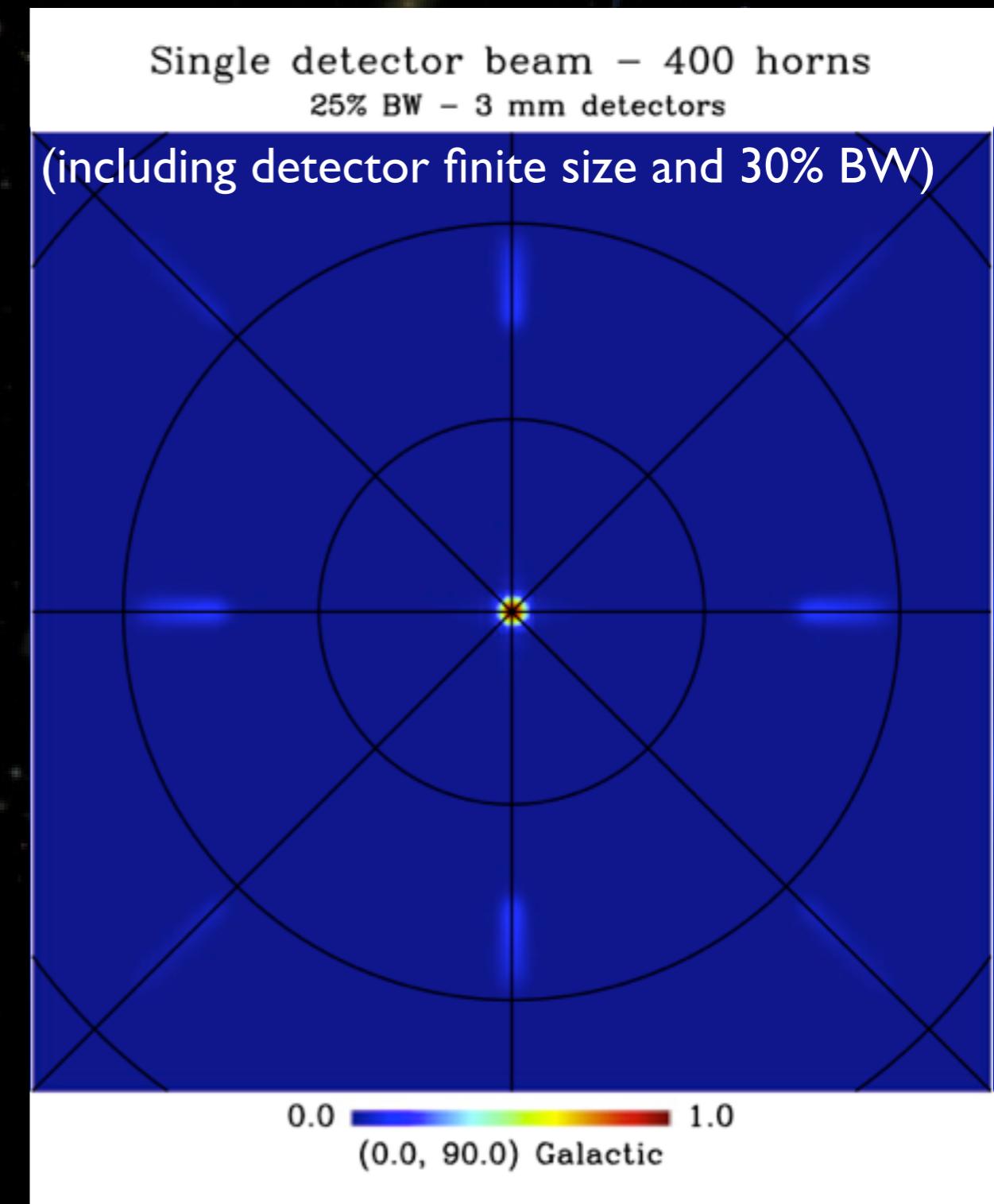
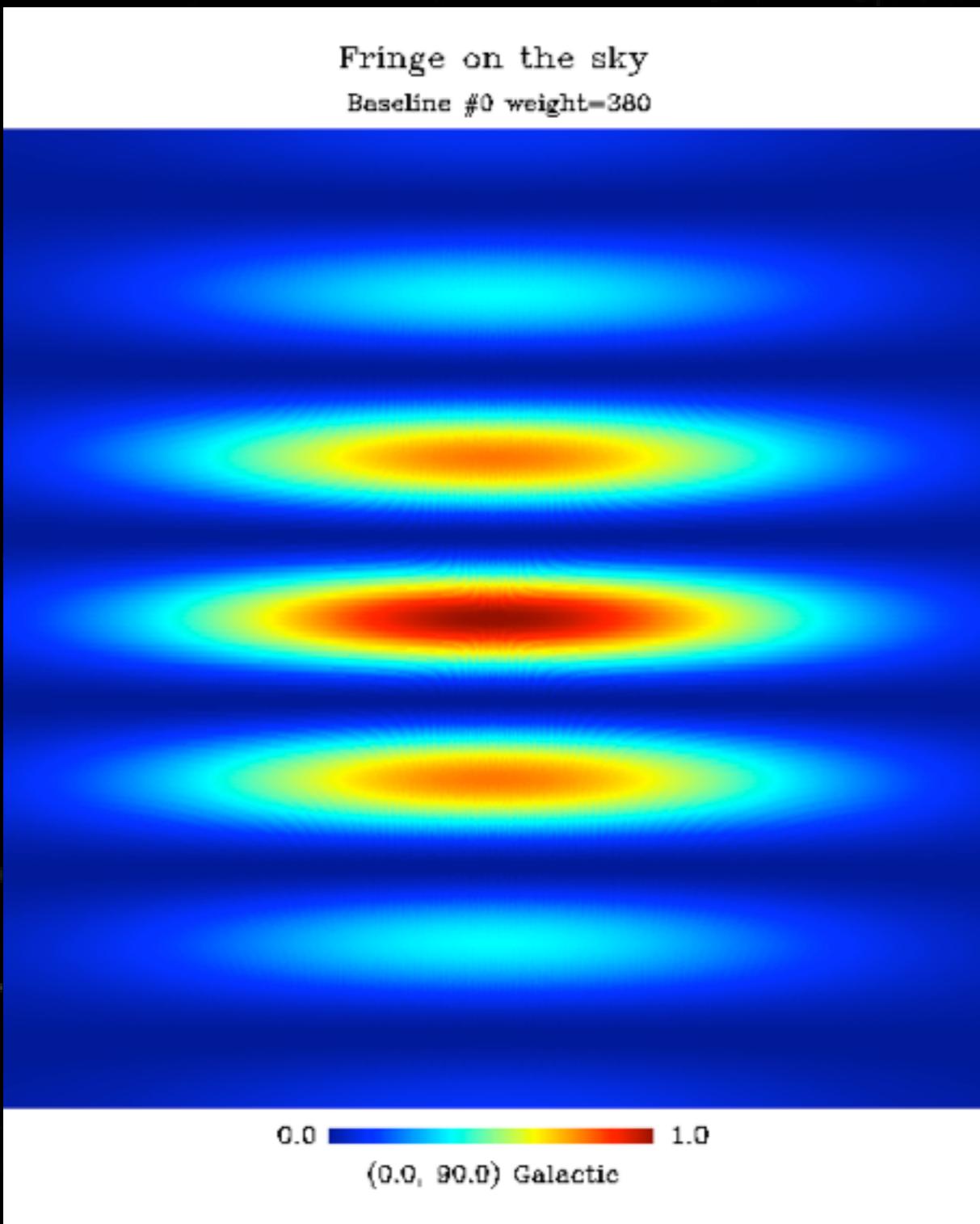
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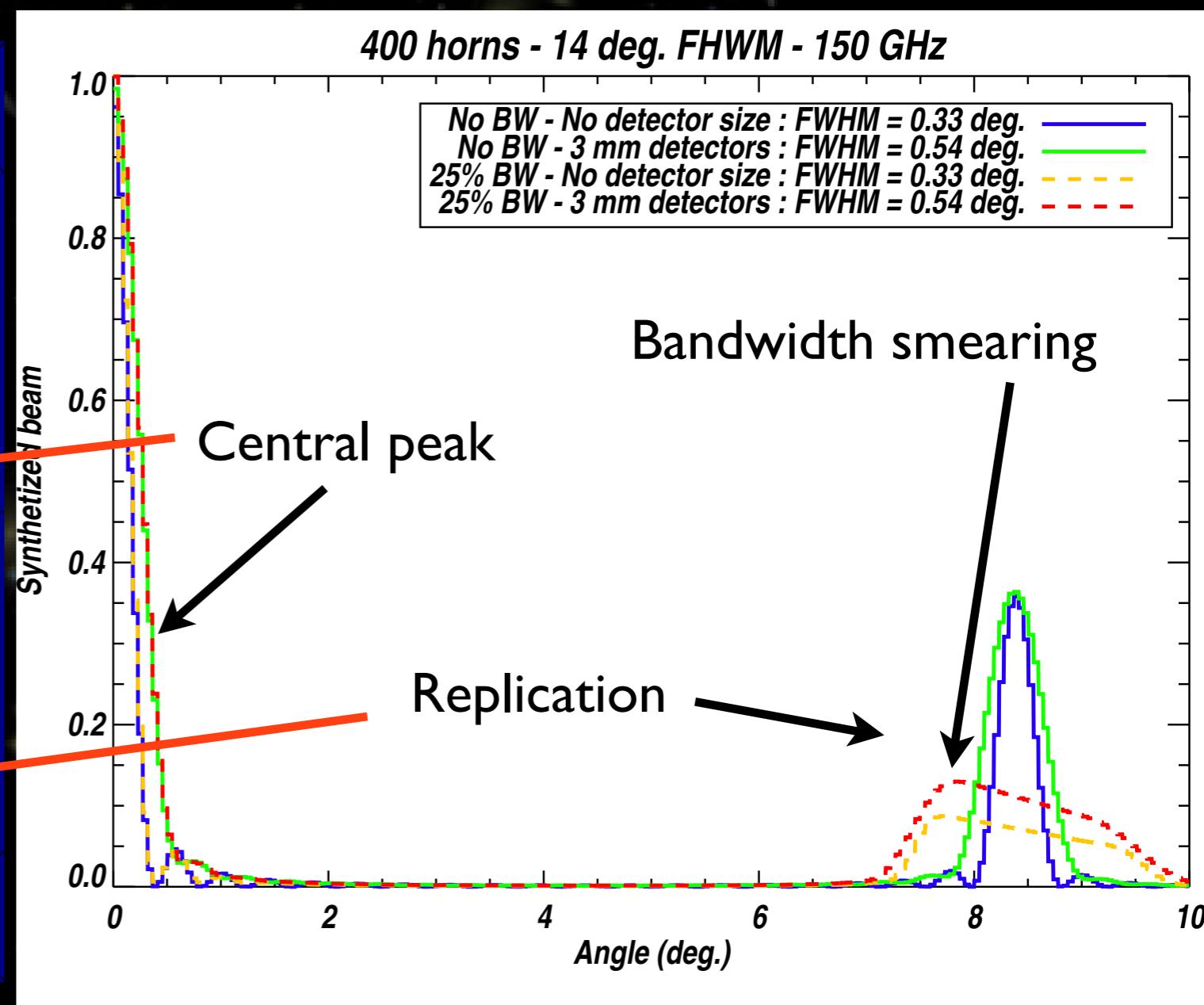
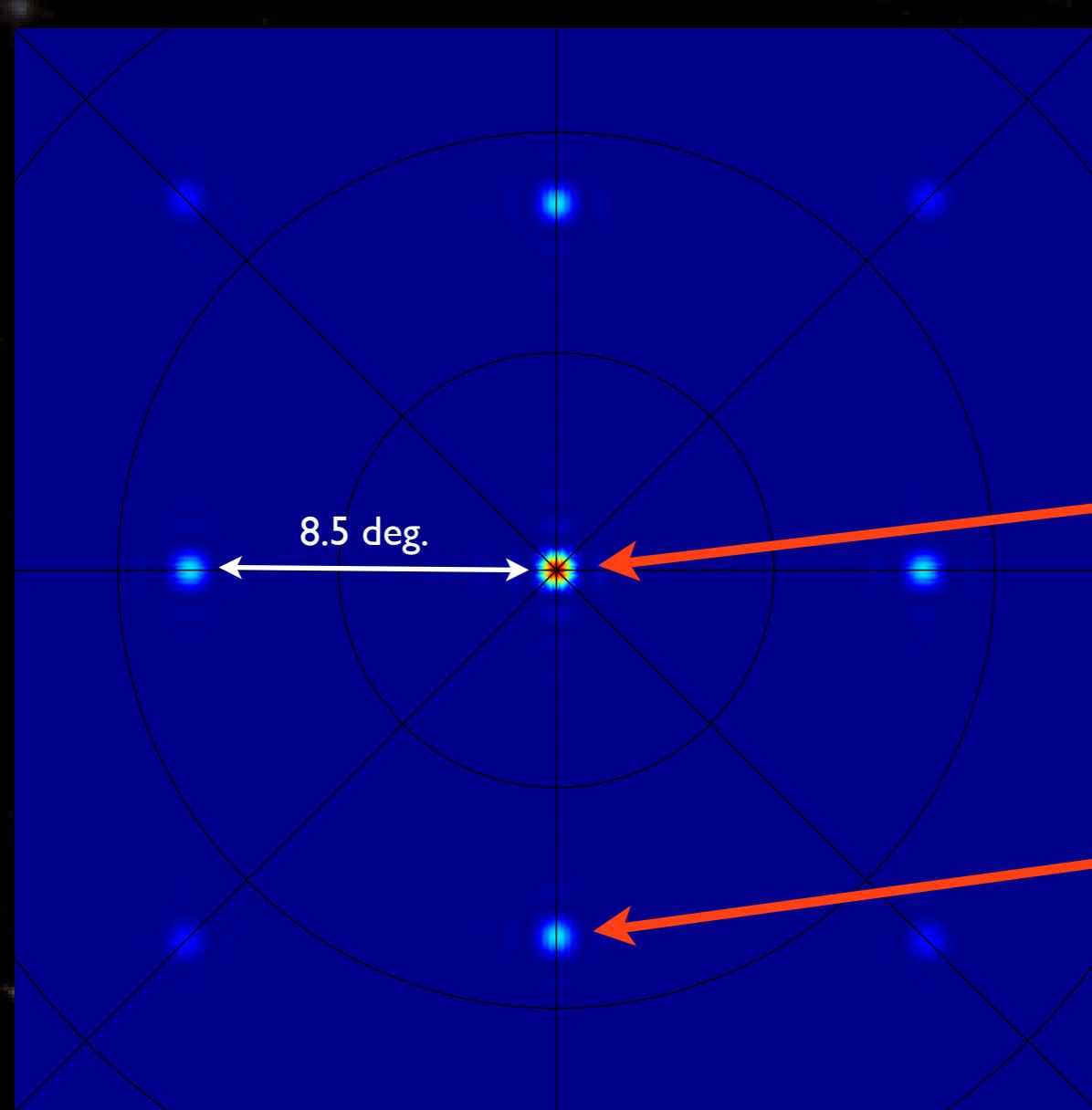
# Synthesized beam on the sky



# Synthesized beam on the sky



# Synthesized beam

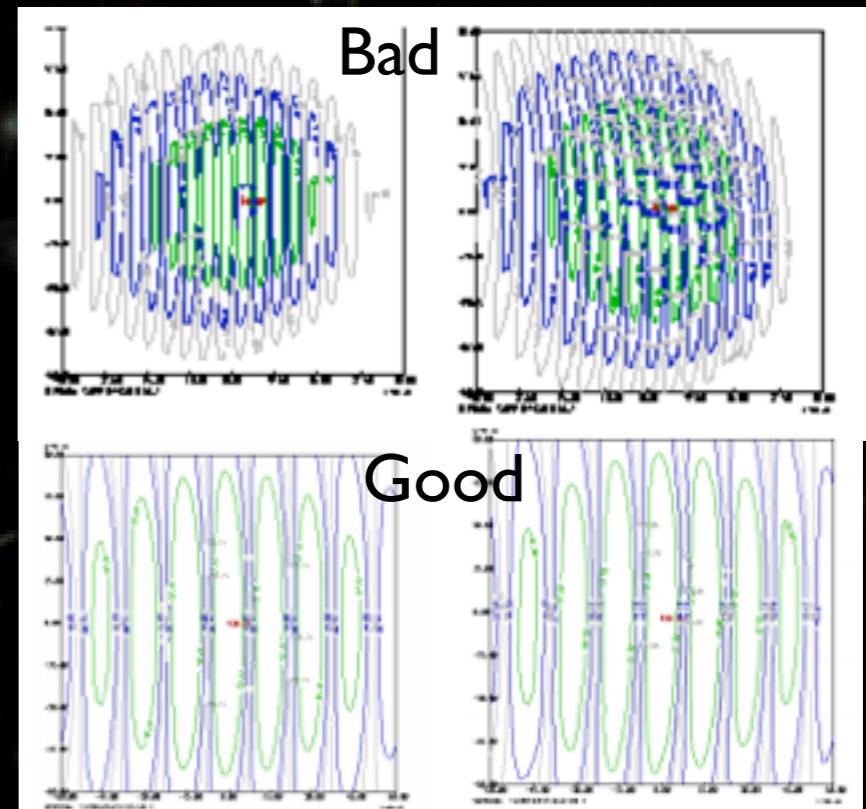


Replicated peaks are not (uncontrolled) sidelobes:

- Extremely well known (as much as the main peak)
- The structure of the synthesized beam gives us spatial sensitivity
- Optimal map-making for B.I. in progress

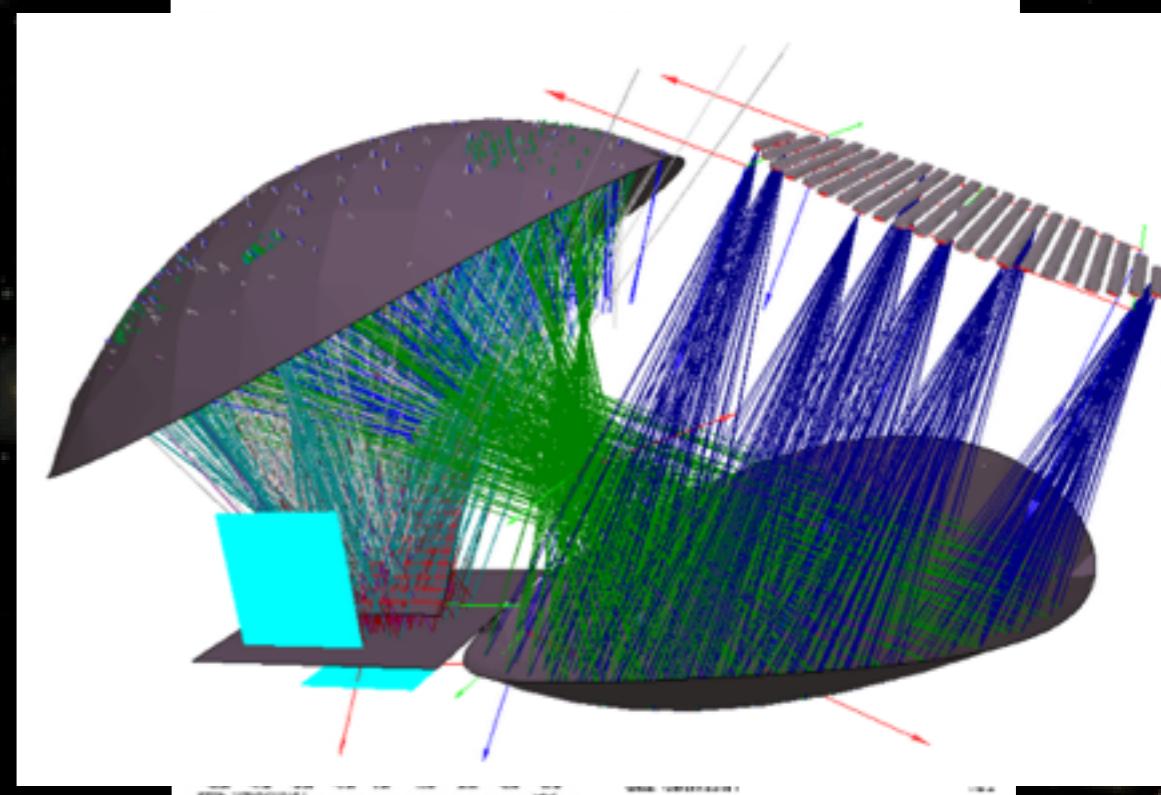
# Optical aberrations ?

- Low aberrations required
  - ★ equivalent baselines need to have identical fringe patterns
- Off-Axis Gregorian
  - ★ C. O'Sullivan - Maynooth
  - ★ 300 mm equivalent focal length
  - ★  $\sim 0.5$  m mirrors



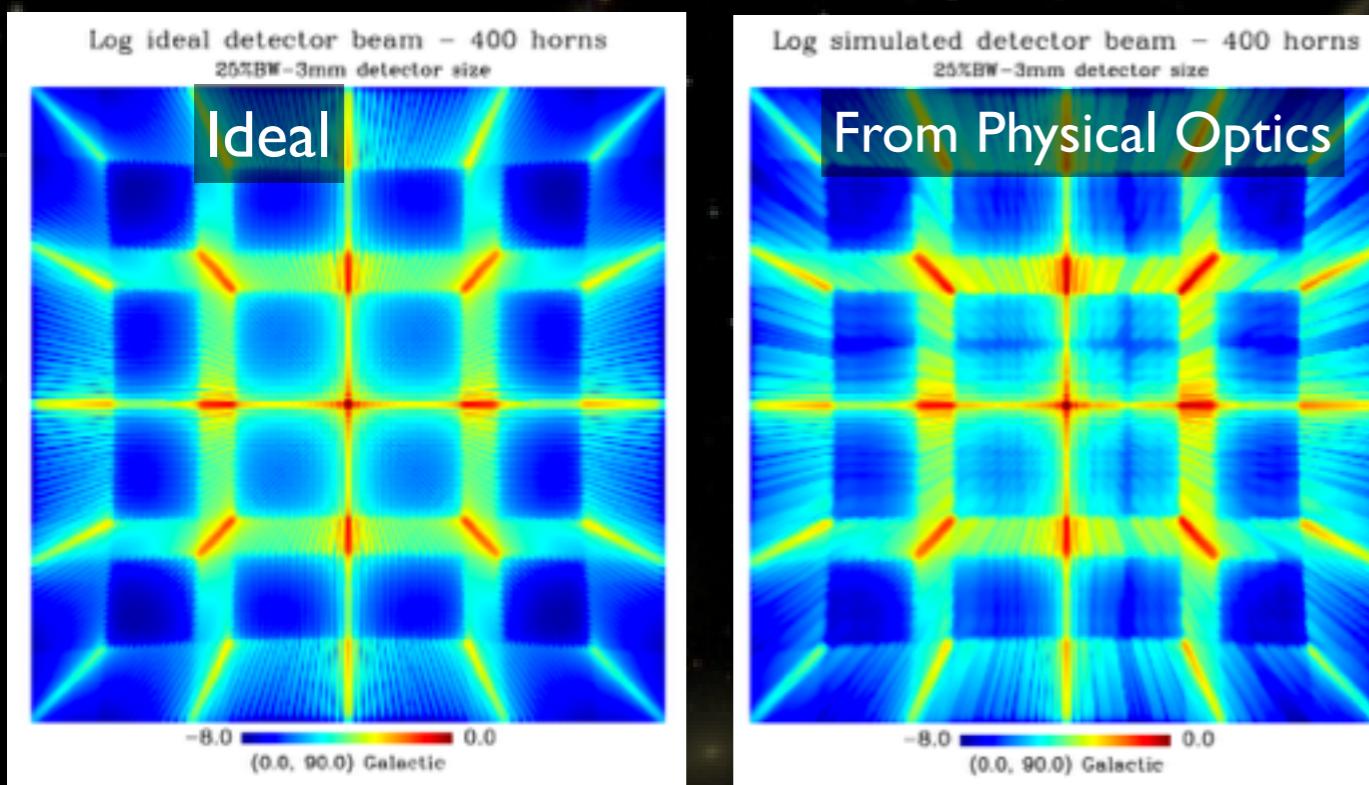
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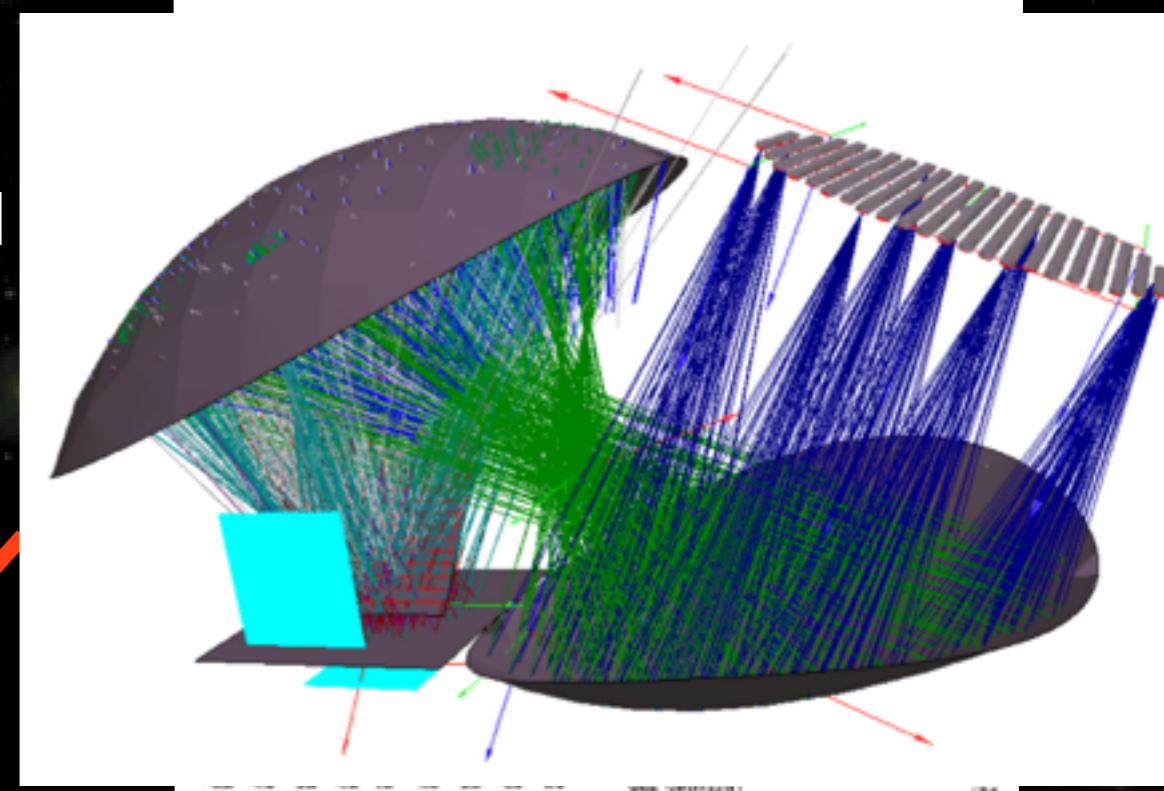


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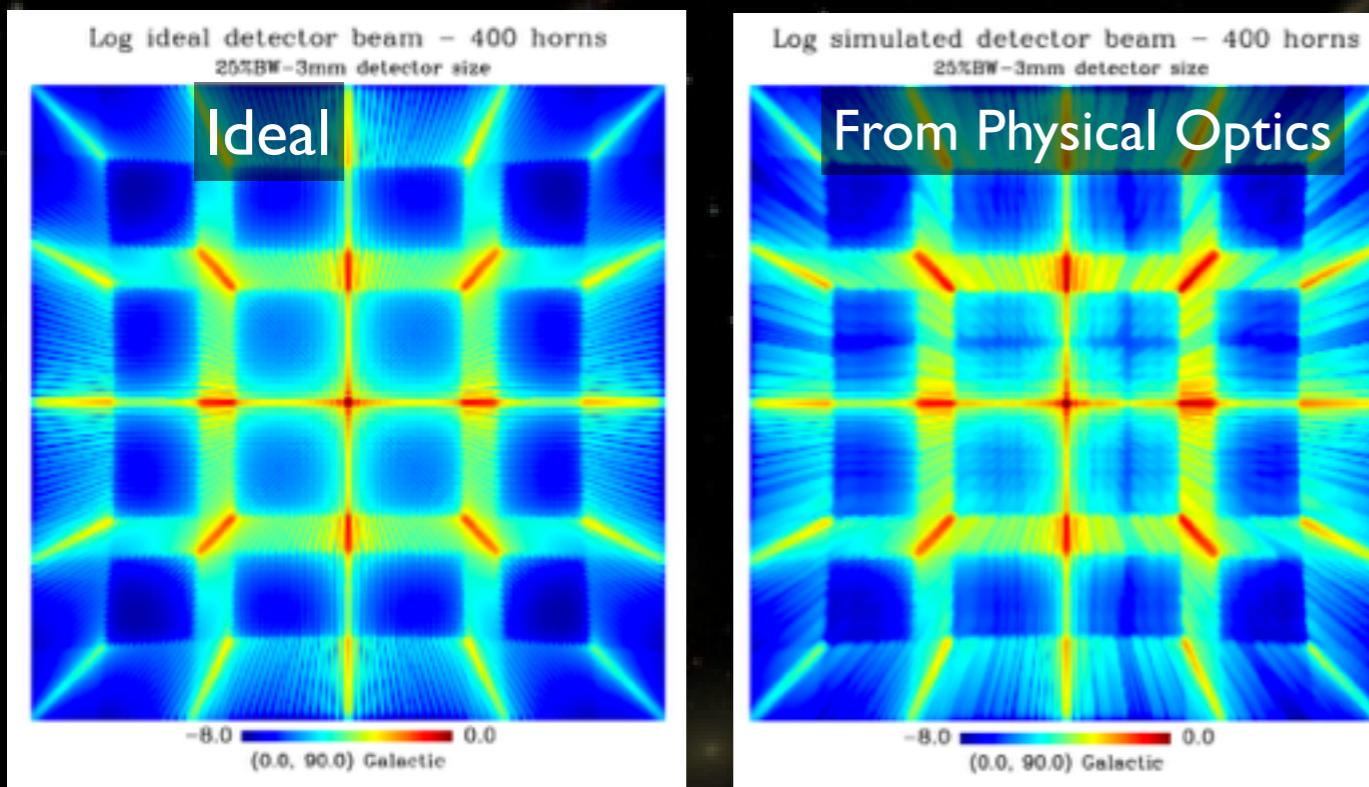
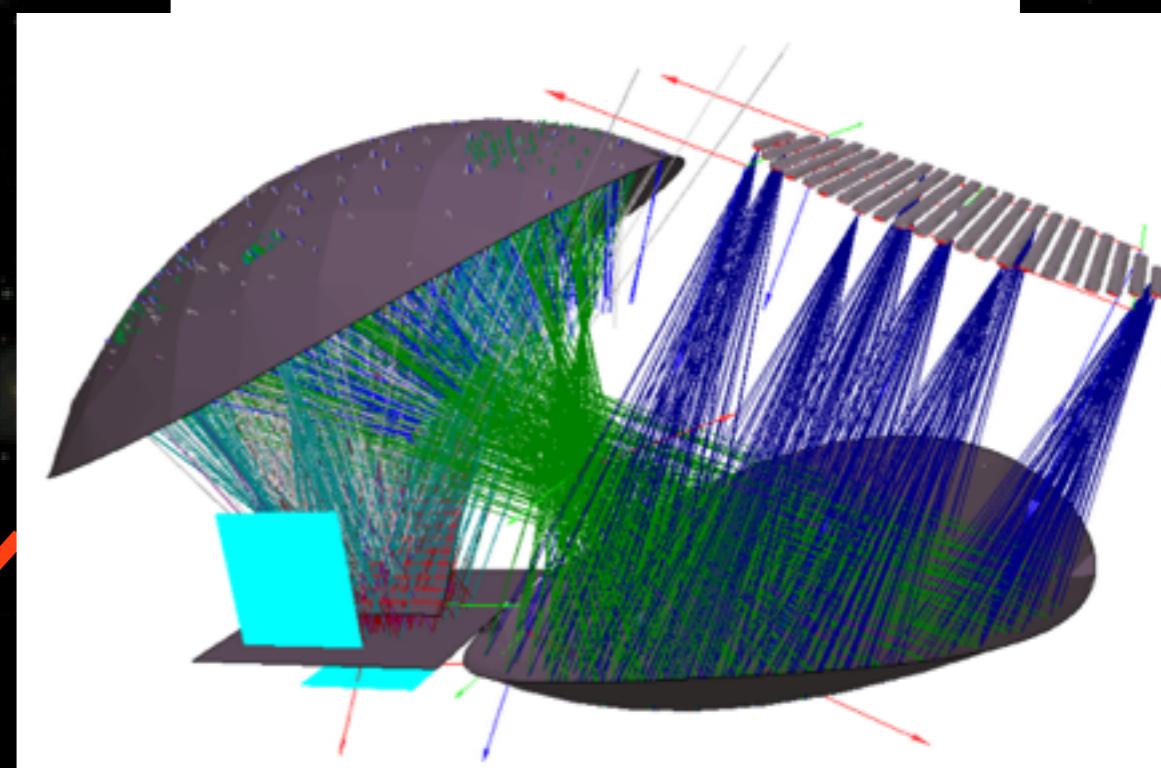


LogScale Synthesized beam

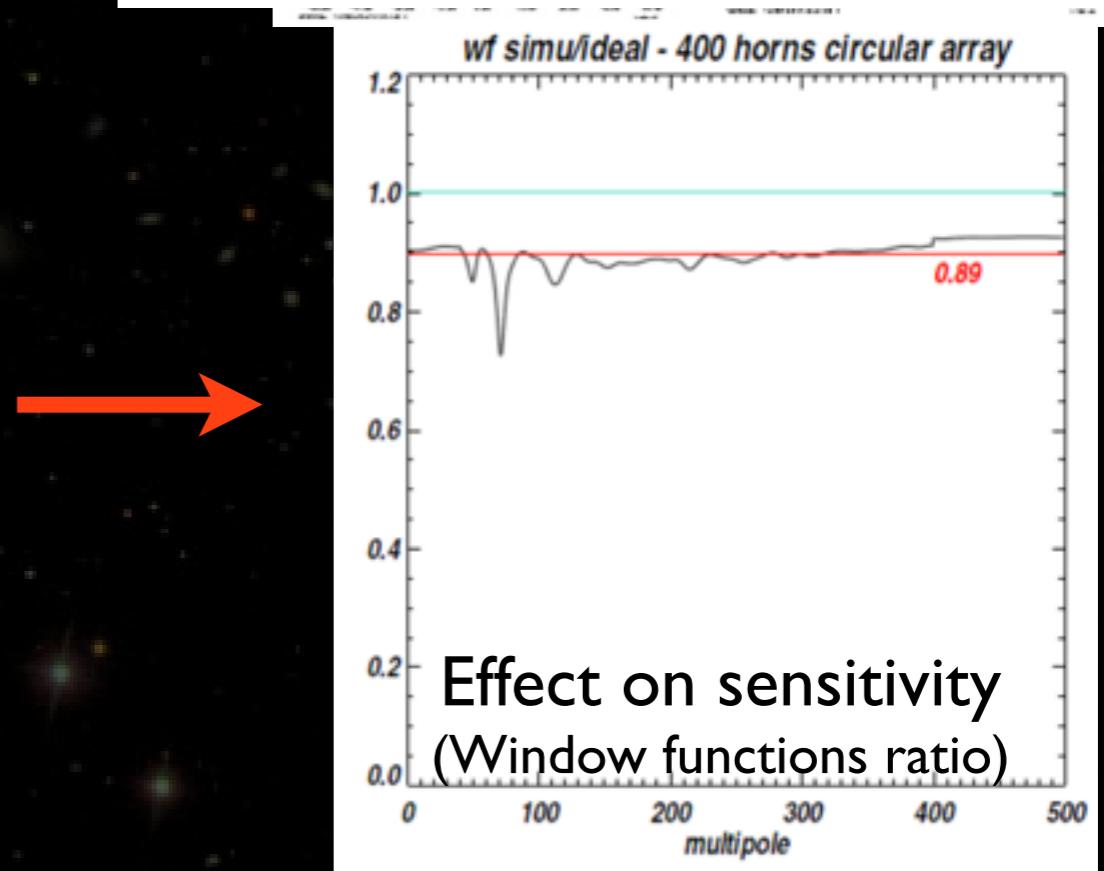


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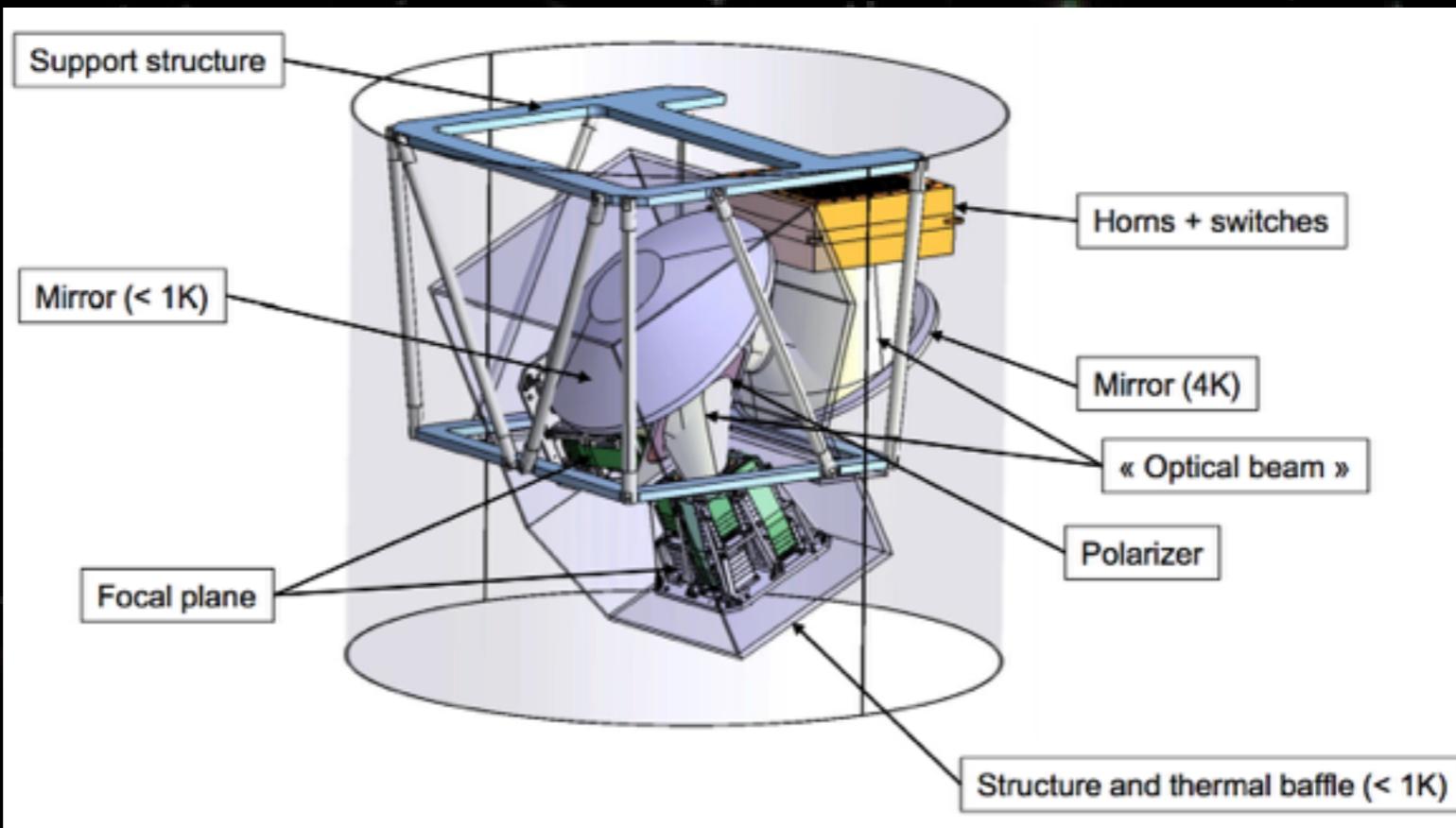
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LogScale Synthesized beam



# QUBIC Cryostat

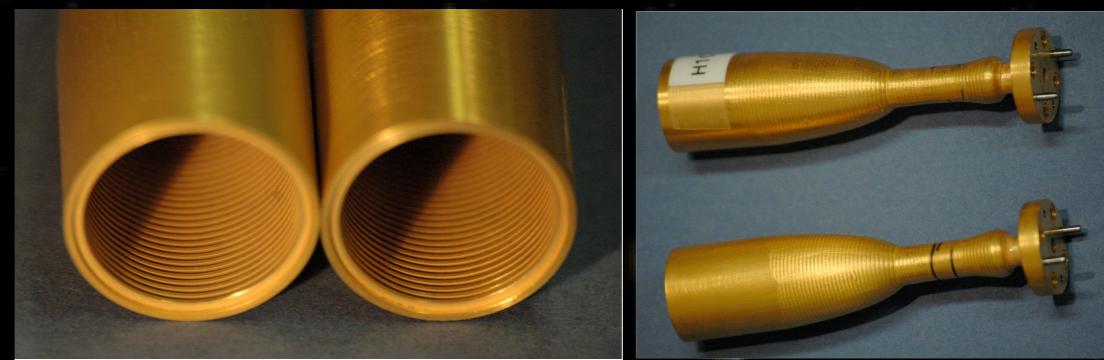
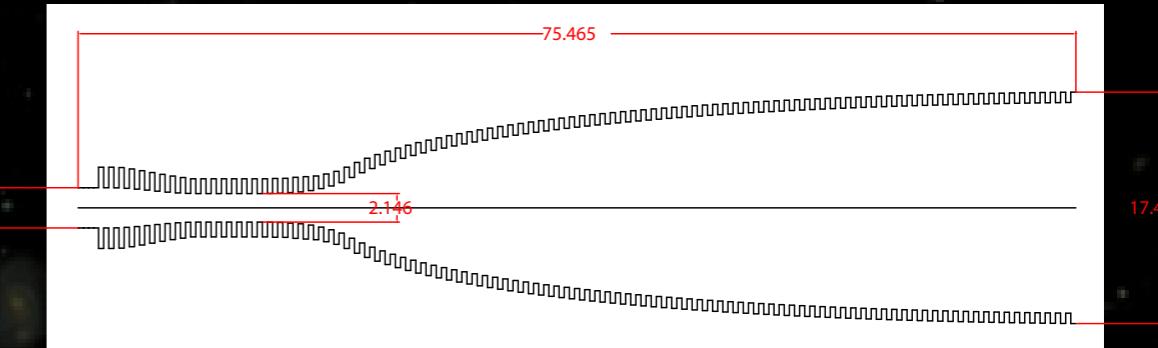


- Designed in Roma
  - ★ P. de Bernardis / S. Masi
- 40 cm window
  - ★ Stack (~20 cm) of zotefoam layers
- 1st stage: 4K: Pulse-Tube
  - ★ Filters, horns, HWP, mirrors, polarizing grid
- 2nd stage: 100mK dilution fridge from IN Grenoble
  - ★ PTC pre-cooling the mixture

# Horns

- Designed by Manchester

- ★ B. Maffei / G. Pisano
- ★ Clover-like profiled corrugated horns
- ★ 150GHz, 14 deg. FWHM, 1.2 cm diam.  
(close to diffraction limit)
- ★ Excellent beam/Cross Pol. perfs

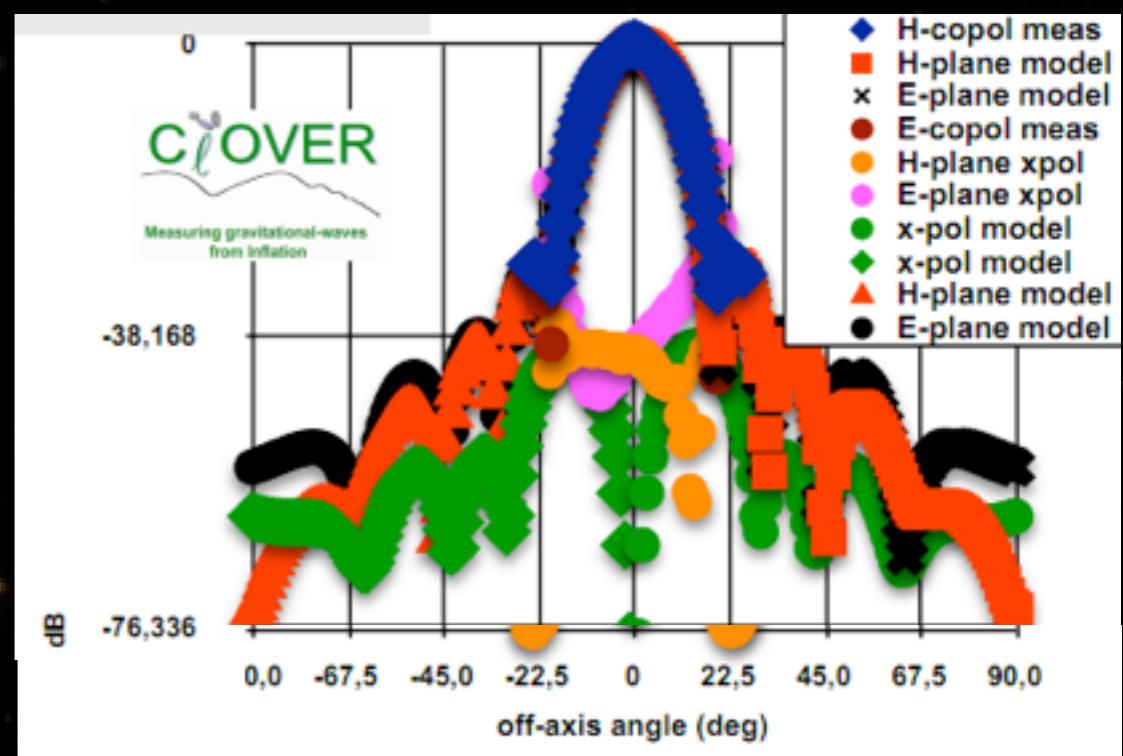


- ★ Usual fabrication:

- Electroforming
- Expensive (800\$ / horn)

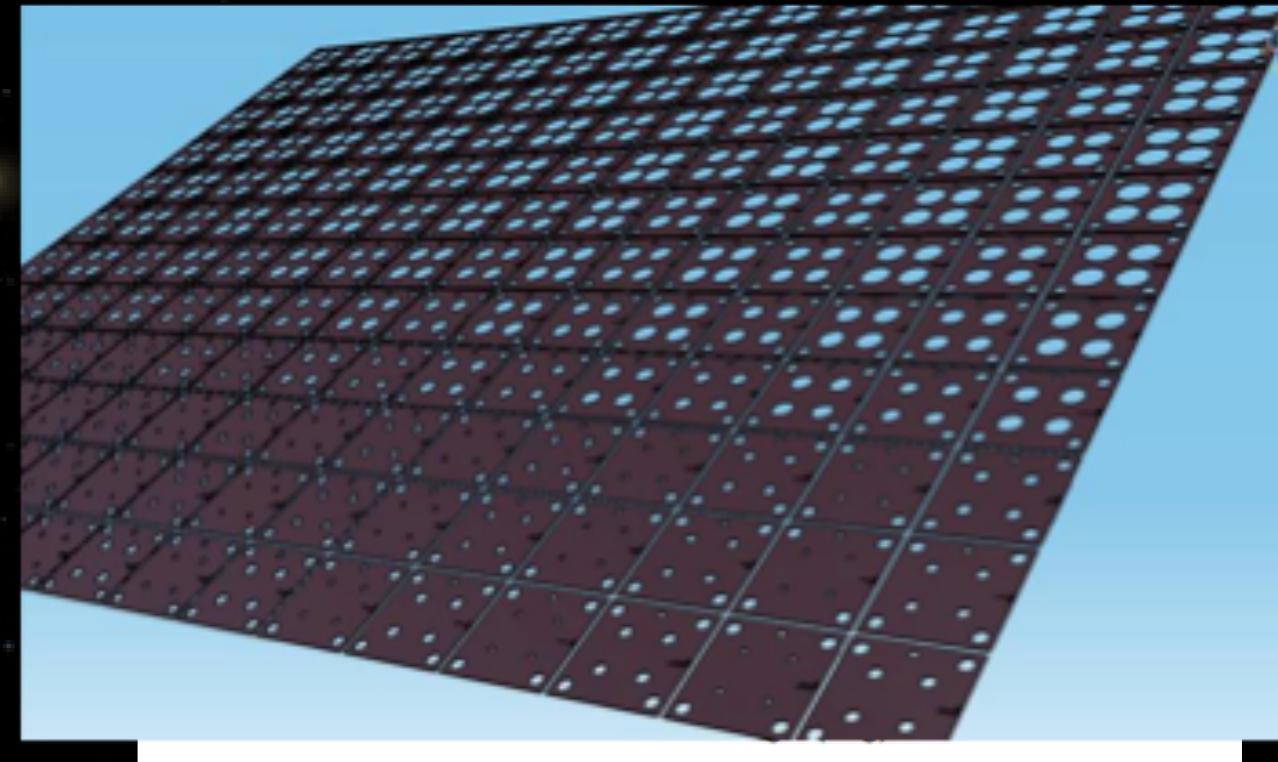
- Platelets fabrication investigated at APC (É. Bréelle)

- ★ 271 thin copper plates
- ★ Holes using chemical etching
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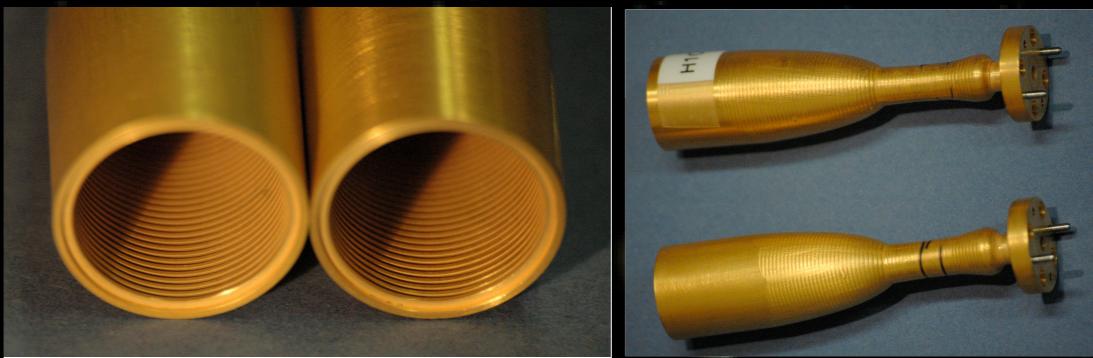
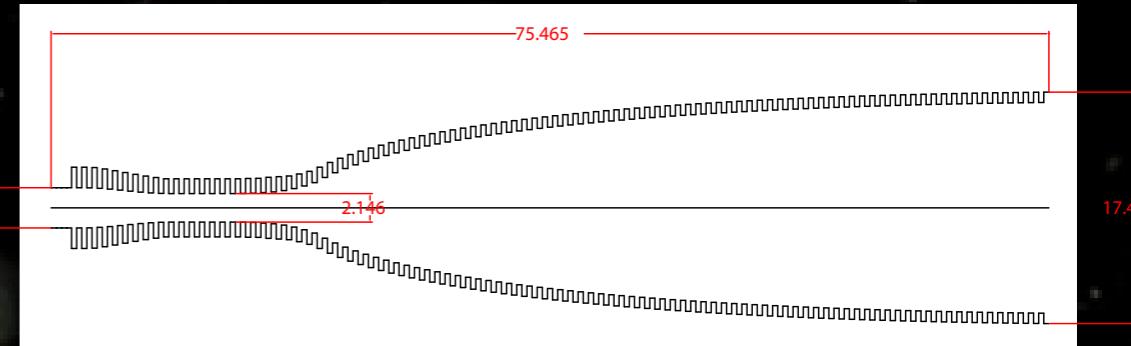
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# Detection Chain

- TES + SQUIDs + 4K SiGe ASIC Mux

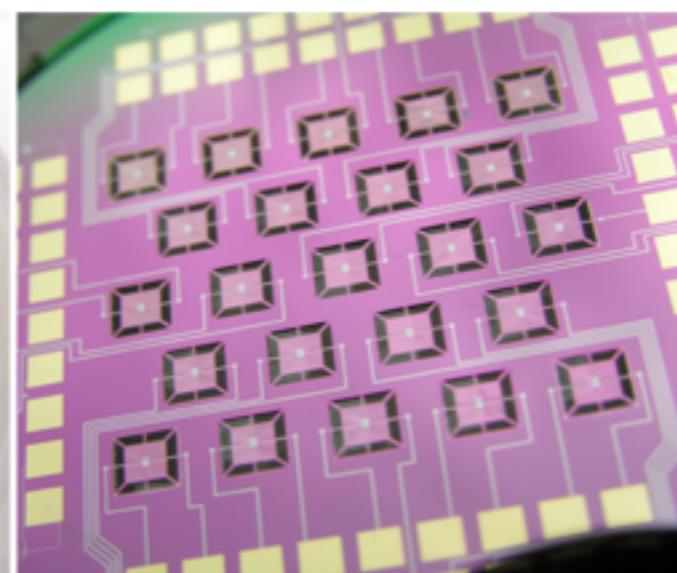
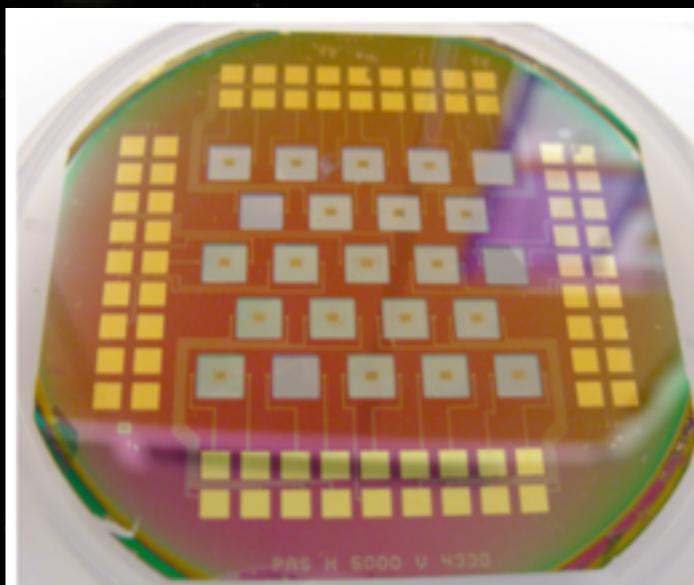
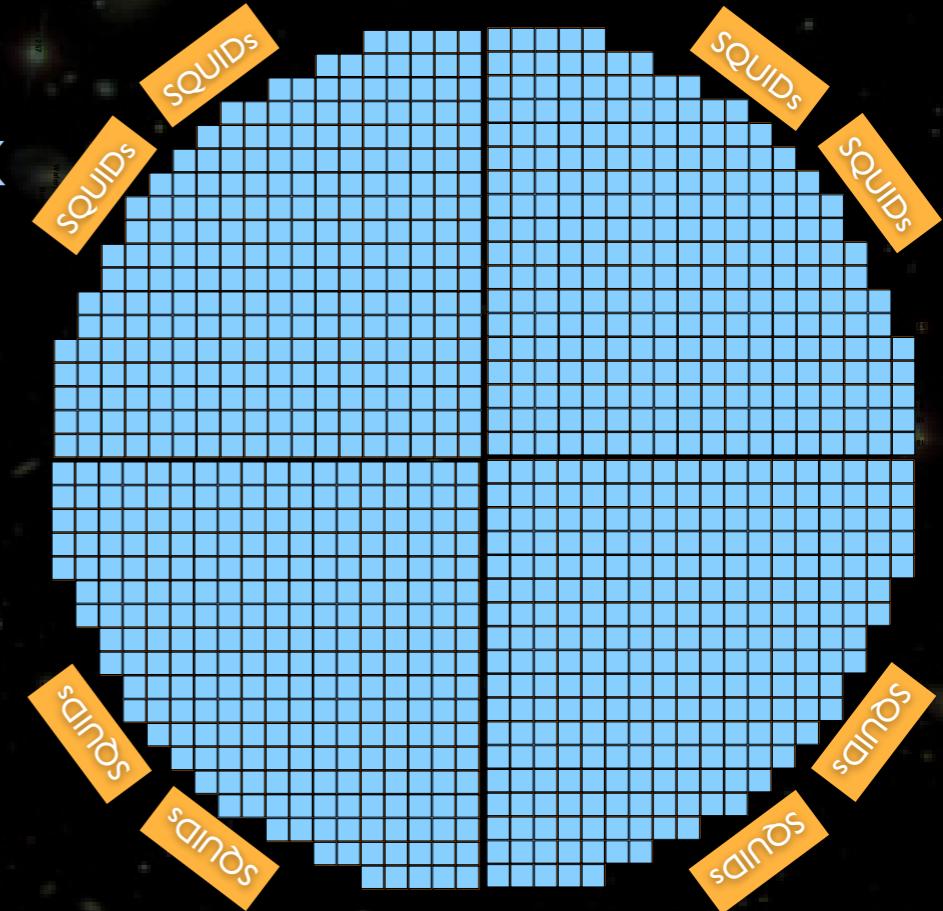
- ★ APC: Michel Piat
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- 2 arrays of 1024 NbSi TES

- ★ Each array : 4x256 elements
- ★ 100 mK bath (dilution)
- ★ 3 mm size
- ★ NEP  $\sim 5 \cdot 10^{-18} \text{ W.Hz}^{-1/2}$
- ★ time constant  $\sim 10 \text{ ms}$

- Multiplexed Readout

- ★ SQUIDs pre-amplifier+ mux
  - 32:1 multiplexing
- ★ 4K SiGe ASIC (amp+ mux)
  - 4:1 multiplexing
- ★ 128 channels / ASIC
- ★ Low noise:  $\sim 200 \text{ pV.Hz}^{-1/2}$



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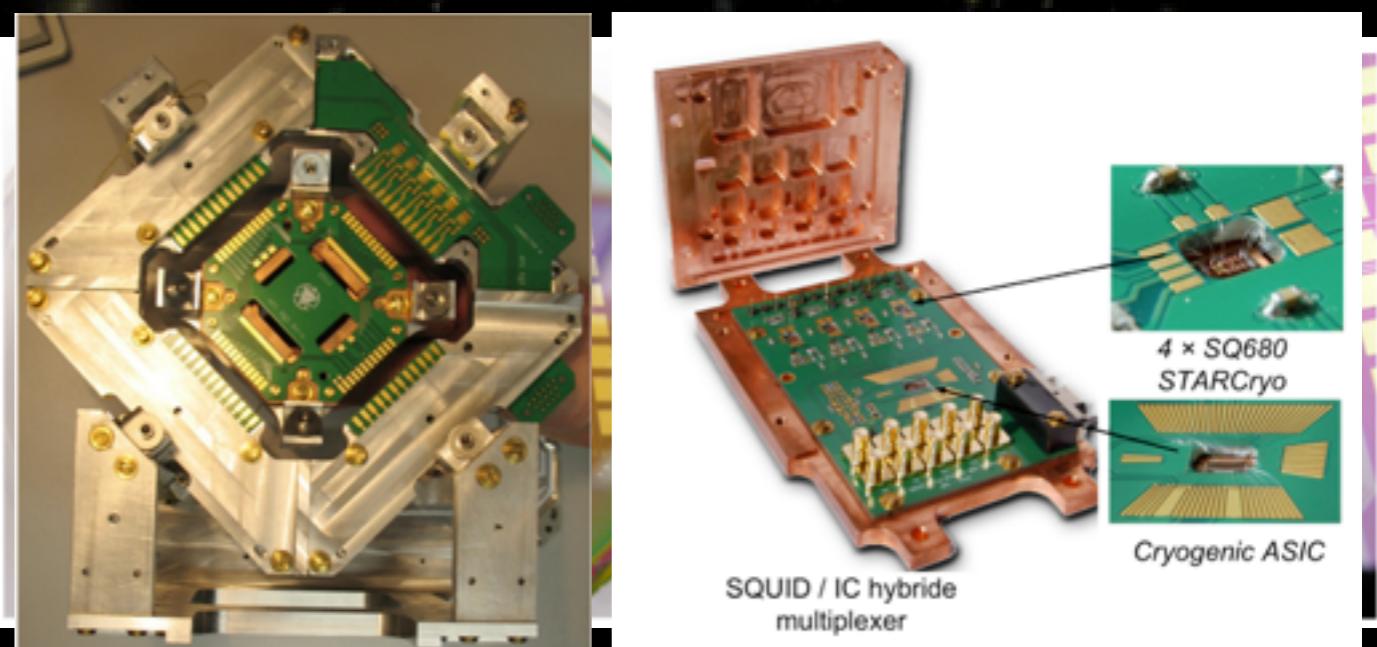
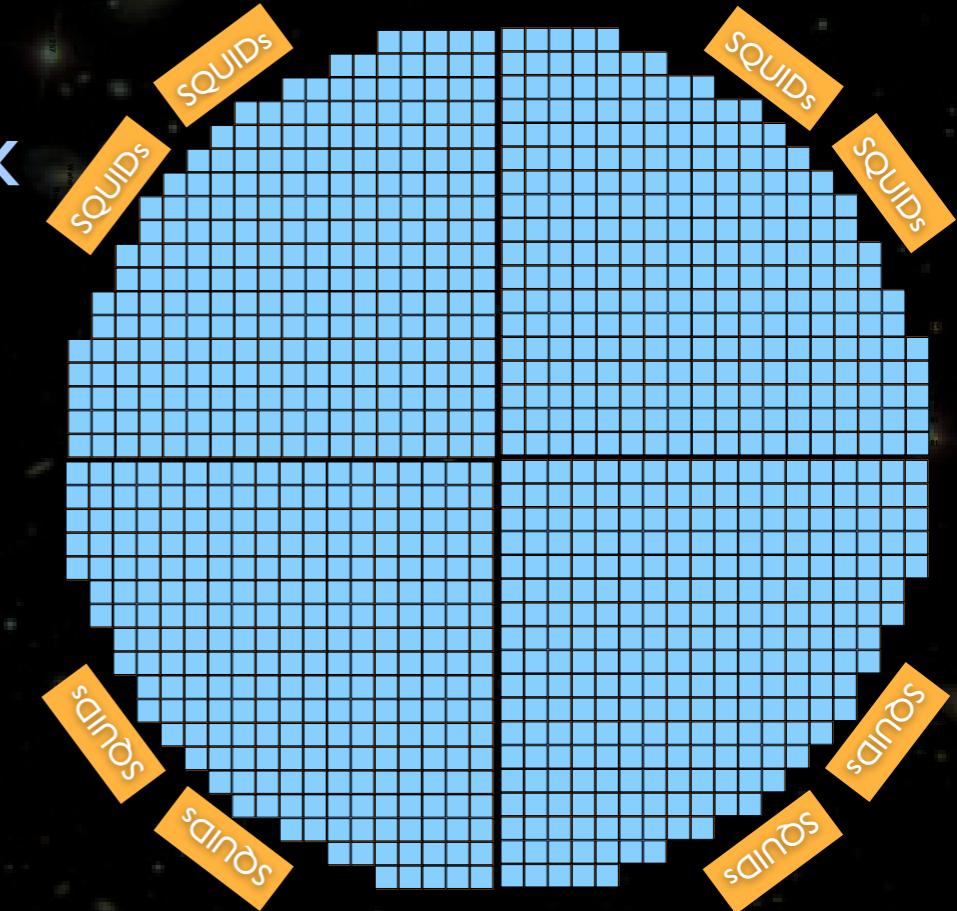
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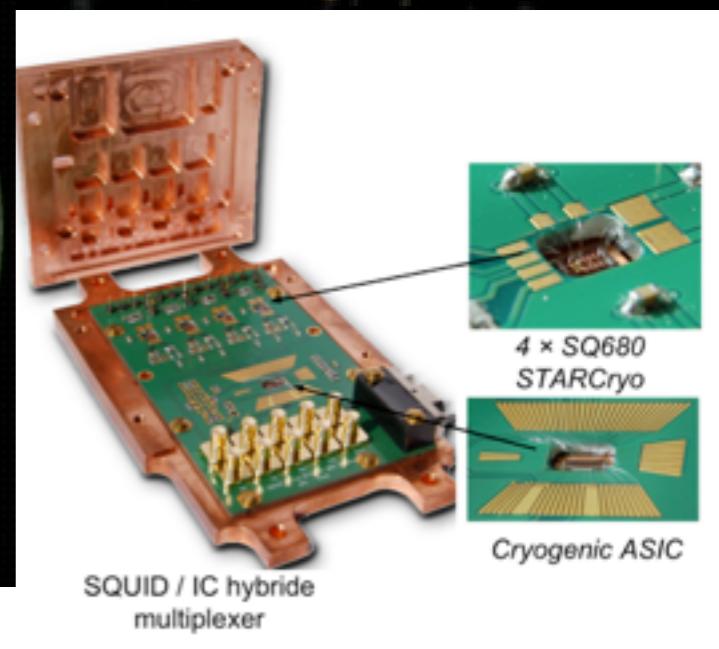
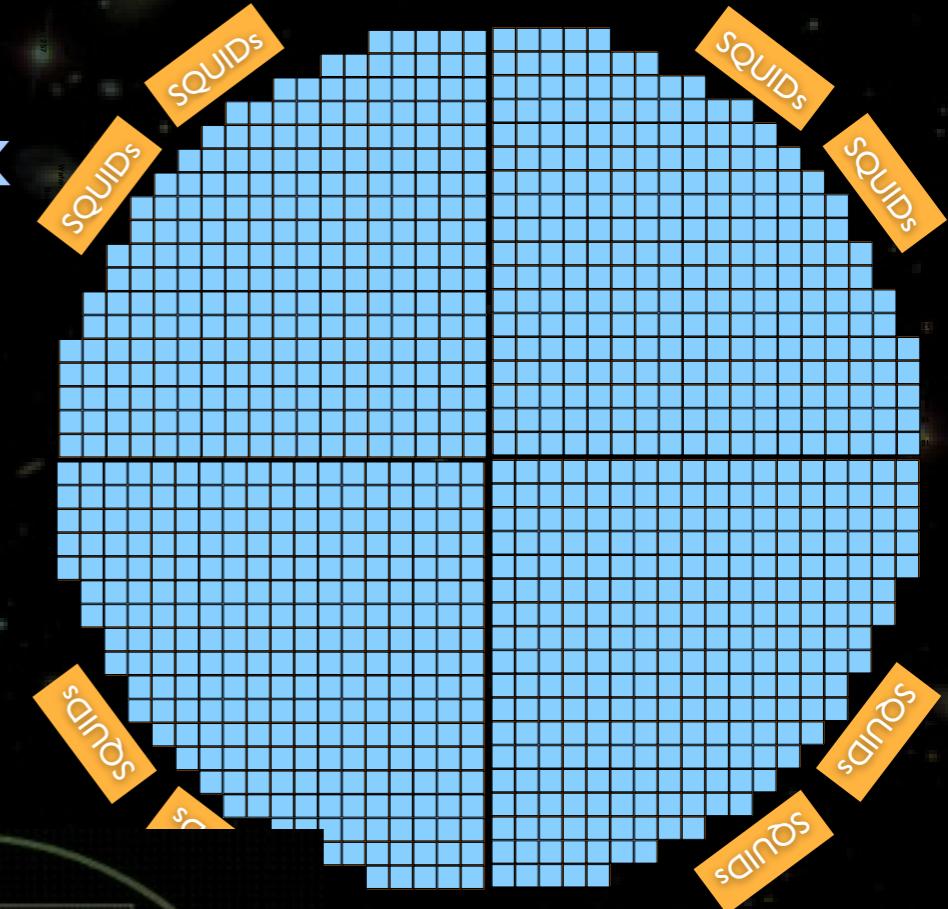
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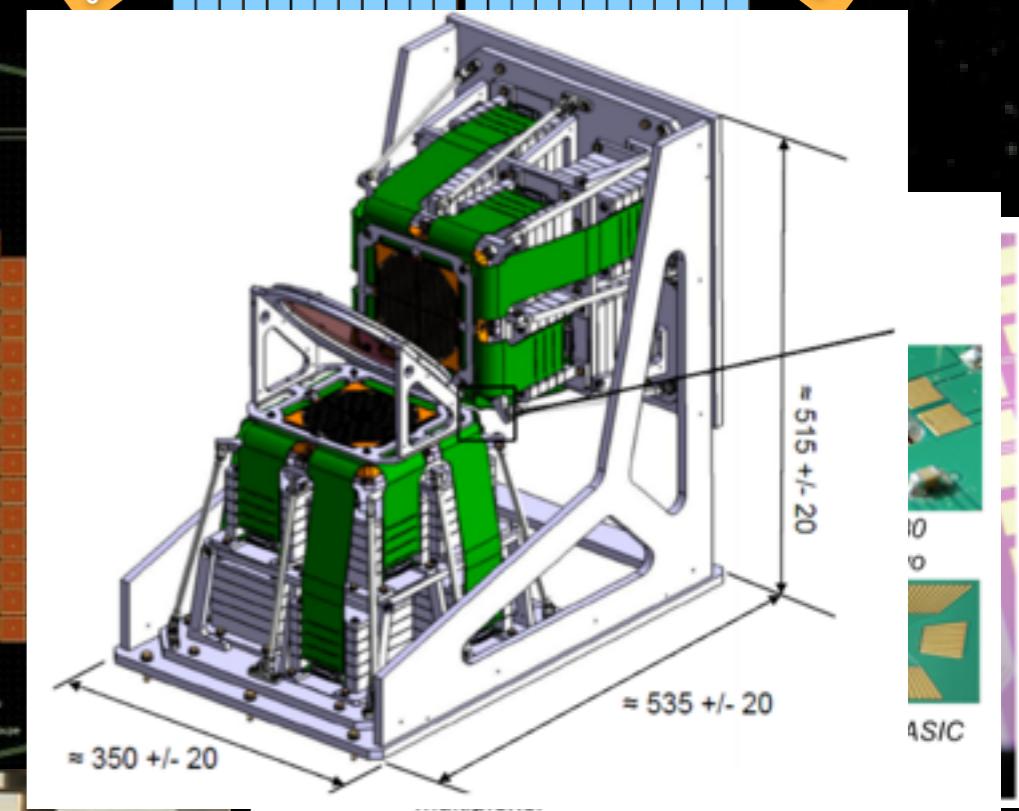
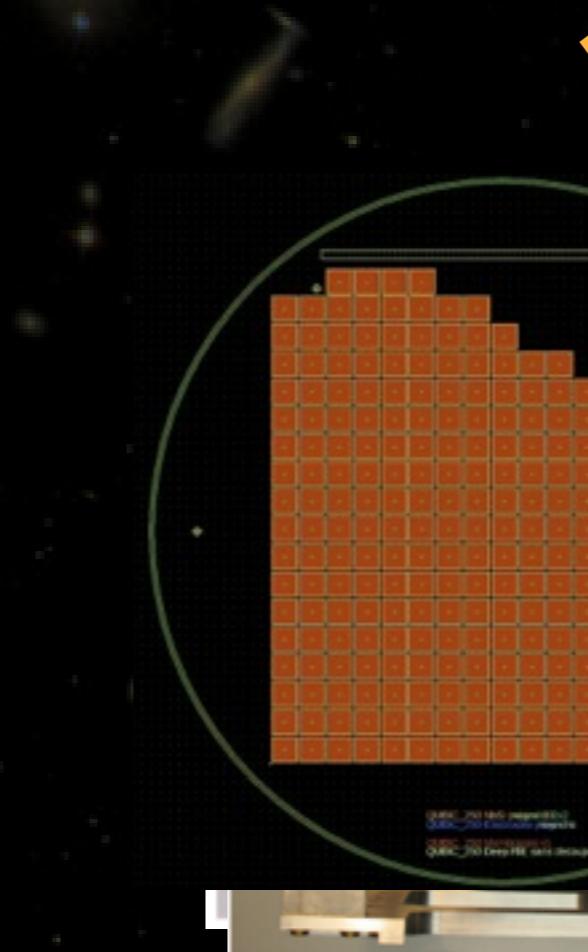
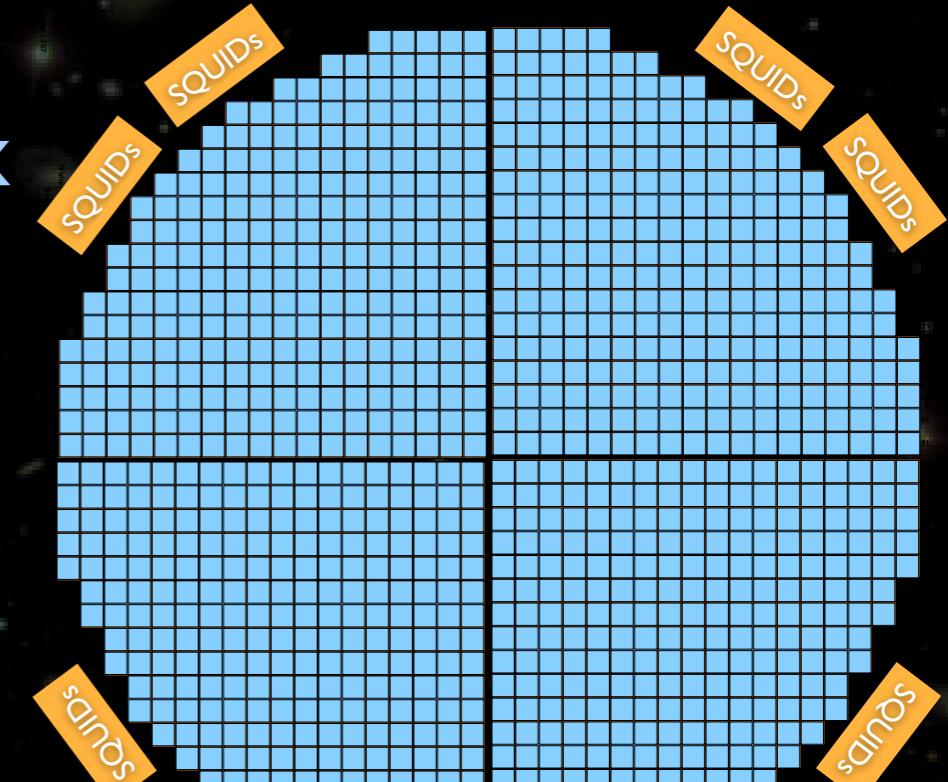
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# Map Making

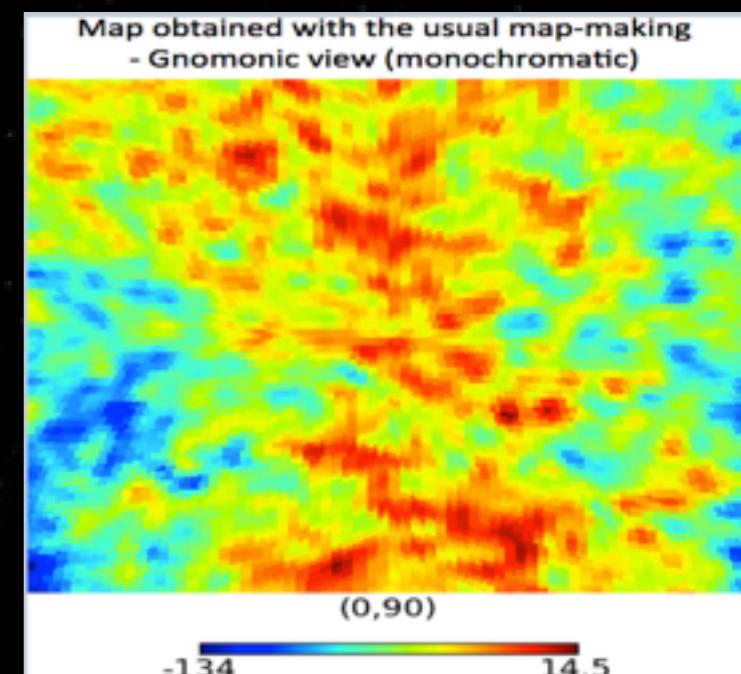
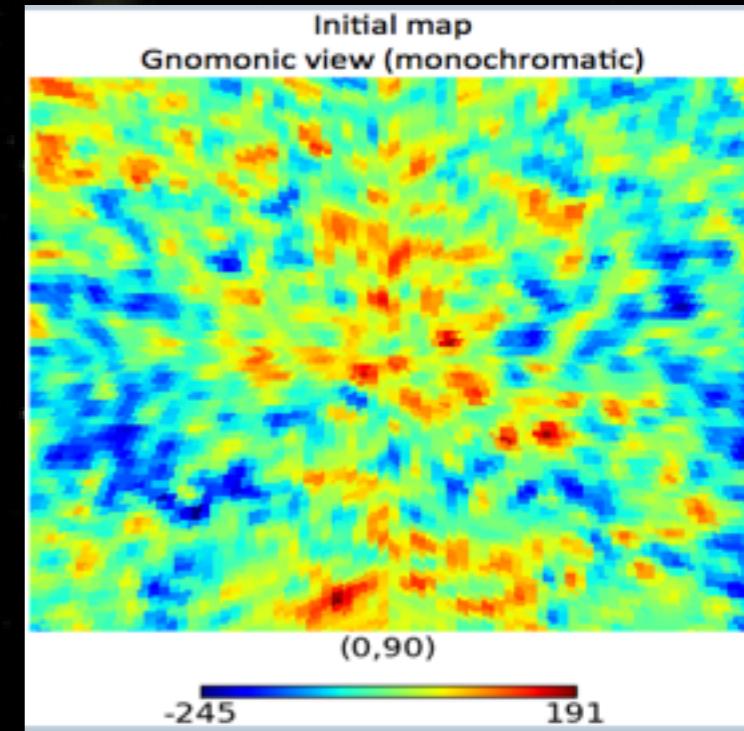
See Poster by  
Marie-Anne Bigot-Sazy

- Scan the sky and store TOIs for each detector
- Reproject data on the sky

$$\hat{T} = (A^t \cdot N^{-1} \cdot A)^{-1} \cdot A^t \cdot N^{-1} \cdot \vec{d}$$

- QUBIC Synthesized beam has multiple peaks

- ★ Usual map making assumes  $A$  has a single non zero element in each column
  - Does not lead to good results
- ★ Improved method with better beam approximation
  - Sparse matrices helps fast convergence of CG
  - First results on simulations are promising



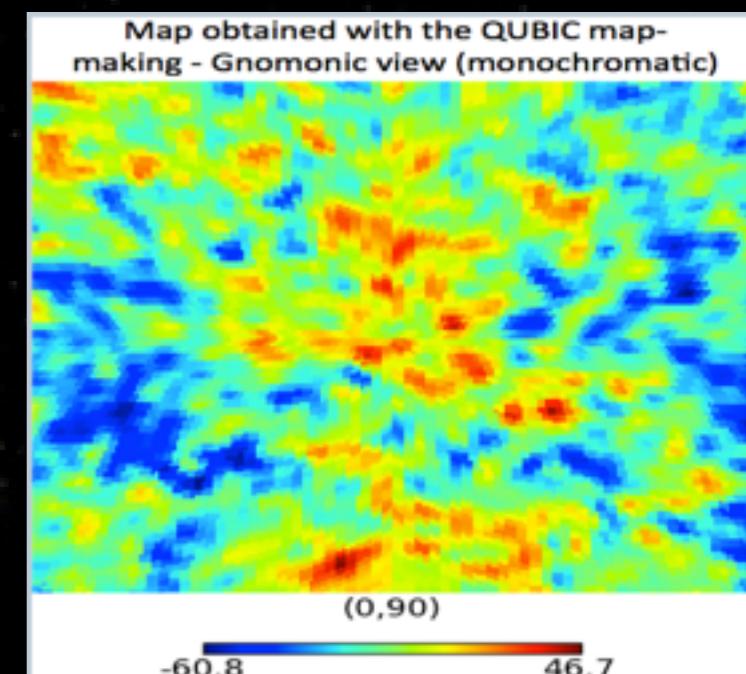
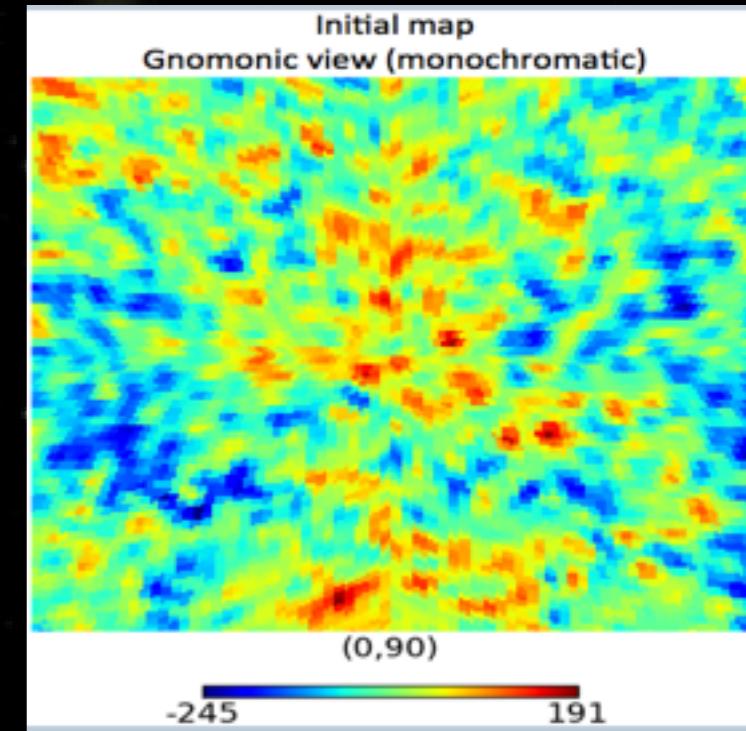
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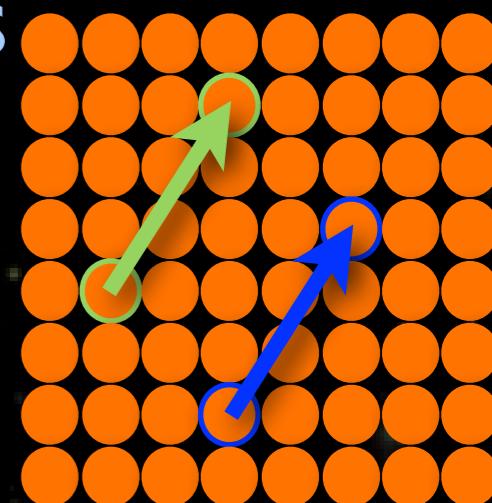
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# Self-Calibration

See Poster by  
Marie-Anne Bigot-Sazy

- Unique possibility to handle systematic errors
  - ★ Use horn array redundancy to calibrate systematics
    - In a perfect instrument redundant baselines should see the same signal
    - Differences due to systematics
    - Allow to fit systematics with an external source on the field
  - ★ Unique specificity of Bolometric Interferometry !  
[Bigot-Sazy et al., A&A 2012, arXiv:1209.4905]
  - ★ Example: exact horns locations (figure exaggerated !!)

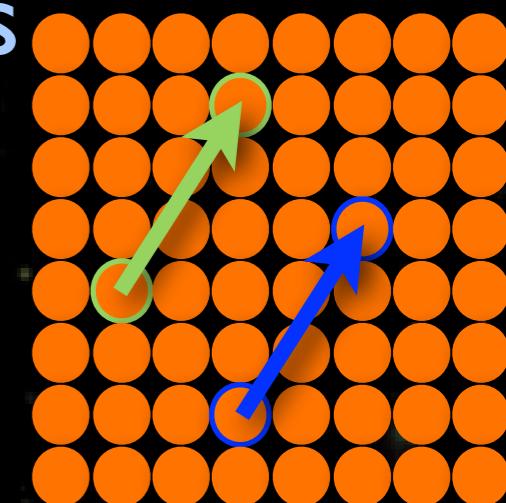


Redundant baselines :  
same Fourier Mode

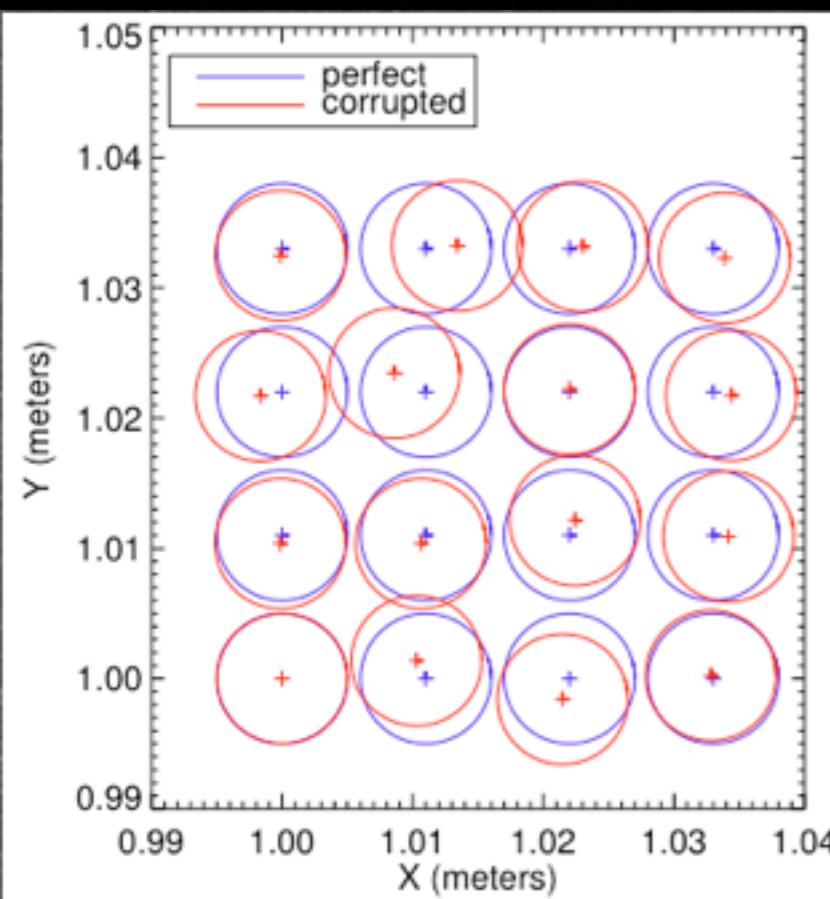
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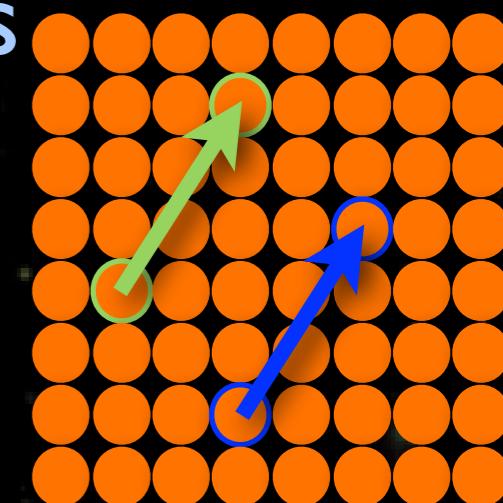
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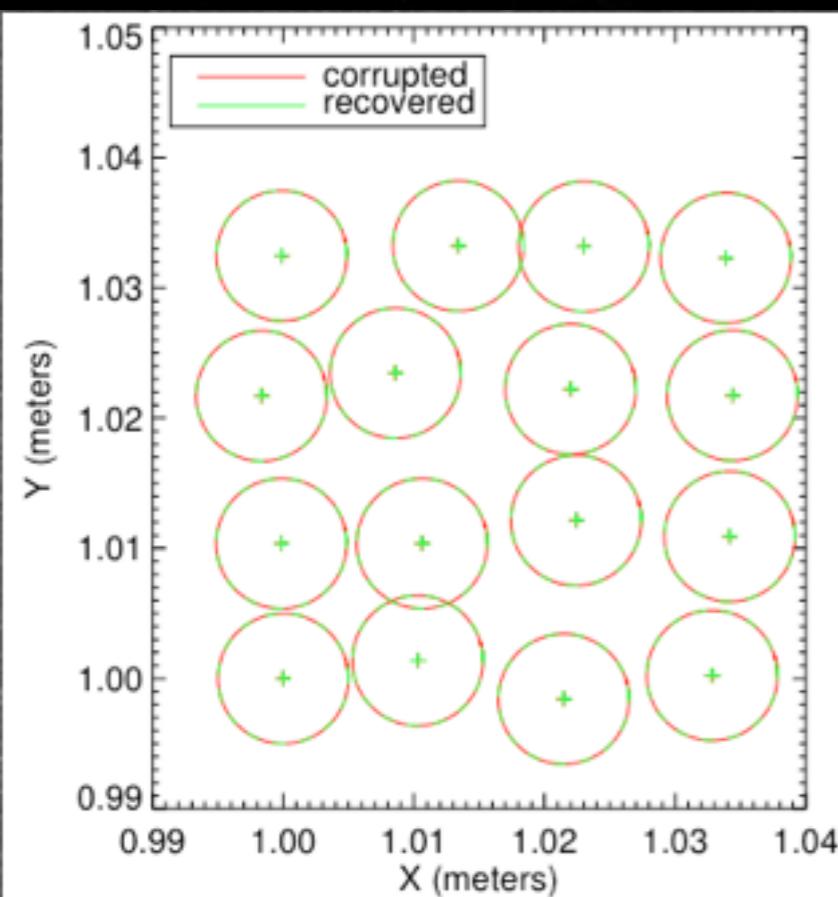
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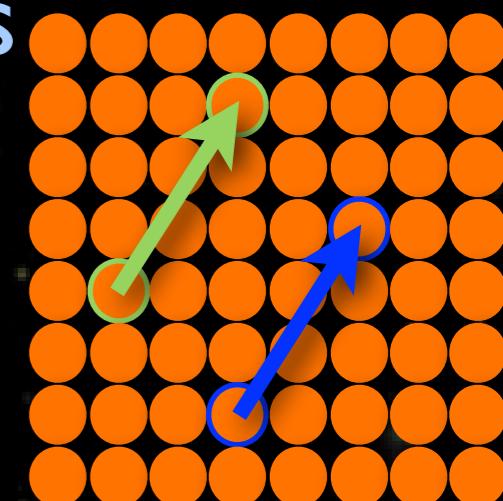


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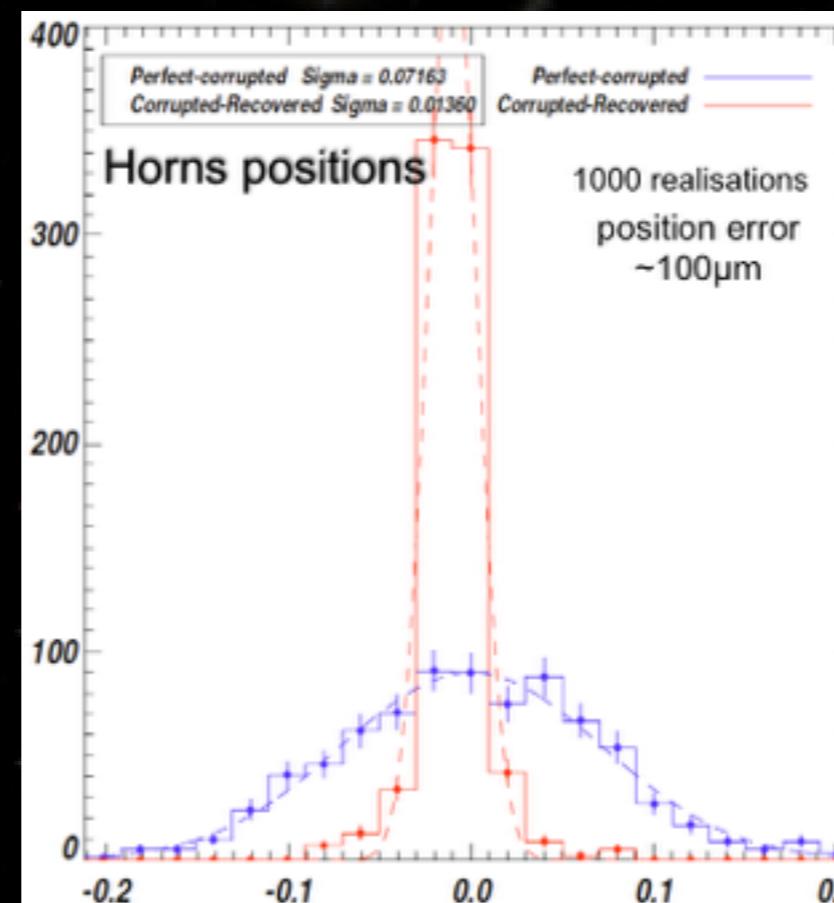
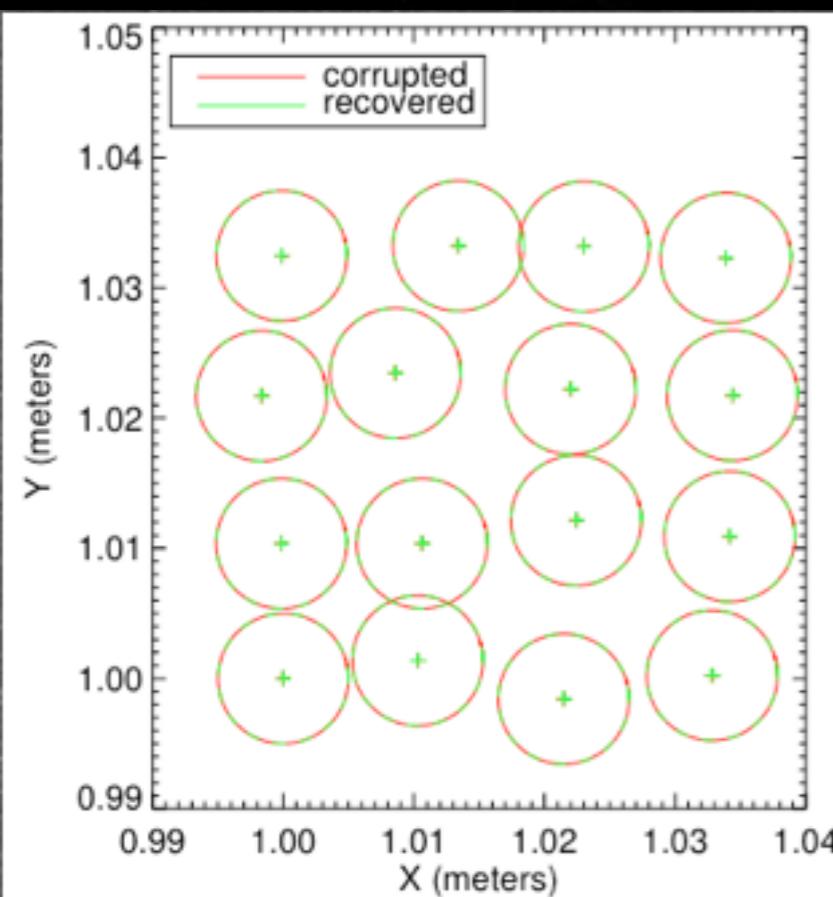


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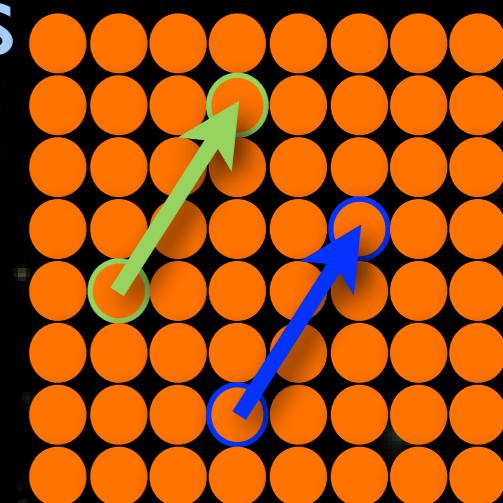
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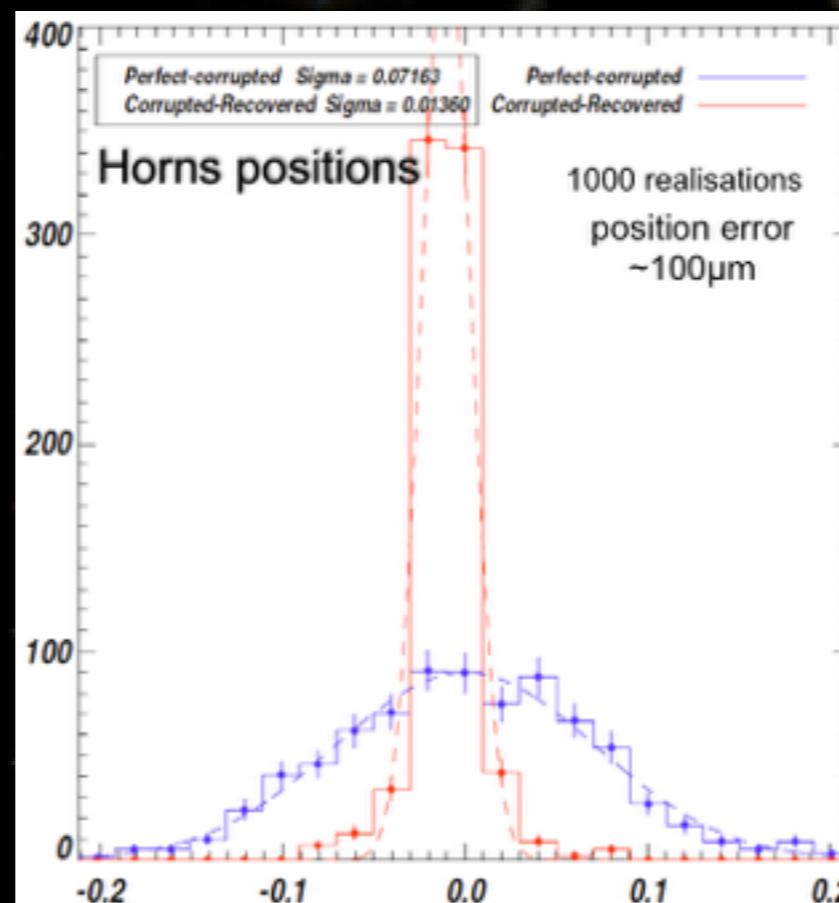
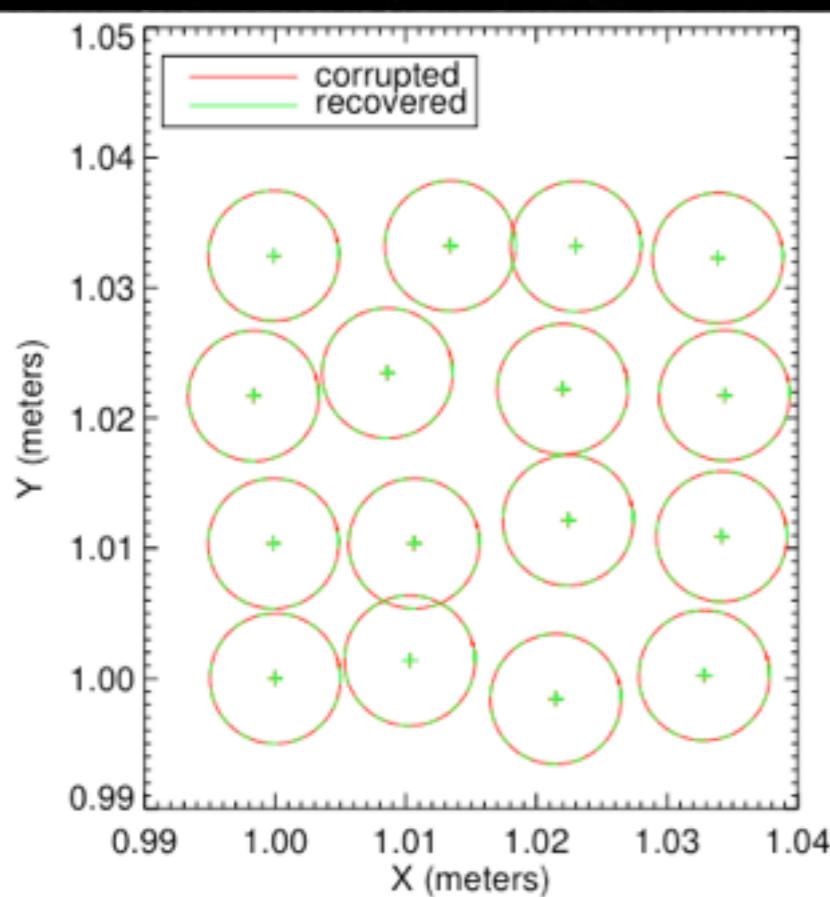
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	RMS before	RMS after
Horns location	0.072	0.011
Individual beams	0.090	0.005
TES Intercalibration	0.029	0.007
pointing error, instrument effective Jones matrix	...	...

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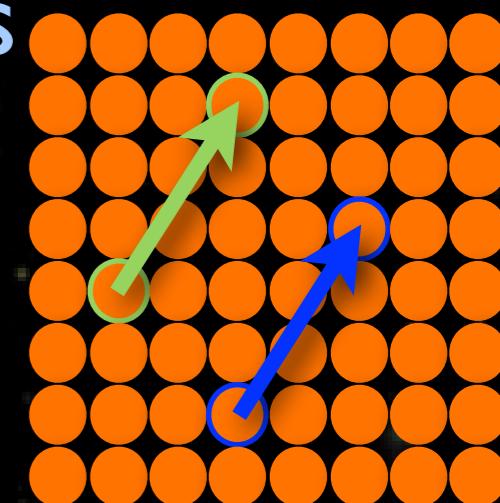
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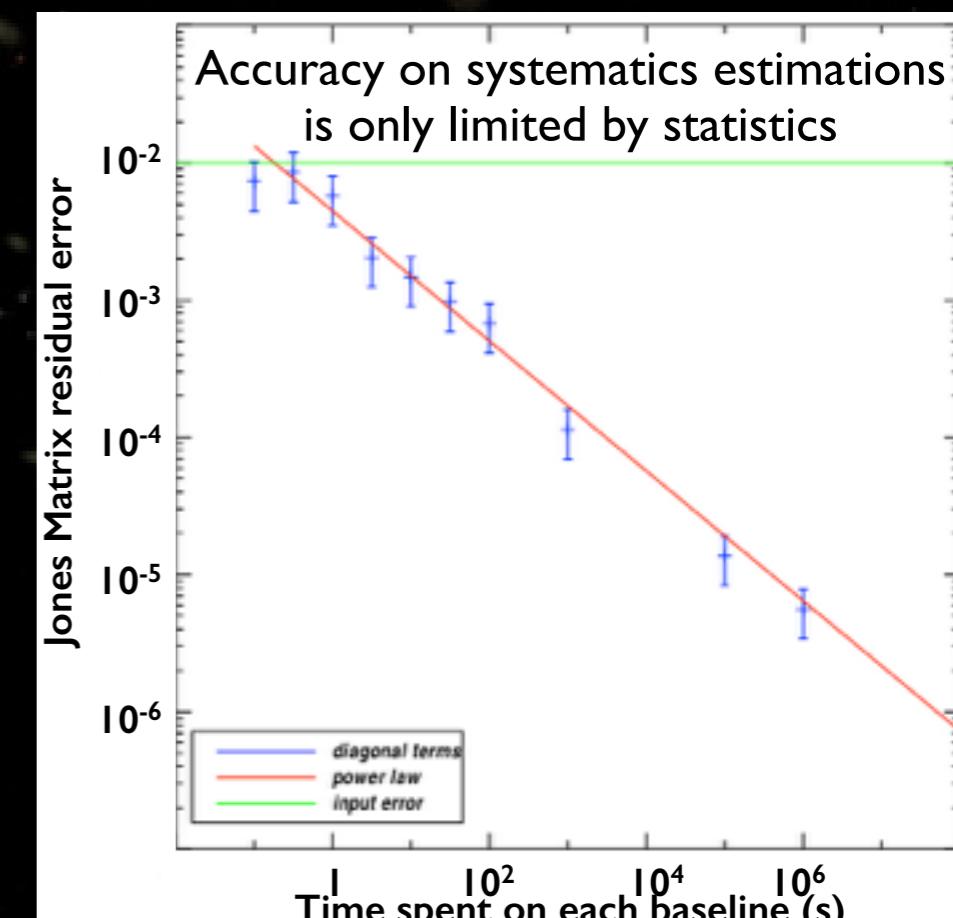
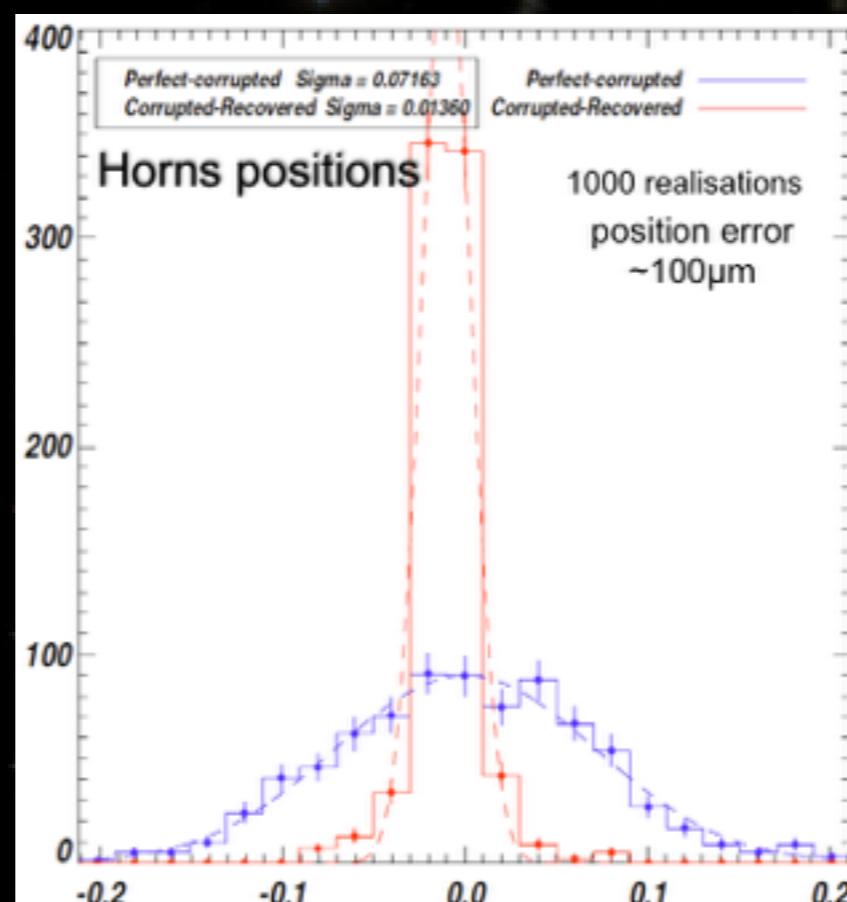
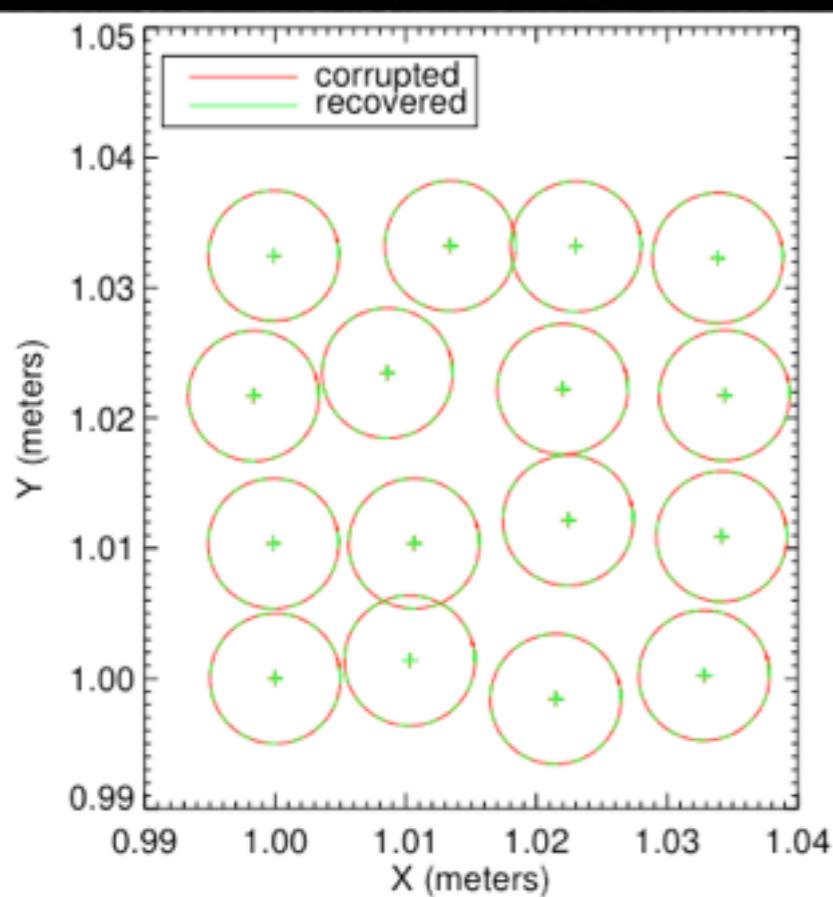
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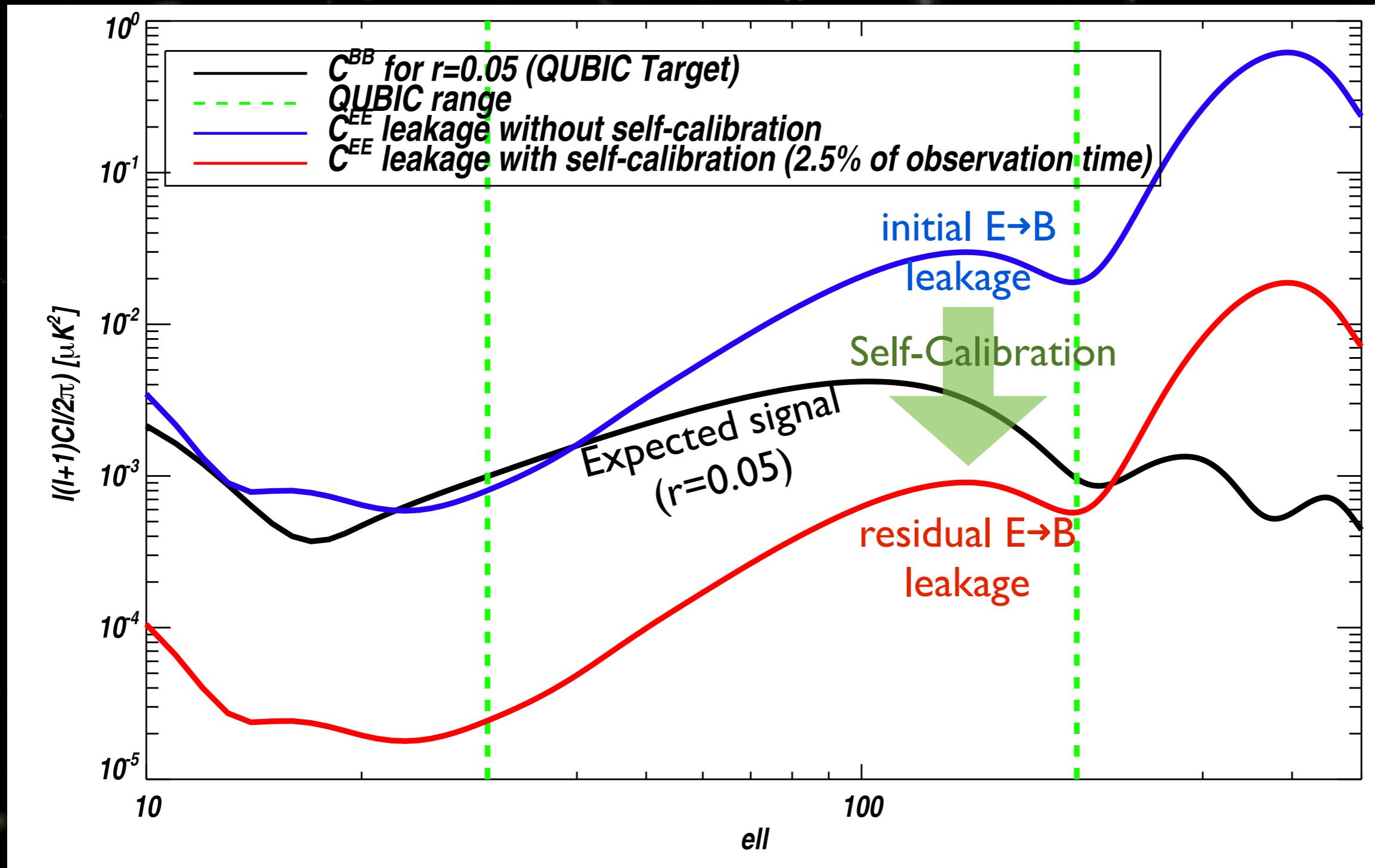
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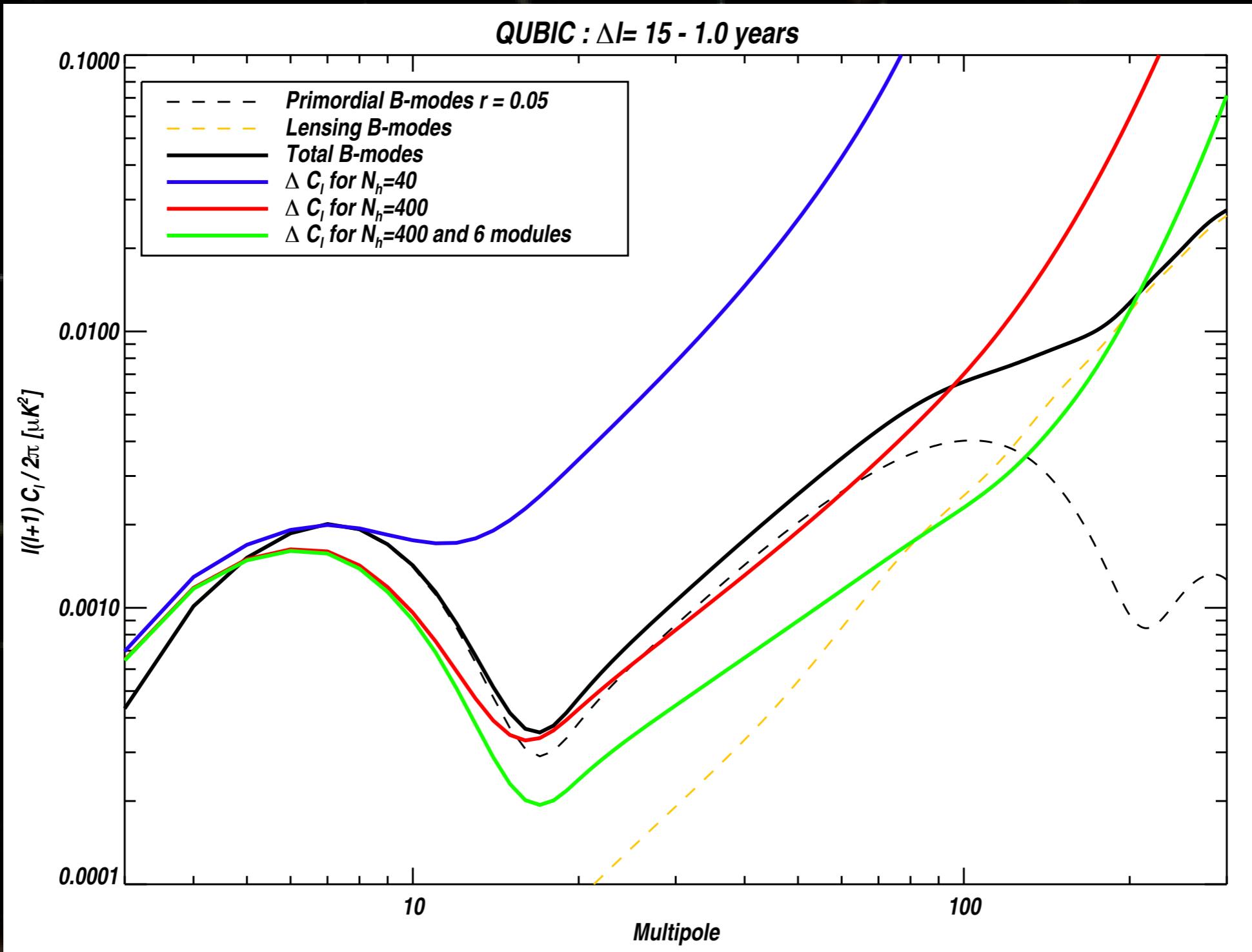
# Self-Calibration results



[Bigot-Sazy et al., A&A 2012, arXiv:1209.4905]



# B-mode sensitivity



# tensor/scalar ratio sensitivity

